

Scanners

Scanners

- Sometimes called *lexers*
- Recall: scanners break input stream up into a set of tokens
 - Identifiers, reserved words, literals, etc.
- What do we need to know?
 - How do we define tokens?
 - How can we recognize tokens?
 - How do we write scanners?

Regular expressions

- Regular sets: set of strings defined by regular expressions
 - Strings are regular sets (with one element): `purdue3.14159`
 - So is the empty string: λ (sometimes use ϵ instead)
 - Concatenations of regular sets are regular: `purdue3.14159`
 - To avoid ambiguity, can use `()` to group regexps together
 - A choice between two regular sets is regular, using `|`: `(purdue|3.14159)`
 - 0 or more of a regular set is regular, using `*`: `(purdue)*`
 - Some other notation used for convenience:
 - Use `Not` to accept all strings *except* those in a regular set
 - Use `?` to make a string optional: `x?` equivalent to `(x| λ)`
 - Use `+` to mean 1 or more strings from a set: `x+` equivalent to `xx*`
 - Use `[]` to present a range of choices: `[1-3]` equivalent to `(1|2|3)`

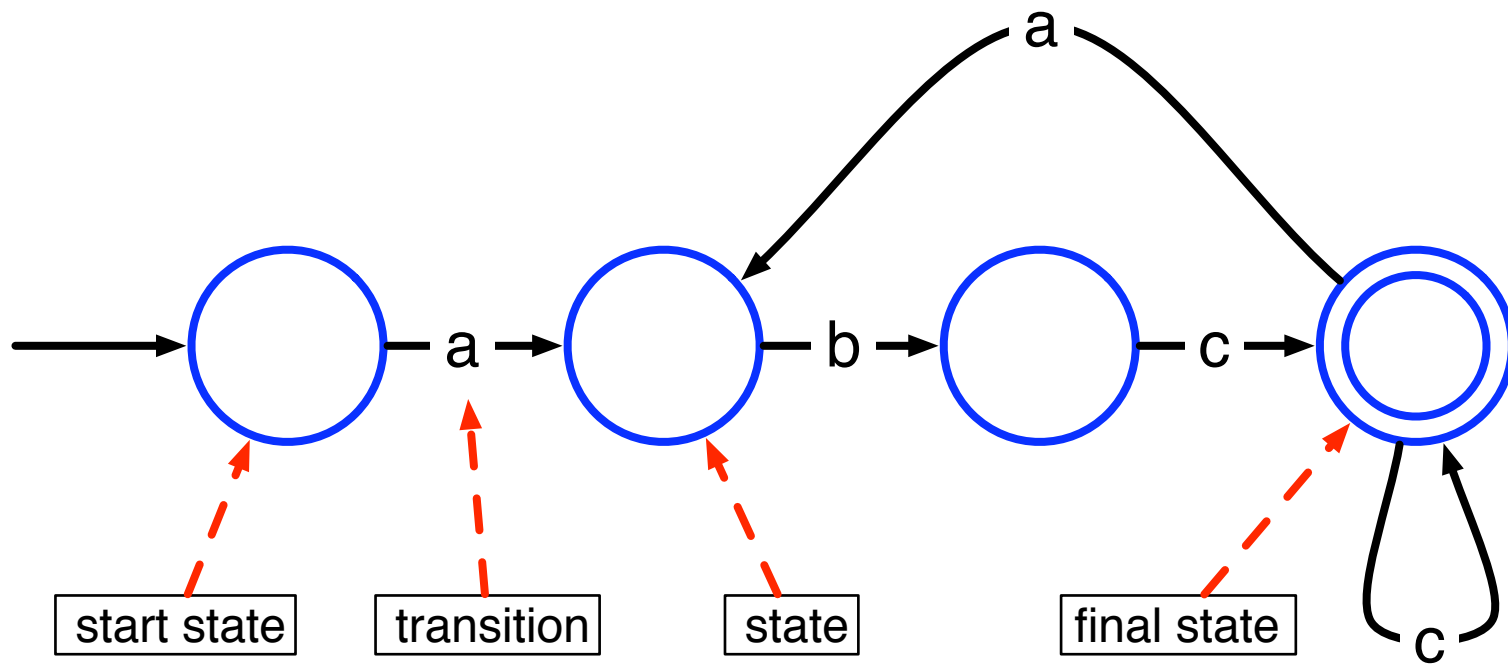
Examples of regular expressions

- Numbers: $D = [0-9]^+$
- Words: $L = [A-Za-z]^+$
- Literals (integers or floats): $-?D+(\.D^*)?$
- Identifiers: $(_|L)(_|L|D)^*$
- Comments (as in Micro): $-- \text{Not}(\backslash n)^*\backslash n$
- More complex comments (delimited by ##, can use # inside comment): $##((#\backslash)\text{Not}(\#))^*##$

