

# Composing Middlebox and Traffic Engineering Policies in SDNs

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# Motivation

- Middlebox deployment is common in enterprise and ISP networks
  - Both capital cost and management cost are huge
- Different IT teams manage different classes of middleboxes
- How to integrate different requirements?

# Composition is Non-trivial

- Alice manages routing module
  - Implements a shortest-path algorithm
- Bob manages IDS module
  - Enforces a policy that all traffic should traverse an IDS
- Could these modules be easily composed without Alice and Bob being explicitly aware of their respective implementations?



Alice

Shortest-path routing

How to integrate?

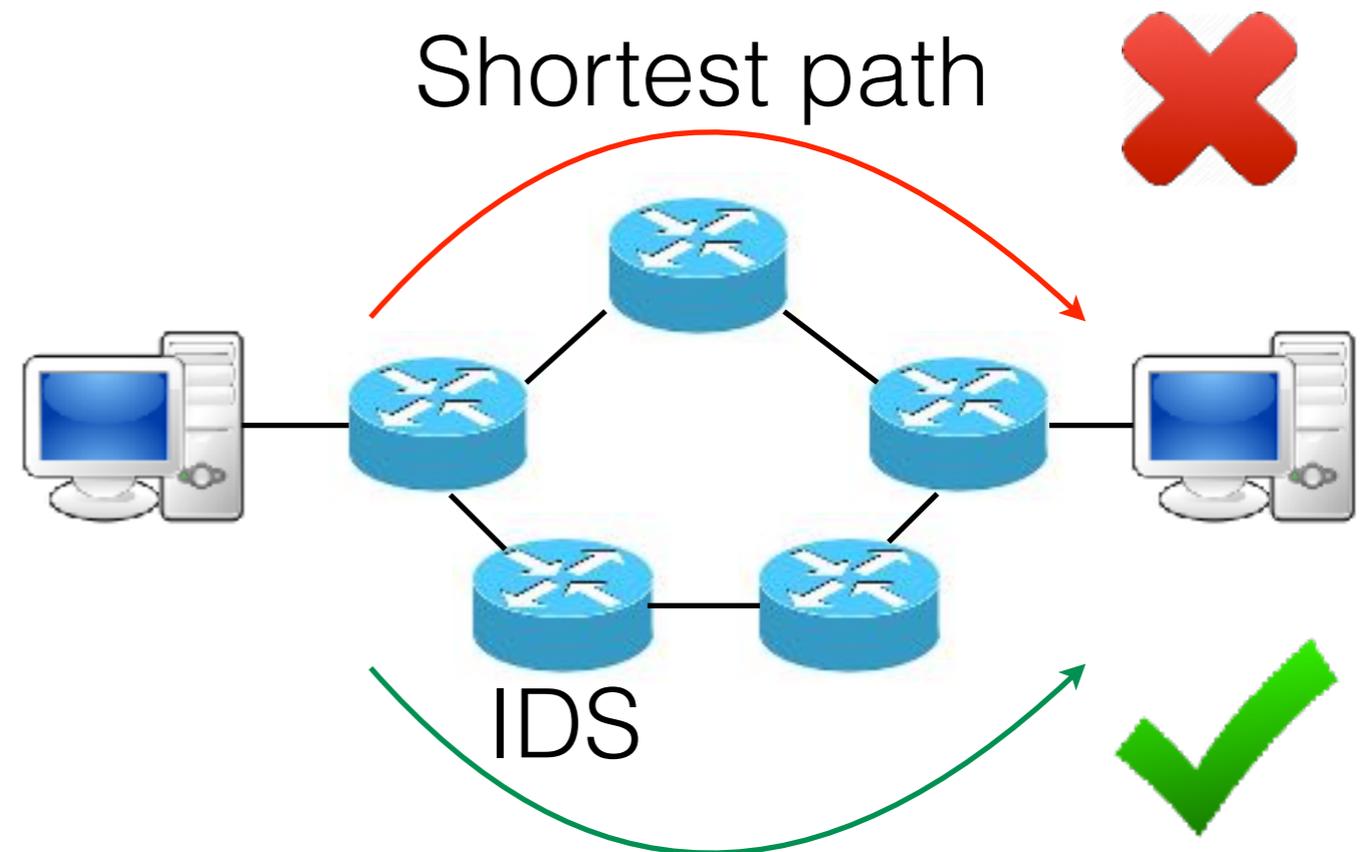


Bob

All traffic traverse an IDS

# Why is Existing Solution Not Sufficient?

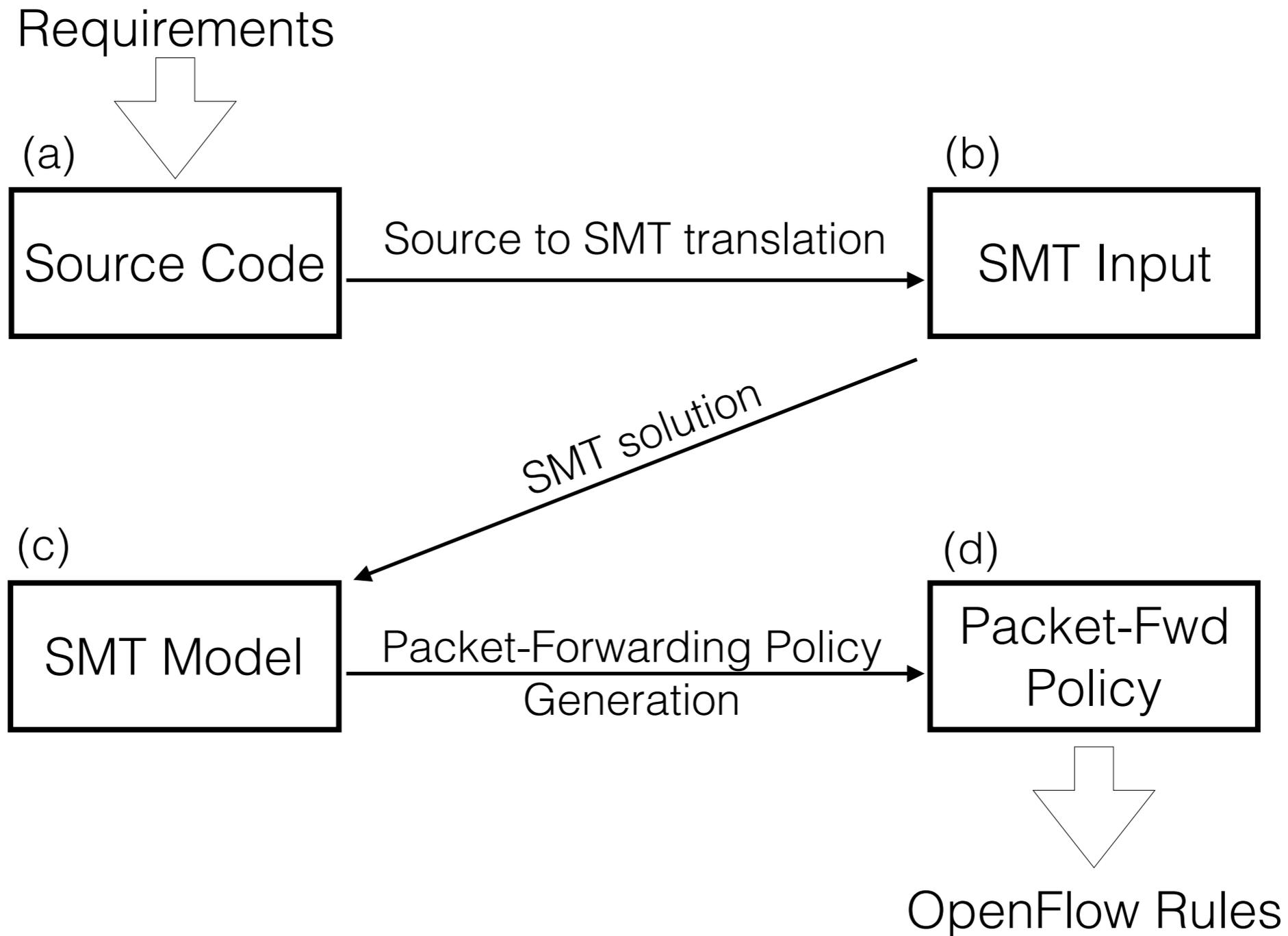
- Pyretic first computes paths in a general purpose language, and composition is done *after* generating the paths
- But, things can easily go wrong!
- Composition should be done *prior to* generating packet-forwarding policies



