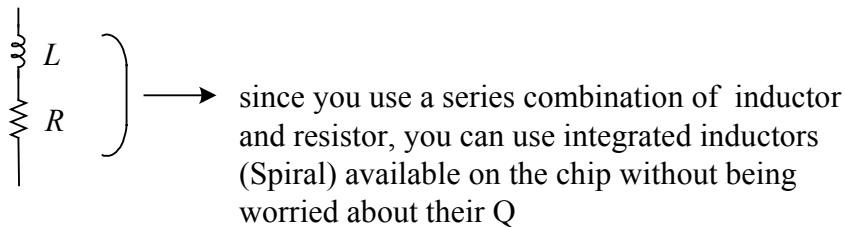
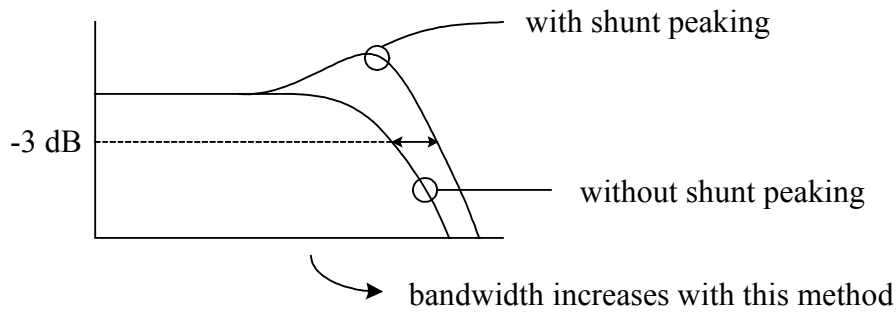
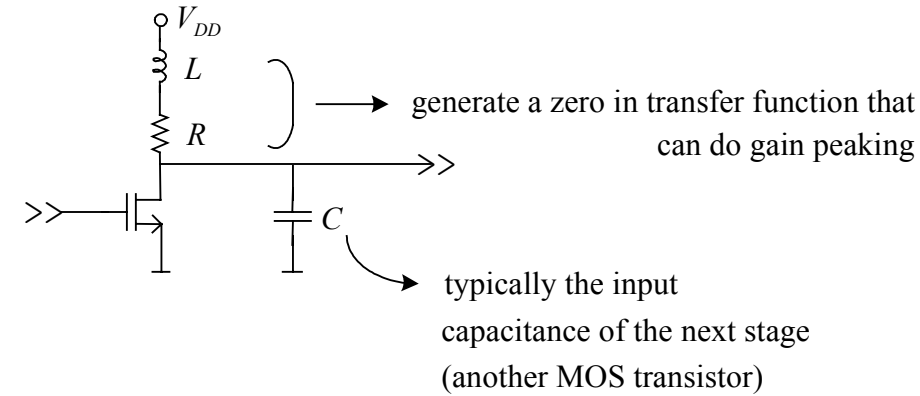
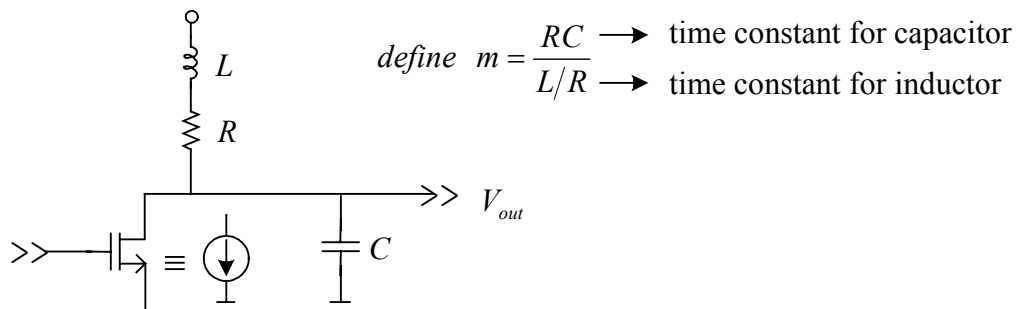