Finite automata

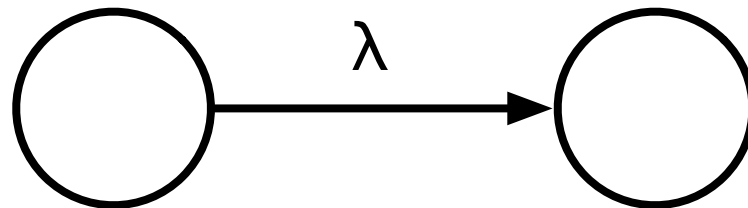
- Finite state machine which will only *accept* a string if it is in the set defined by the regular expression

$(a b c^+)^+$



λ transitions

- Transitions between states that aren't triggered by seeing another character
- Can *optionally* take the transition, but do not have to
- Can be used to link states together



Non-deterministic FA

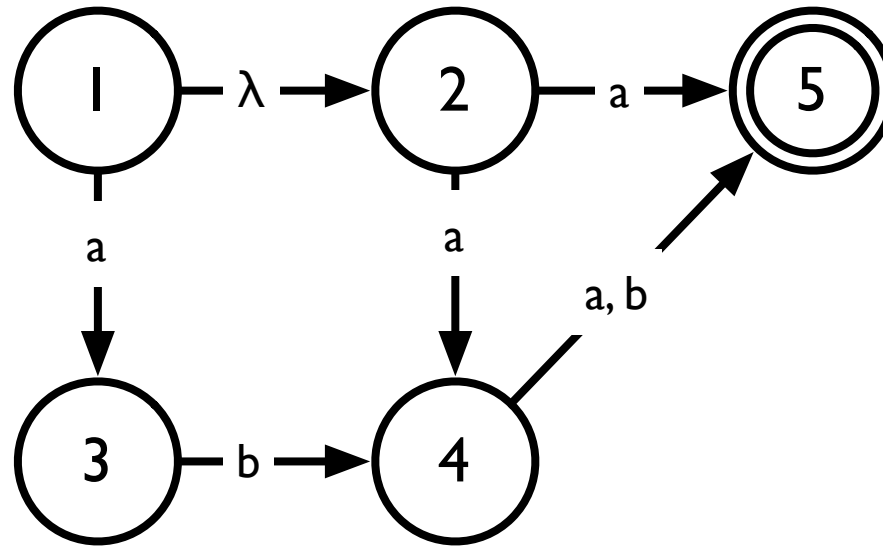
- Note that if a finite automaton has a λ -transition in it, it may be *non-deterministic* (do we take the transition? or not?)
- More precisely, FA is non-deterministic if, from one state reading a single character could result in transition to multiple states
- How do we deal with non-deterministic finite automata (NFAs)?

“Running” an NFA

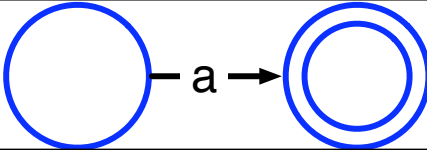
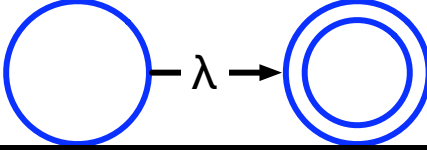
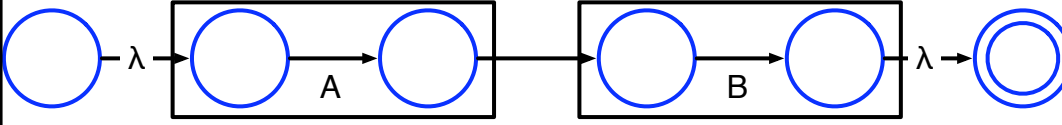
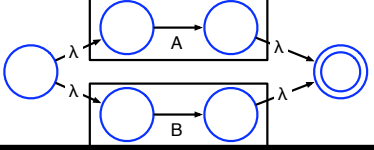
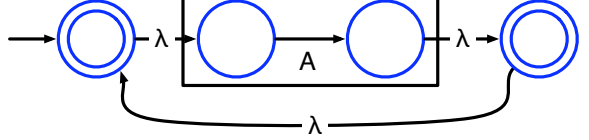
- Intuition: take every possible path through an NFA
 - Essentially, parallel execution of NFA
 - Maintain a “pointer” that tracks the current state
 - Every time there is a choice, “split” the pointer, and have one pointer follow each choice
 - Track each pointer simultaneously
 - If a pointer gets stuck, stop tracking it
 - If any pointer reaches an accept state at the end of input, accept

Example

- How does this NFA handle the string “aba”?