# Our Solution

- We investigate an approach where compositionality is supported *prior to* the generation of packet forwarding policies
- Each application is written as a logic program, and provides a set of *requirements* that must be respected by a synthesized solution
- A constraint solving engine iterates over these requirements to search the solution space and find a solution respecting all the requirements.

# From Requirements to Rules



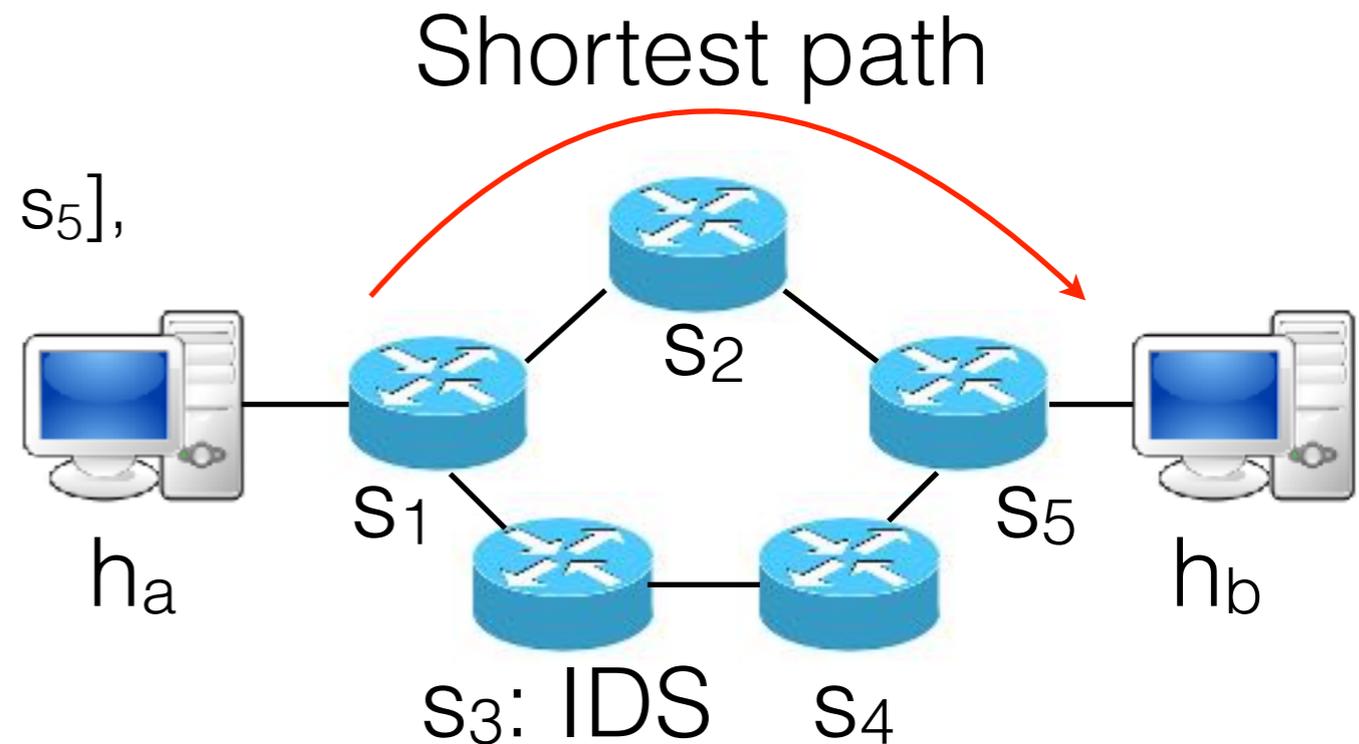
# Composing Requirements - Revisit the Example