Wide Bandwidth Amplifier Design → Read chapter 8

Shunt-peaked Amps → Goal : extend BW

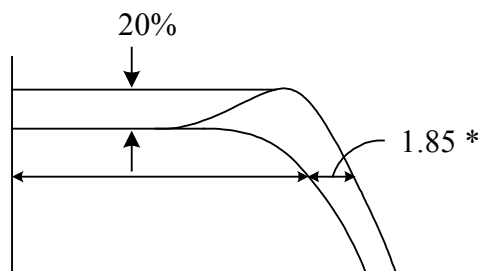


→ assumption → ignore transistor's parasitic (just a current source)



now by choosing m value you can get different results

- * $m = \sqrt{2}$ \longrightarrow maximum bandwidth $\sim 1.85 \text{ BW}_{\text{original}}$
(problem $\sim 20\%$ peaking in frequency response) \nearrow without shunt peaking



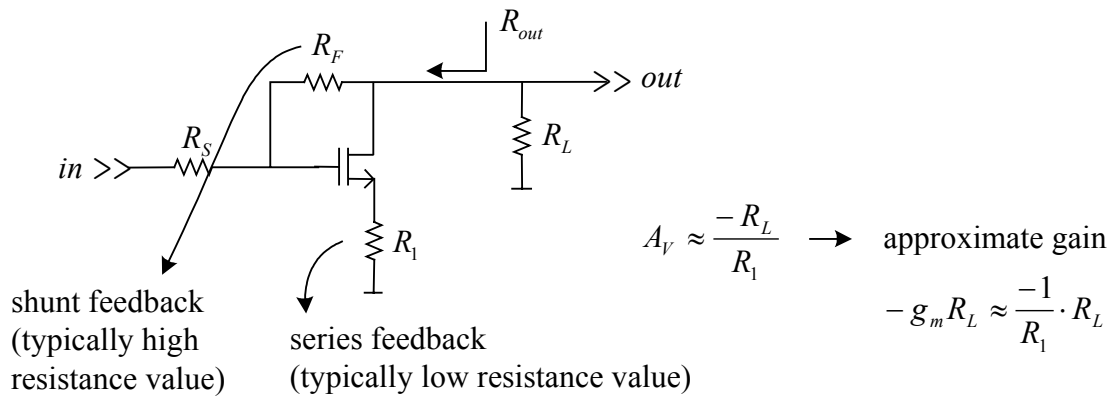
- * $m = 2$ \longrightarrow $\text{BW} \sim 1.8 \text{ BW}_{\text{original}}$ \longrightarrow still very good
peaking $\sim 3\%$

- * $m = 1 + \sqrt{2}$ \longrightarrow $\text{BW} \sim 1.72 \text{ BW}_{\text{original}}$
no peaking in gain \longrightarrow maximally flat
will be seen

\nwarrow
still gives phase distortion which might
be important for some cases
(input amplifier of oscilloscope)

- * $m = 3.1$ \longrightarrow $\text{BW} = 1.6 \text{ BW}_{\text{original}}$
no peaking
no phase distortion (best group delay constant)

Shunt-series Amplifier → goal : convenient input/output matching



shunt feedback

$$\left(\begin{array}{l} R_{in} = \frac{R_F}{1 - A_V} \approx \frac{R_F}{1 + R_L/R_1} \\ R_{out} = \frac{R_F + R_S}{1 + R_S/R_1} \approx \frac{R_F}{1 + R_S/R_1} \end{array} \right.$$

if $R_S \sim R_L = R$

$$\rightarrow R_{in} \approx R_{out} = \frac{R_F}{1 + R/R_1}$$

So this circuit would give you similar input/output matching
if you have similar source and load



very easy to match especially when you have several stages
of the same amplifier

Bandwidth enhancement with f_T doublers

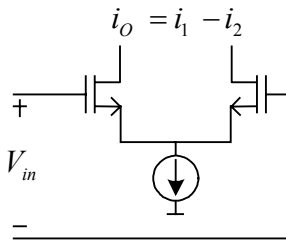
$$2\pi f_T = \frac{g_m}{C_{gd} + C_{gs}} \approx \frac{g_m}{C_{gs}}$$