Building a FA from a regexp

Expression	FA
a	
λ	
AB	
A B	
A*	

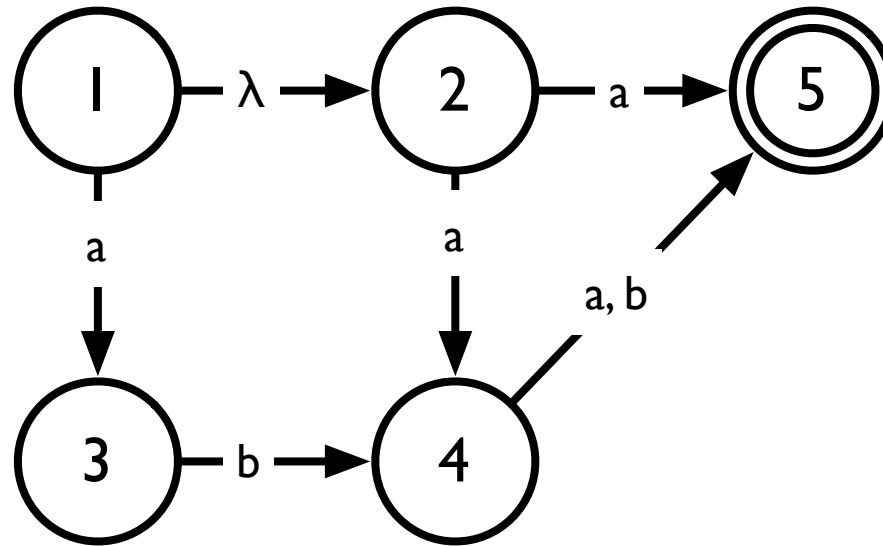
Mini-exercise: how do we build an FA that accepts Not(A)?

NFAs to DFAs

- Can convert NFAs to *deterministic* finite automata (DFAs)
 - No choices — never a need to “split” pointers
- Initial idea: simulate NFA for all possible inputs, any time there is a new configuration of pointers, create a state to capture it
 - Pointers at states 1, 3 and 4 → new state {1, 3, 4}
- Trying all possible inputs is impractical; instead, for any new state, explore all possible *next* states (that can be reached with a single character)
- Process ends when there are no new states found
- Algorithm on page 82 of textbook
- This can result in very large DFAs!

Example

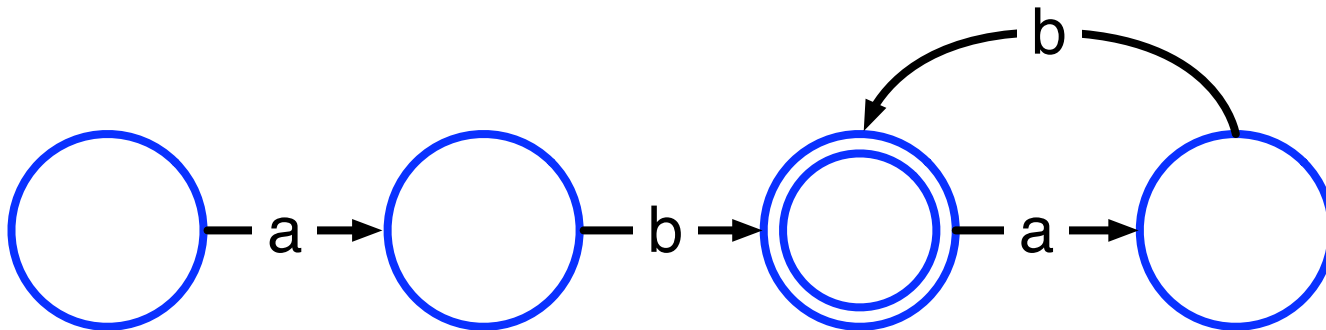
- Convert the following into a DFA



DFA reduction

- DFAs built from NFAs are not necessarily optimal
- May contain many more states than is necessary