- Alice: Route from  $h_a$  to  $h_b$ 
  - $\text{route}(h_a, h_b, X)$
  - Possible solution:  $X = [s_1, s_2, s_5]$ , but fails to enforce IDS.

- Bob: All routes go through IDS

- $\text{hasIDS}([s_3 \mid X])$ .  
 $\text{hasIDS}([S \mid X]) \text{ :- hasIDS}(X)$ .  
 $\text{routeIDS}(h_a, h_b, X) \text{ :-}$   
     $\text{route}(h_a, h_b, X), \text{hasIDS}(X)$ .

- $X = [s_1, s_3, s_4, s_5]$



# Translating Requirements to Constraints

- Naive composition **may not work!**

- Classic shortest-path formulation (logic form)

- $x_{i,j} = 1$  if link  $\langle i, j \rangle$  is in the path

$$(\exists i, x_{s,i}) \wedge (\exists i, x_{i,d})$$

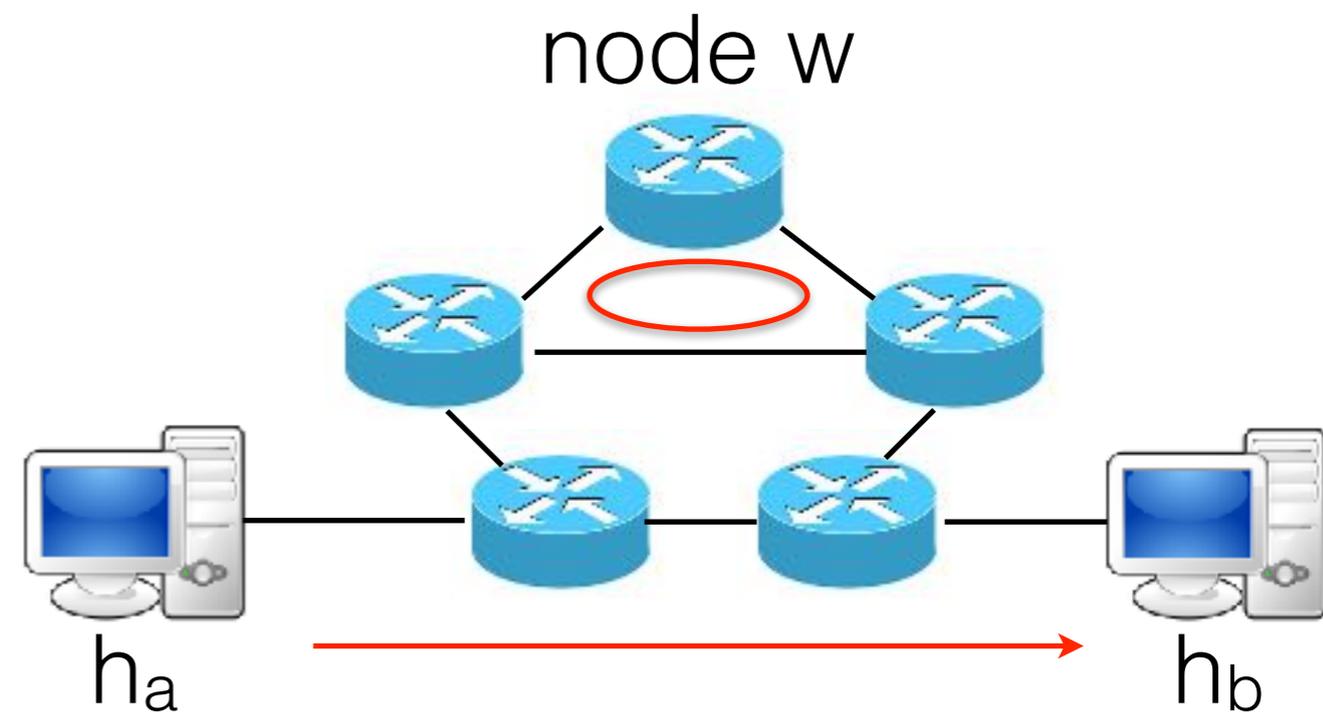
$$\forall i, j, x_{i,j} \wedge (j \neq d) \Rightarrow \exists k, x_{j,k}$$