* differential pair \rightarrow can be considered f_T doublers

$$g_{m\ total} = g_{m\ transistor}$$

$$C_{in\ total} = C_{gs}/2$$

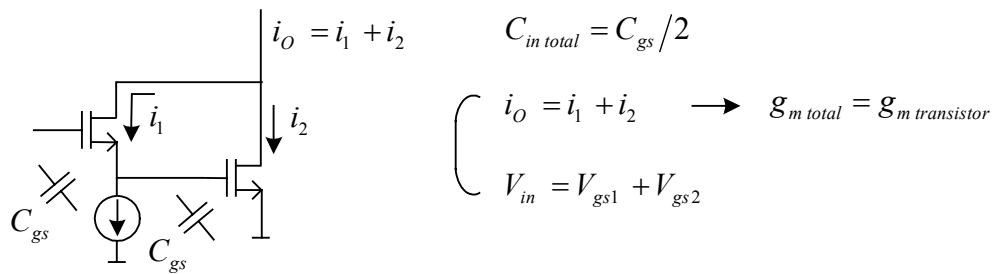
\rightarrow differential pair has a cut-off frequency of almost twice a transistor



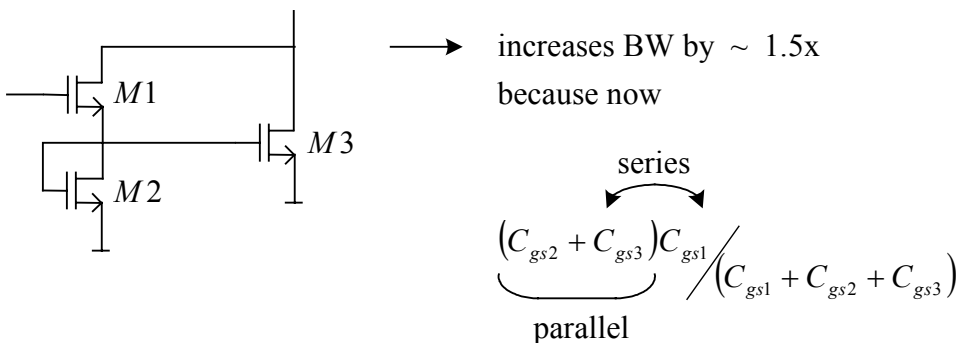
So you expect that the bandwidth should be higher than a transistor ($\sim \times 2$)

but it is not always possible to have differential signals

\rightarrow convert differential pair to single ended (darlington configuration)



to make $i_1 = i_2$ use simple current source



Bandwidth enhancement through neutralization

the idea is to make $S_{12} = 0$

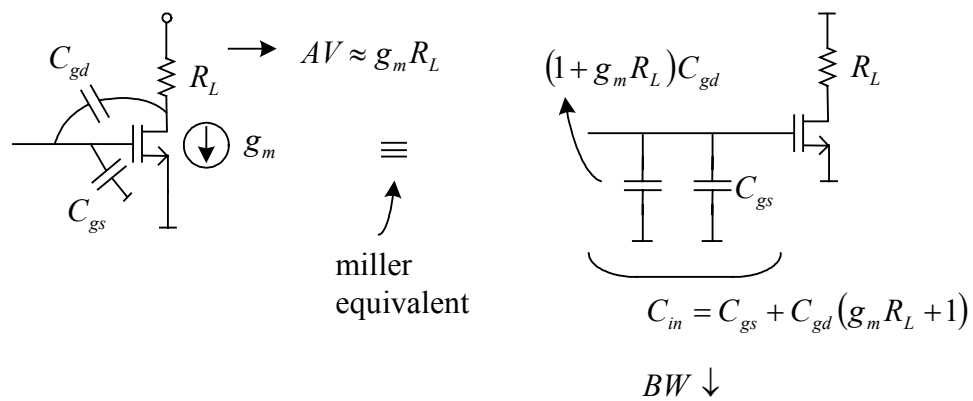
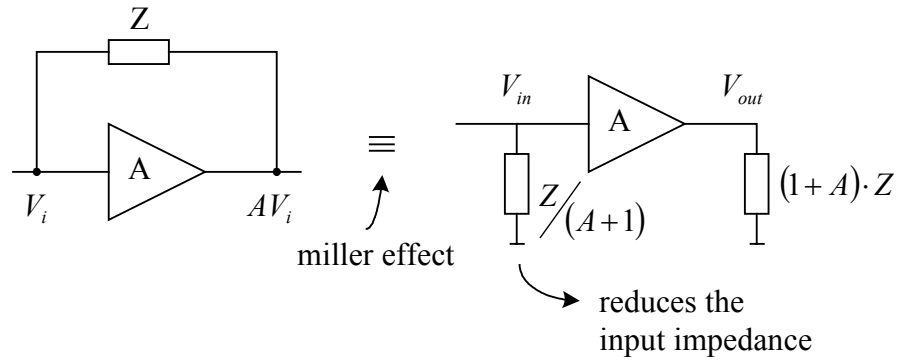
(C_{gd} is mainly responsible for S_{12})