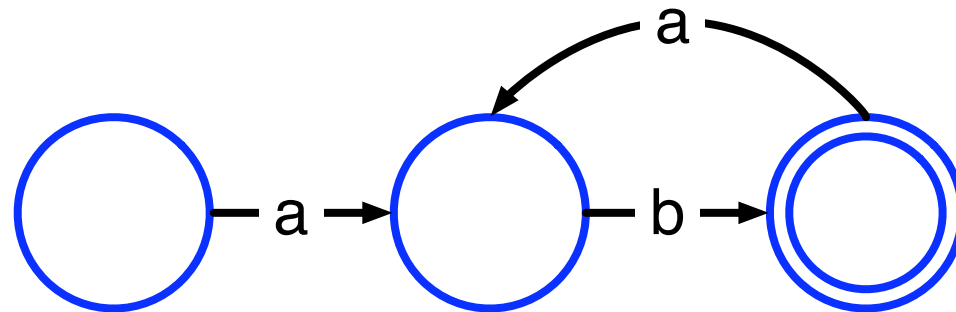
$$(ab)^+ \equiv (ab)(ab)^*$$



DFA reduction

- DFAs built from NFAs are not necessarily optimal
- May contain many more states than is necessary

$$(ab)^+ \equiv (ab)(ab)^*$$

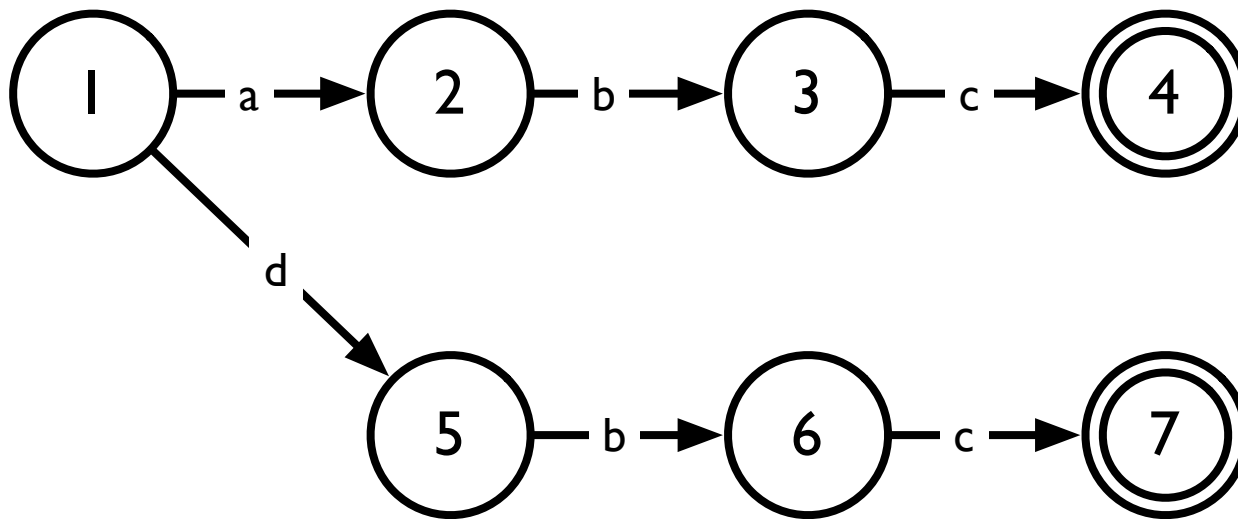


DFA reduction

- Intuition: merge equivalent states
 - Two states are equivalent if they have the same transitions to the same states
- Basic idea of optimization algorithm
 - Start with two big nodes, one representing all the final states, the other representing all other states
 - Successively split those nodes whose transitions lead to nodes in the original DFA that are in different nodes in the optimized DFA
 - See algorithm on page 85 of textbook