$$\forall i, j, x_{i,j} \wedge (i \neq s) \Rightarrow \exists k, x_{k,i}$$

- Minimize the sum of all  $x_{i,j}$

- Add middlebox (node  $w$ ) constraints

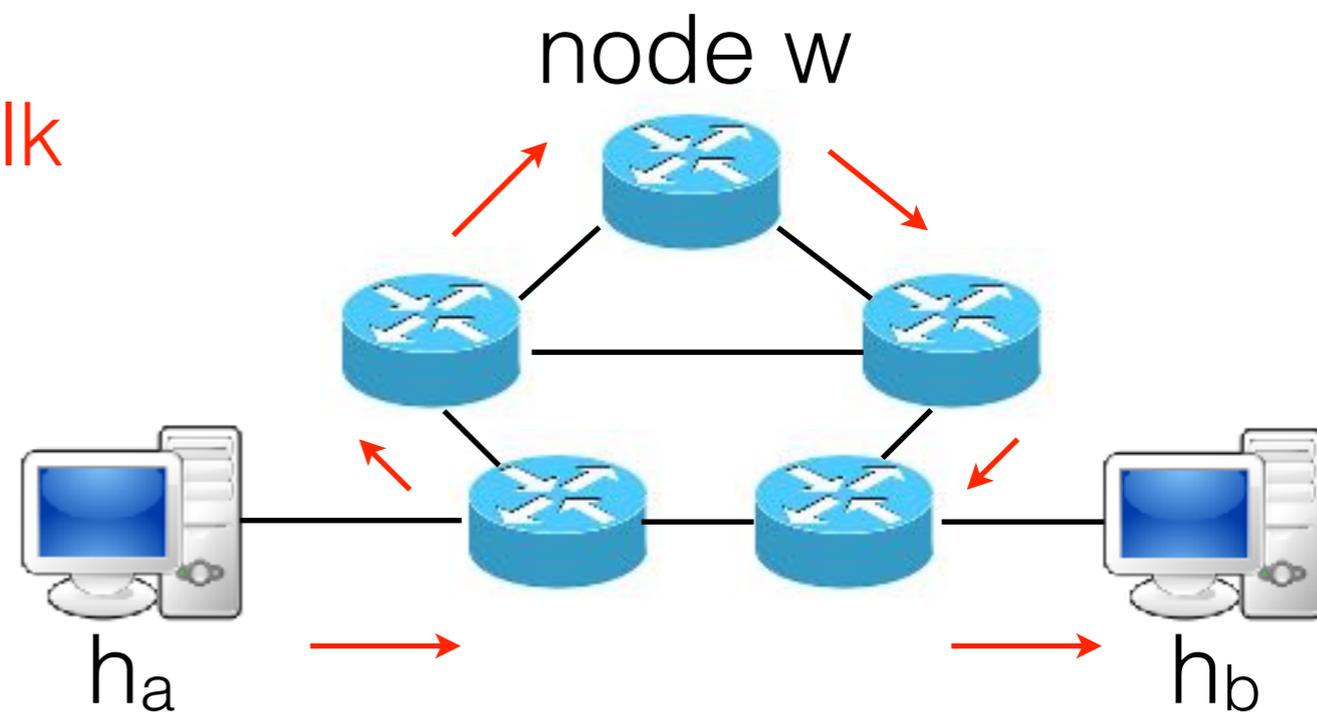
$$\exists j, x_{w,j}$$



- Solution contains a **disconnected loop!**
- We need a formulation supporting composition