$C_{gd} \lesssim C_{gs}$

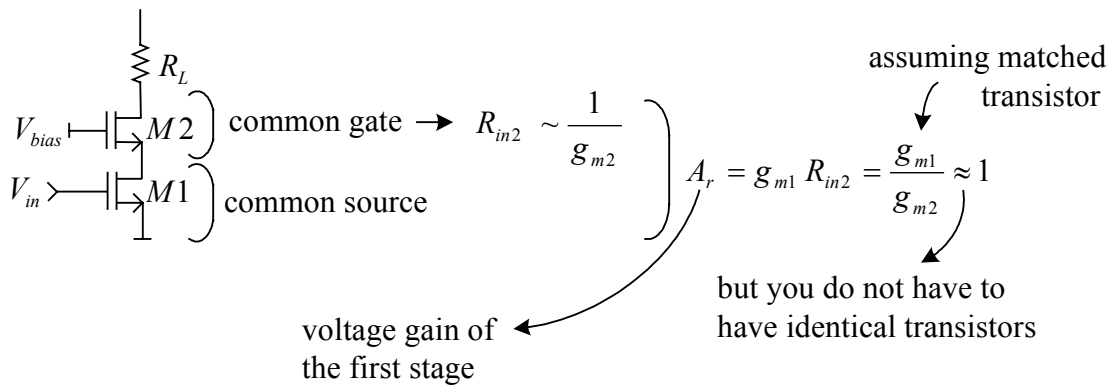
\uparrow
typically the case
in submicron CMOS