Example

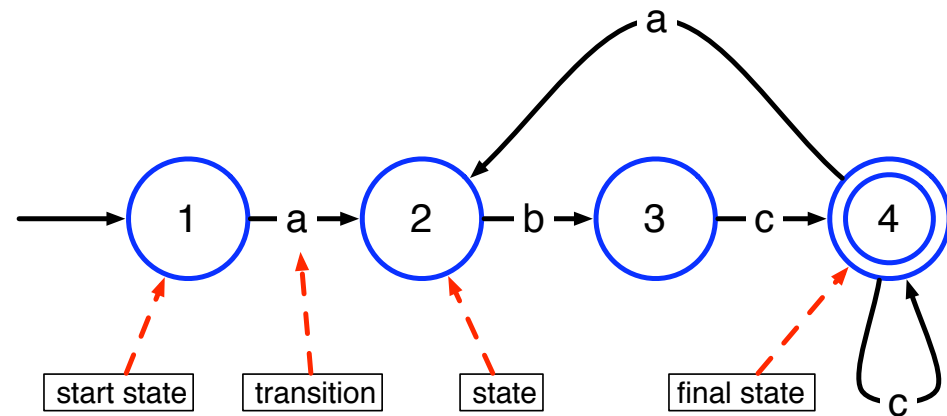
- Simplify the following



Transition tables

- Table encoding states and transitions of FA
 - 1 row per state, 1 column per possible character
 - Each entry: if automaton in a particular state sees a character, what is the next state?

State	Character		
	a	b	c
1	2		
2		3	
3			4
4	2		4



Finite automata program

- Using a transition table, it is straightforward to write a program to recognize strings in a regular language

```
state = initial_state; //start state of FA
while (true) {
    next_char = getc();
    if (next_char == EOF) break;
    next_state = T[state][next_char];
    if (next_state == ERROR) break;
    state = next_state;
}
if (is_final_state(state))
    //recognized a valid string
else
    handle_error(next_char);
```

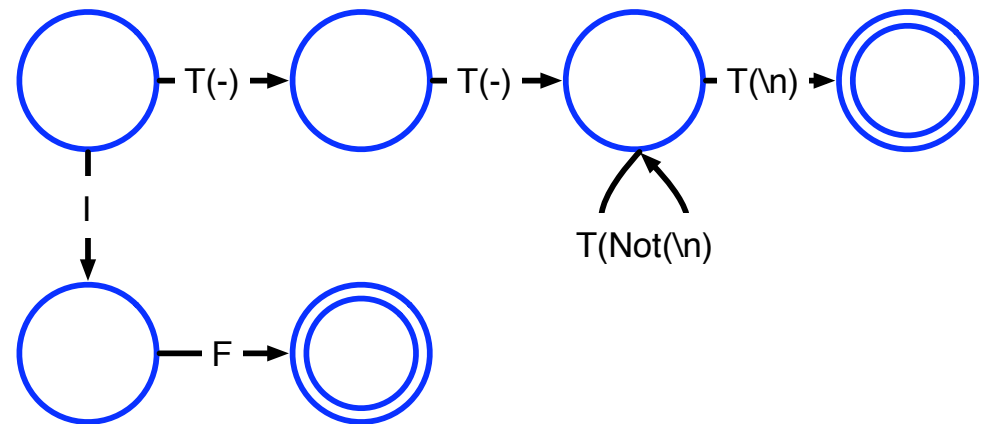
Alternate implementation

- Here's how we would implement the same program “conventionally”

```
next_char = getc();
while (next_char == 'a') {
    next_char = getc();
    if (next_char != 'b') handle_error(next_char);
    next_char = getc();
    if (next_char != 'c') handle_error(next_char);
    while (next_char == 'c') {
        next_char = getc();
        if (next_char == EOF) return; //matched token
        if (next_char == 'a') break;
        if (next_char != 'c') handle_error(next_char);
    }
}
handle_error(next_char);
```

