



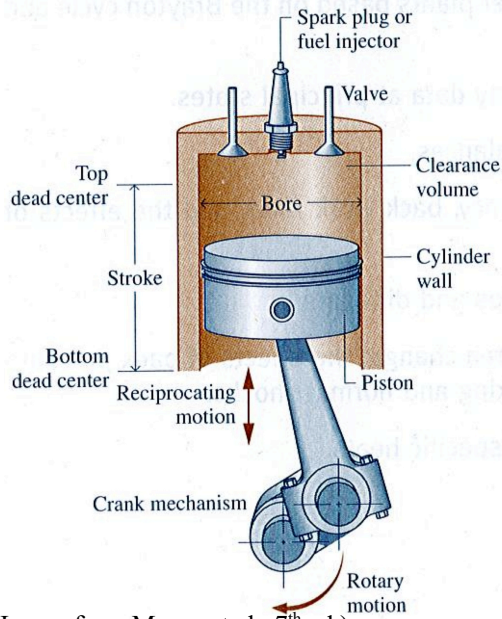
<https://www.youtube.com/watch?v=vIJ50aUiBgM> (old video, but shows the basics well)
https://www.youtube.com/watch?v=zA_19bHxEYg (newer technology, good animations)
<https://www.youtube.com/watch?v=saPGX-1qC4M> (hands-on video)

ME 200 (Thermodynamics I)

Air Standard Analysis

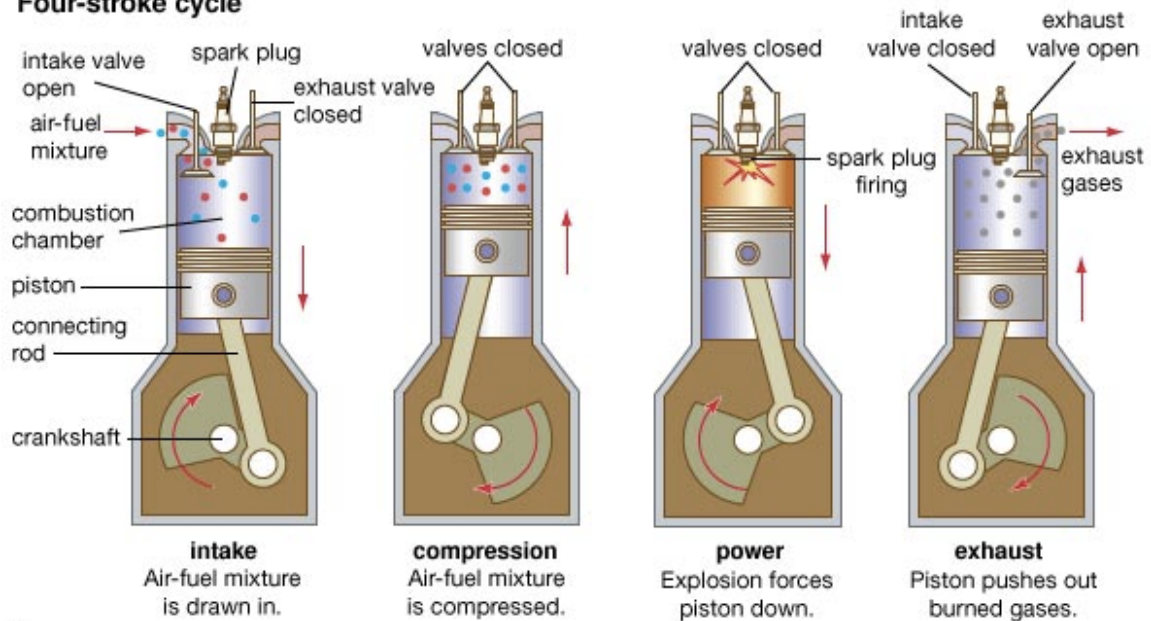
Two main types of reciprocating internal combustion engines

- spark-ignition engine
- compression-ignition engine



(Image from Moran et al., 7th ed.)

Four-stroke cycle



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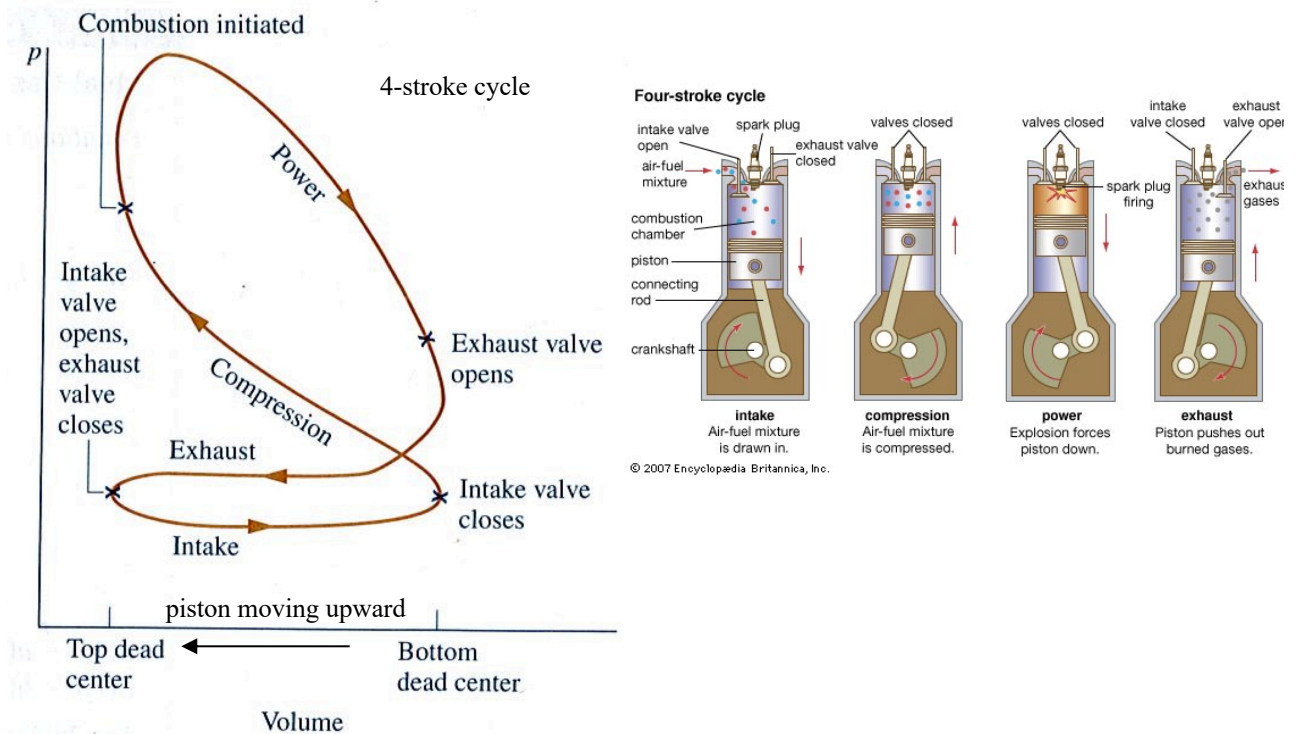
Two revolutions of the crankshaft to complete four strokes.