however effect of C_{gd}
is much more than C_{gs}
why? Because of
miller effect

Miller-Effect

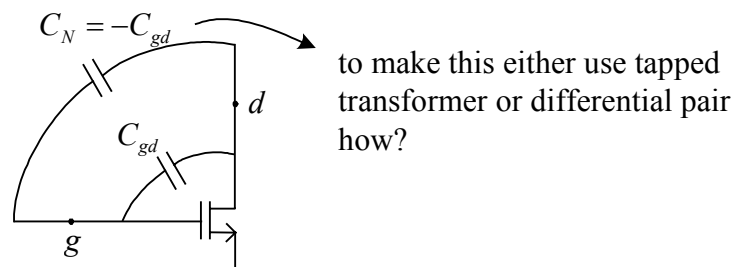


to reduce the miller-effect you can use cascode

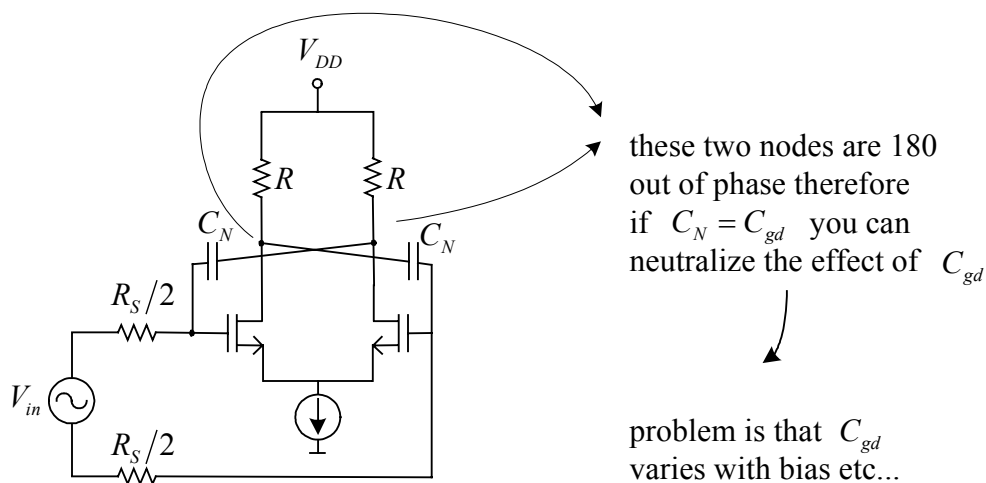


so you can use cascode to improve the total Bandwidth

- but there is still some feedback through C_{gd} that may also cause instability (high S_{12} ! often causes stability problem)
- to cancel C_{gd} completely you need a negative capacitor in parallel