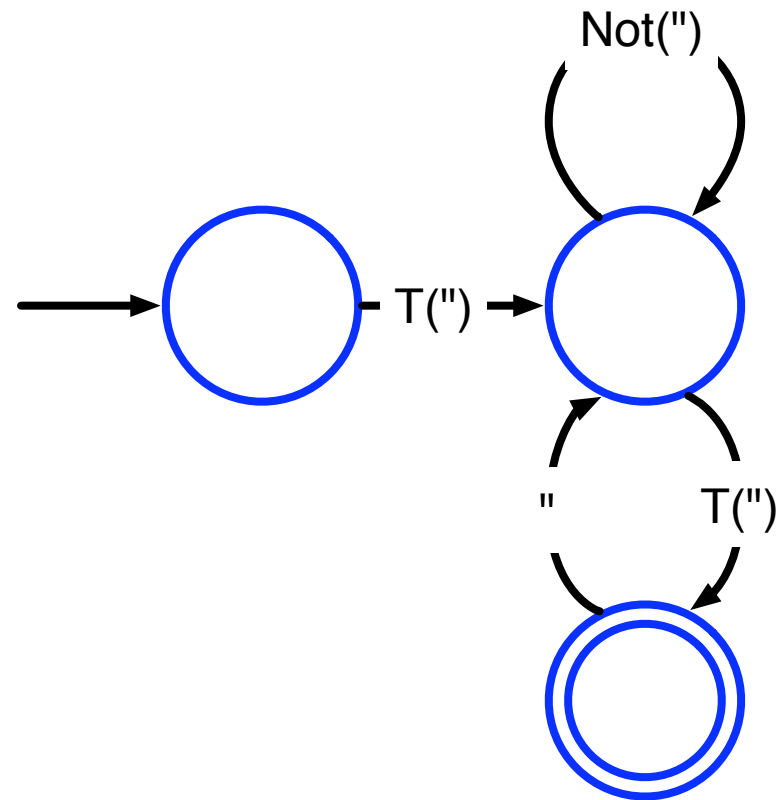
Transducers

- Simple extension of a FA which also outputs the recognized string
- Recognized characters are output; everything else is discarded
- Annotate transitions:
 - $T(x)$: “toss” x
 - x : “save” x
- Example: DFA to recognize comments and “if” token



Example: Transducer for strings

- Recognize quoted strings
- Can use double quotation marks (“”) within string to produce a quotation mark
- (“ (Not(”) | “”)* ”)
- Examples:
 - “ECE 468”
➔ ECE 468
 - “Scanning is ““fun”” ”
➔ Scanning is “fun”



Practical Considerations

Or: what do I have to worry about if I'm actually going to write a scanner?

Handling reserved words

- Keywords can be written as regular expressions. However, this leads to a big blowup in FA size
- Consider writing a regular expression that accepts identifiers which *cannot* be **if**, **while**, **do**, **for**, etc.
- Usually better to specify reserved words as “exceptions”
- Capture them using the identifier regexp, and then decide if the token corresponds to a reserved word

Generating symbol table entries

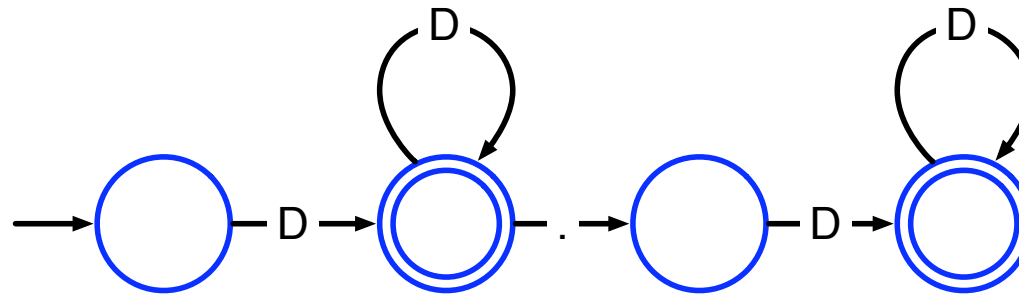
- In simple languages, the scanner can build the symbol table directly
- In more complex languages, with complicated scoping rules, this needs to be handled by the parser

Lookahead

- Up until now, we have only considered matching an entire string to see if it is in a regular language
- What if we want to match multiple tokens from a file?
 - Distinguish between `int a` and `inta`
 - We need to *look ahead* to see if the next character belongs to the current token
 - If it does, we can continue
 - If it doesn't, the next character becomes part of the next token

Multi-character lookahead

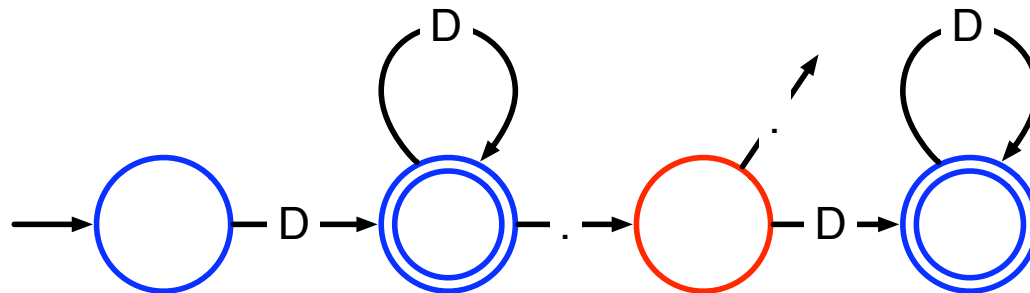
- Sometimes, a scanner will need to look ahead more than one character to distinguish tokens
- Examples
 - Fortran: `DO I = 1,100` (loop) vs. `DO I = 1.100` (variable assignment)
 - Pascal: `23.85` (literal) vs. `23..85` (range)