Air Standard Analysis

- Highly simplified to provide qualitative understanding
- Fixed mass of air modeled as an ideal gas.
- Combustion modeled as a heat addition process.
- No intake or exhaust processes.
- Exhaust modeled as a constant volume heat removal process.
- All processes are internally reversible.

Cold air standard analysis

- An air standard analysis that assumes constant specific heats (perfect gas assumption).



(Image from Moran et al., 7th ed.)

Mean Effective Pressure (MEP):

$$MEP \equiv \frac{W_{out,net}}{V_{bdc} - V_{tdc}}$$

$$\text{Compression ratio, } r \equiv \frac{V_{bdc}}{V_{tdc}} = \frac{v_{bdc}}{v_{tdc}} > 1$$

Two and a half cycles to be considered: Otto cycle, Diesel cycle, dual cycle

- Define the cycle paths – draw on $p-v$ and $T-s$ plots
- Apply the 1st Law to determine
 - Net work out
 - Heat transfer
 - Thermal efficiency
- Make use of compression ratio and MEP
- Examine trends

TABLE 9.1

Ideal Gas Model Review

Equations of state:

$$p v = R T \quad (3.32)$$

$$p V = m R T \quad (3.33)$$

Changes in u and h :

$$u(T_2) - u(T_1) = \int_{T_1}^{T_2} c_v(T) dT \quad (3.40)$$

$$h(T_2) - h(T_1) = \int_{T_1}^{T_2} c_p(T) dT \quad (3.43)$$

Variable Specific Heats

Constant Specific Heats

$$u(T_2) - u(T_1) = c_v(T_2 - T_1) \quad (3.50)$$

$$h(T_2) - h(T_1) = c_p(T_2 - T_1) \quad (3.51)$$

See Tables A-20, 21 for data.

$u(T)$ and $h(T)$ are evaluated from appropriate tables: Tables A-22 for air (mass basis) and A-23 for other gases (molar basis).

Changes in s :

$$s(T_2, v_2) - s(T_1, v_1) = \int_{T_1}^{T_2} c_v(T) \frac{dT}{T} + R \ln \frac{v_2}{v_1} \quad (6.17)$$

$$s(T_2, p_2) - s(T_1, p_1) = \int_{T_1}^{T_2} c_p(T) \frac{dT}{T} - R \ln \frac{p_2}{p_1} \quad (6.18)$$

Constant Specific Heats

$$s(T_2, v_2) - s(T_1, v_1) = c_v \ln \frac{T_2}{T_1} + R \ln \frac{v_2}{v_1} \quad (6.21)$$

$$s(T_2, p_2) - s(T_1, p_1) = c_p \ln \frac{T_2}{T_1} - R \ln \frac{p_2}{p_1} \quad (6.22)$$

See Tables A-20, 21 for data.

Variable Specific Heats

$$s(T_2, p_2) - s(T_1, p_1) = s^\circ(T_2) - s^\circ(T_1) - R \ln \frac{p_2}{p_1} \quad (6.20a)$$

where $s^\circ(T)$ is evaluated from appropriate tables: Tables A-22 for air (mass basis) and A-23 for other gases (molar basis).

Relating states of equal specific entropy: $\Delta s = 0$:

Constant Specific Heats

$$\frac{T_2}{T_1} = \left(\frac{p_2}{p_1} \right)^{(k-1)/k} \quad (6.43)$$

$$\frac{T_2}{T_1} = \left(\frac{v_1}{v_2} \right)^{k-1} \quad (6.44)$$

$$\frac{p_2}{p_1} = \left(\frac{v_1}{v_2} \right)^k \quad (6.45)$$

where $k = c_p/c_v$, is given in Tables A-20 for several gases.

Variable Specific Heats — Air Only

$$\frac{p_2}{p_1} = \frac{p_{r2}}{p_{r1}} \quad (\text{air only}) \quad (6.41)$$

$$\frac{v_2}{v_1} = \frac{v_{r2}}{v_{r1}} \quad (\text{air only}) \quad (6.42)$$

where p_r and v_r are provided for air in Tables A-22.

Table 9.1 from Moran et al.