# Walk-based Shortest Path Formulation

- Walk-based shortest path formulation: **Find a valid walk** from a source node  $s$  to destination node  $d$ .
- Walk formulation explicitly prevents the disconnected loop
- Now safe for composition with middlebox requirements



# Walk-based Shortest Path Formulation

$$x_{s,1} \wedge t_1$$

Source node  $s$  is scheduled first.

$$\forall i, k, x_{i,k} \wedge x_{j,k+1} \Rightarrow e_{i,j}$$

If node  $i$  is visited in step  $k$ , and  $j$  is visited in step  $k + 1$ , an edge must exist between nodes  $i$  and  $j$ .

$$\forall k, t_k \wedge \neg t_{k+1} \Rightarrow x_{d,k}$$

The last node of the walk is destination node  $d$ . The walk has exactly  $k$  steps.

$$\forall i, j, k, i \neq j \Rightarrow \neg x_{i,k} \vee \neg x_{j,k}$$

At most one node is visited in step  $k$ .

$$\forall i, k, x_{i,k} \Rightarrow t_k$$

$$\forall k, \neg t_k \Rightarrow \neg t_{k+1}$$

If node  $i$  is visited in step  $k$ , the walk has at least  $k$  steps.

$$\exists k, x_{d,k} \wedge \neg t_{k+1}$$

The destination node  $d$  exists in the path and eliminates trivial solutions.

# Safely Composing Middlebox Requirements

- Translation of hasIDS()

$\exists k, x_{w,k}$

The node  $w$  must be traversed.

$\exists k, w \in W, x_{w,k}$

One of multiple IDS nodes in set  $W$  is traversed.

$\exists k_1, k_2, x_{w_1, k_1} \wedge x_{w_2, k_2} \wedge (k_1 < k_2)$

Node  $w_1$  must be traversed prior to  $w_2$ .

# More Composition Scenarios

- Bounding link utilization
- Multi-path routing
- Soft requirements to aid conflict resolution

# Preliminary Results

- Path computation
  - Shortest-path
  - Shortest-path traversing a middlebox
- Implemented the walk-based formulation in Microsoft Z3 SMT solver (Python API)
- Evaluated with K-ary fat-tree topologies

# Running time

- Running time of finding the shortest path, and the shortest path traversing one middlebox on different K-ary fat-trees
- The performance is acceptable for moderate-sized topologies.
  - Offline phase of traffic engineering
- Much room for performance improvement

K	# of nodes	Shortest-path (sec)	1-middlebox (sec)
4	20	0.08526	0.3298
8	80	2.226	11.94
12	180	40.67	262.6
16	320	285.3	725.2
20	500	2037	3978

# Future Work

- Generality
  - Application beyond traffic engineering
- Performance
  - We demonstrated our framework with an SMT solver. It is interesting to explore the performance trade-offs with alternative solving engines, such as ILP solvers
- Source language
  - Current input language has a Prolog-like syntax
  - In the future we may consider a source level syntax more amenable to network operators such as a user defined syntax for relational operators.

# Conclusions

- In this paper, we have explored how middlebox requirements may be incorporated in traffic engineering and SDN applications in a *compositional* manner.
- We have argued that doing so requires composition *prior to* the generation of packet-forwarding policies, in contrast to current approaches that perform composition *after* packet-forwarding policies are generated.

Thanks!  
Questions?