- 2 solutions: Backup or special “action” state

Multi-character lookahead

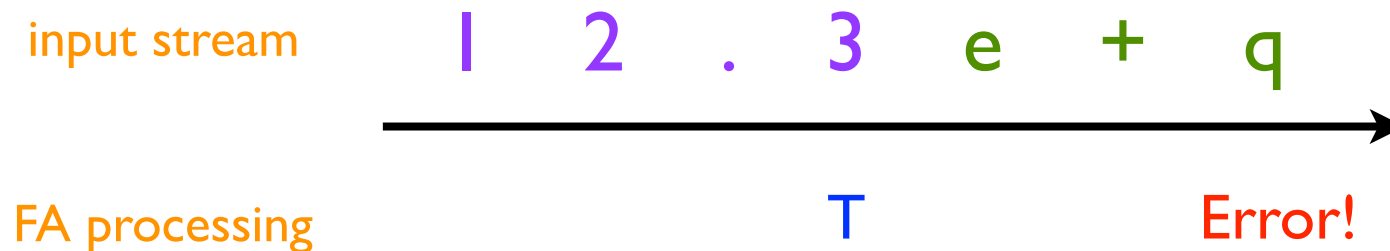
- Sometimes, a scanner will need to look ahead more than one character to distinguish tokens
- Examples
 - Fortran: `DO I = 1,100` (loop) vs. `DO I = 1.100` (variable assignment)
 - Pascal: `23.85` (literal) vs. `23..85` (range)



- 2 solutions: Backup or special “action” state

General approach

- Remember states (T) that can be final states
- Buffer the characters from then on
- If stuck in a non-final state, back up to T, restore buffered characters to stream
- Example: 12.3e+q



Why can't we do this?

- Just build an FA which recognizes the string $D+(\lambda | .D+)(. | ..)D+(\lambda | .D+)$ and recognize the final state we are in to determine the token type?
- Note that this will recognize tokens of the form **12.3** and **12..3**

Error Recovery

- What do we do if we encounter a lexical error (a character which causes us to take an undefined transition)?
- Two options
 - Delete all currently read characters, start scanning from current location
 - Delete *first* character read, start scanning from second character
 - This presents problems with ill-formatted strings (why?)
 - One solution: create a new regexp to accept runaway strings

Scanner Generators

Scanner generators

- Essentially, tools for converting regular expressions into finite automata
- Two well-known tools
 - **ScanGen**: a scanner generator that produces transition tables for a finite automaton driver program (as we saw earlier)
 - **Lex**: generates a scanner directly, makes use of user-written “filter” functions to output tokens

ScanGen

- User defines the input to ScanGen using a file with three sections:
 - **Options** : ScanGen settings for table optimization, etc.
 - **Character classes** : define sets of characters (e.g., digits)
 - **Token definitions** :
 - **Token name { minor major } = regexp**
 - Can include “except” clauses to simplify regexps
 - Can “toss” parts of regexps
- Sample ScanGen input (for Micro language): page 61 of textbook

ScanGen driver

- Driver routine provides the actual scanner, which will be called by the parser

```
void scanner(codes *major,  
            codes *minor,  
            char *token_text)
```

- Reads input character stream, drives the finite automaton using the table generated by ScanGen, and returns found tokens

ScanGen tables

- ScanGen produces two tables:
 - State table: `next_state[NUM_STATES][NUM_CHARS]`
 - Encodes transition table
 - Action table: `action[NUM_STATES][NUM_CHARS]`
 - Tells the driver when a complete token is recognized (i.e., defines accepting states), and what to do with the “lookahead” character