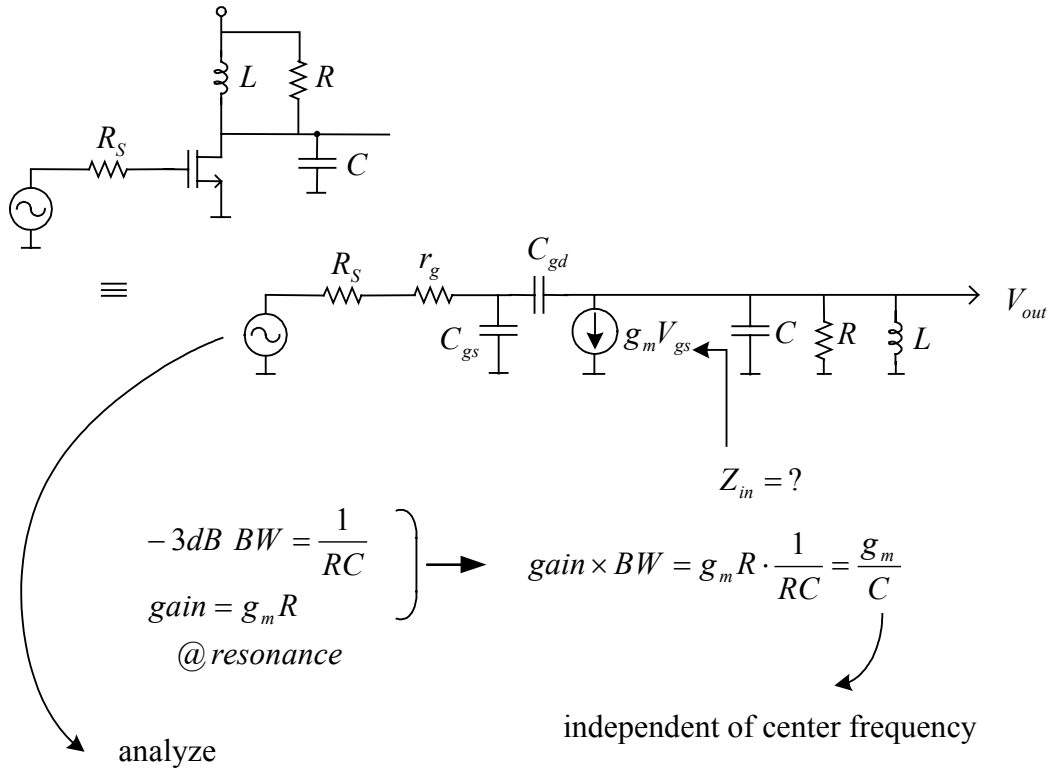


Differential pair neutralization



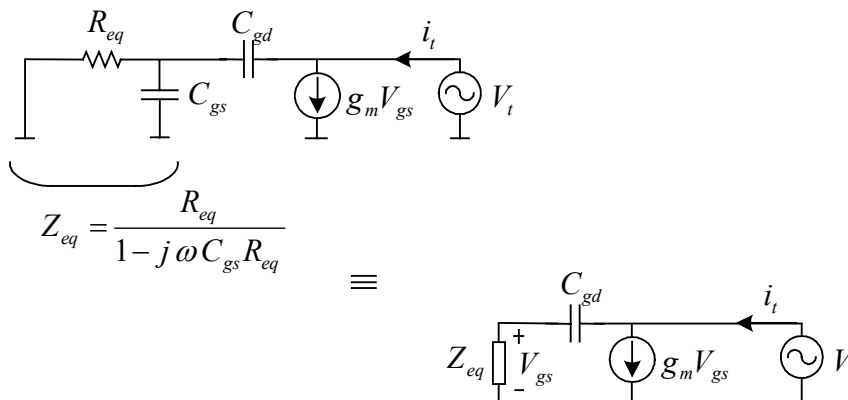
* you can also use tapped transformer to do neutralization

Tuned Amplifiers



$$R_{eq} = R_S + r_g$$

to find Z_{in} let's connect a test voltage source



$$(I) \quad \left. \begin{aligned} i_t &= g_m V_{gs} + (V_t - V_{gs}) j \omega C_{gd} \\ (i_t - g_m V_{gs}) \cdot Z_{eq} &= V_{gs} \end{aligned} \right\} \xrightarrow{\text{substitute}} V_{gs} = \frac{Z_{eq} \cdot i_t}{1 + g_m Z_{eq}}$$

$$i_t = j \omega C_{gd} \cdot V_t + V_{gs} (g_m - j \omega C_{gd})$$

$$i_t = j \omega C_{gd} \cdot V_t + \frac{Z_{eq}}{1 + g_m Z_{eq}} (g_m - j \omega C_{gd}) \cdot i_t$$

$$i_t (1 + \cancel{g_m Z_{eq}} - \cancel{g_m Z_{eq}} + j \omega C_{gd} \cdot Z_{eq}) = V_t j \omega C_{gd} (1 + g_m Z_{eq})$$

$$i_t (1 + j \omega C_{gd} Z_{eq}) = V_t j \omega C_{gd} (1 + g_m Z_{eq})$$

$$Z_{in} = \frac{V_t}{i_t} = \frac{1 + j \omega C_{gd} Z_{eq}}{j \omega C_{gd} (1 + g_m Z_{eq})} = \frac{\frac{1}{j \omega C_{gd} Z_{eq}} + 1}{\frac{1}{Z_{eq}} + g_m} = \frac{\frac{1}{R_{eq} j \omega C_{gd}} + 1 - \frac{C_{gs}}{C_{gd}}}{g_m + \frac{1}{R_{eq}} - j \omega C_{gs}}$$

$$\frac{1}{Z_{eq}} = \frac{1}{R_{eq}} - j \omega C_{gs}$$

for rather small frequencies : $j \omega C_{gs} \ll g_m + \frac{1}{R_{eq}}$

$$Z_{in} \approx \frac{1}{j \omega C_{gd} (1 + g_m R_{eq})} + \frac{(C_{gd} - C_{gs}) / C_{gd}}{g_m + \frac{1}{R_{eq}}}, \quad R_{eq} = r_g + R_S$$

$$\rightarrow C_{in} = C_{gd}(1 + g_m(r_g + R_S)) \quad \leftarrow \text{equivalent capacitance can be very high}$$

$$R_{in} = \frac{R_S + r_g}{1 + g_m(r_g + R_S)} \times \underbrace{\frac{C_{gd} - C_{gs}}{C_{gd}}}_{\text{negative since } C_{gd} < C_{gs} \text{ (typically)}} < 0 \quad \leftarrow \text{negative resistance}$$

- your circuit(turned Amp) can be easily unstable
 (good if you are making an oscillator)
 if you did not have C_{gd} , you did not have this oscillation problem