

## Practice Quiz 11

1. The **five-bit sign and magnitude** number  $SM(10101)_2$  converted to **radix** notation is:

- (A)  $R(10101)_2$
- (B)  $R(01010)_2$
- (C)  $R(10110)_2$
- (D)  $R(11011)_2$**
- (E) none of the above

$$-(0101)_2 \xrightarrow{\text{radix}} R(11011)_2$$

2. The **five-bit diminished radix** number  $DR(10101)_2$  converted to **radix** notation is:

- (A)  $R(10101)_2$
- (B)  $R(01010)_2$
- (C)  $R(10110)_2$**
- (D)  $R(11011)_2$
- (E) none of the above

$$-(1010)_2 \xrightarrow{\text{radix}} R(10110)_2$$

3. The **five-bit radix** number  $R(10101)_2$  extended to **eight bits** is:

- (A)  $R(00010101)_2$
- (B)  $R(10000101)_2$
- (C)  $R(11110101)_2$**
- (D)  $R(11101010)_2$
- (E) none of the above

sign extension  $\rightarrow$  replicate  
sign bit

4. When **adding** the **five-bit signed numbers**  $(10111)_2 + (11001)_2$  using **radix arithmetic**, the result obtained is:

- (A)  $(00000)_2$
- (B)  $(10000)_2$**
- (C)  $(11111)_2$
- (D) overflow (*invalid result*)
- (E) none of the above

$$\begin{array}{r} 10111 \\ + 11001 \\ \hline 10000 \end{array}$$

ignore carry out of sign

5. When **subtracting** the **five-bit signed numbers**  $(10111)_2 - (11001)_2$  using **radix arithmetic**, the result obtained is:

- (A)  $(11110)_2$**
- (B)  $(01110)_2$
- (C)  $(11111)_2$
- (D) overflow (*invalid result*)
- (E) none of the above

$$\begin{array}{r} 10111 \\ - 11001 \\ \hline 11110 \end{array} \quad \xrightarrow{\text{Z}} \quad \begin{array}{r} 10111 \\ 00110 \\ + 1 \\ \hline 11110 \end{array}$$