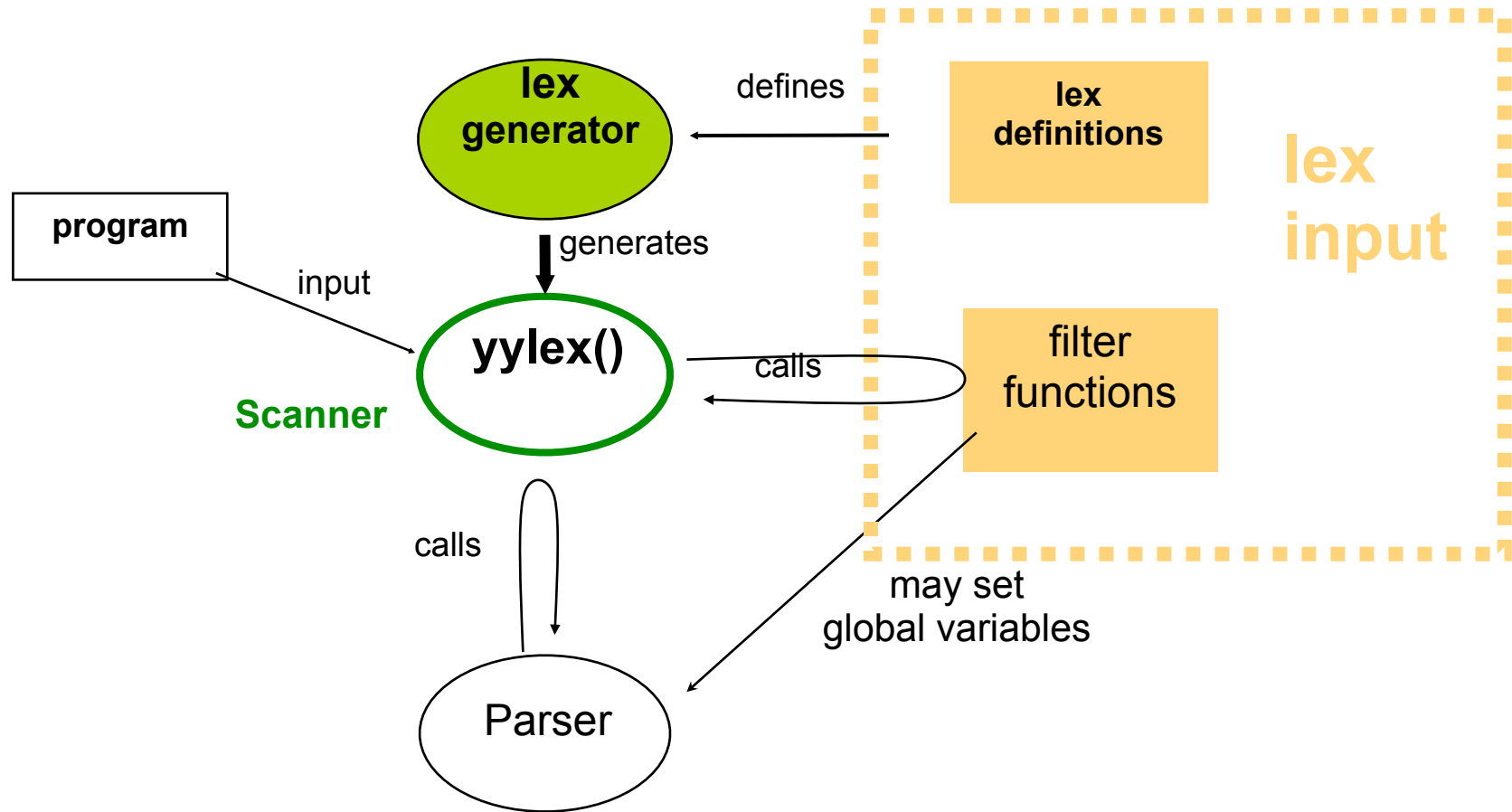
Actions

- Action table has 6 possible values
 - **ERROR**: scan error
 - **MOVEAPPEND**: add next character to token string and continue
 - **MOVENOAPPEND**: “toss” next character and continue
 - **HALTAPPEND**: add next character to token string and return it (final state)
 - **HALTNOAPPEND**: “toss” next character and return token (final state)
 - **HALTREUSE**: put next character back on to input and return token (final state)
- Question: Why no “**MOVEREUSE**” state?
- Driver program on pages 65–66 of textbook

Lex (Flex)

- Commonly used Unix scanner generator (superseded by Flex)
- Has character classes and regular expressions like ScanGen but some key differences:
 - After each token is matched, calls user-defined “filter” function, which processes identified token before returning it to parser
 - Hence, no “Toss” facility (why?)
 - No exception list
 - Instead, supports matching multiple regexps.
 - Matches longest token (i.e., doesn't think `ifa` is `IF ID(a)`)
 - In case of tie, returns earliest-defined regexp
 - To treat `if` as a reserved word instead of an identifier, define token `IF` before defining identifiers.

Lex operation



Example of Lex input on page 67 of textbook

Next Time

- We've covered how to tokenize an input program
- But how do we decide what the tokens actually say?
 - How do we recognize that
IF ID(a) OP(<) ID(b) { ID(a) ASSIGN LIT(5) ; }
is an if-statement?
- Next time: [Parsers](#)