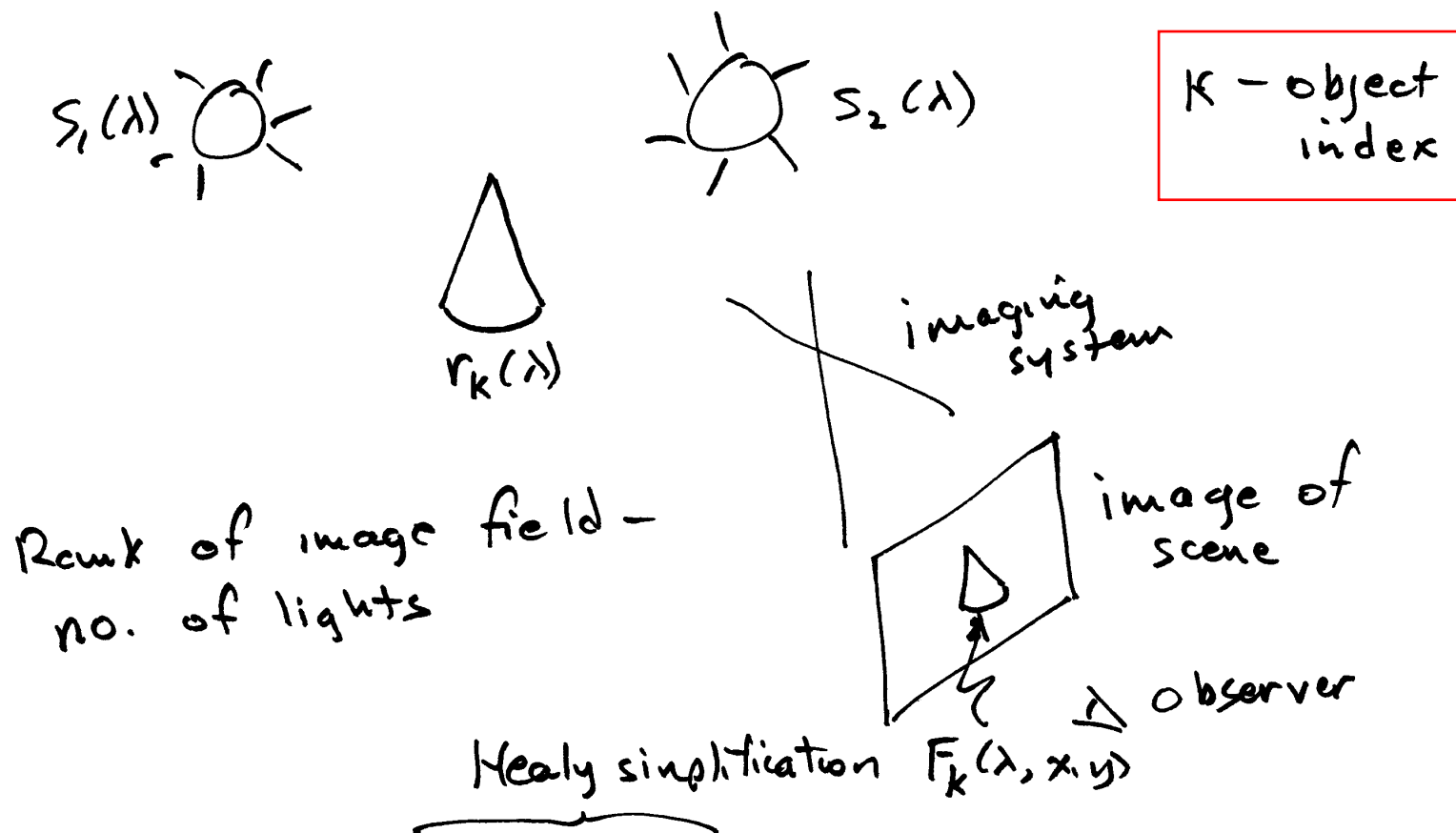


(261)

Nikolaev's framework:



$$F_k(\lambda, x, y) = g_1^k(x, y) \frac{r_k(\lambda)}{r_k(\lambda)} S_1(\lambda) + g_2^k(x, y) r_k(\lambda) S_2(\lambda)$$

no dichromatic reflection model

Sensor response for j -th channel

(262)

$$Q_j^k(x, y) = \int F_k(\lambda, x, y) q_j(\lambda) d\lambda$$

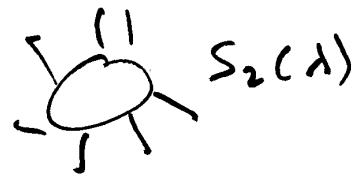
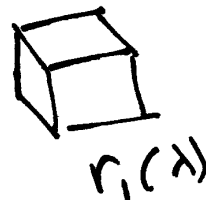
$$= q_1^k(x, y) \int S_1(\lambda) r_k(\lambda) q_j(\lambda) d\lambda$$

$$+ q_2^k(x, y) \int S_2(\lambda) r_k(\lambda) q_j(\lambda) d\lambda$$

$$j = 1, 2, 3$$

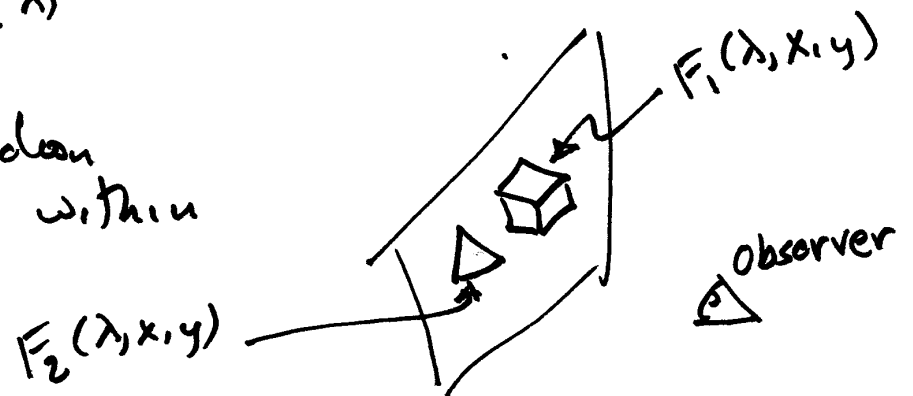
k -object
index

Segmentation



Problem

Find a discrimination function $D(x, y)$ that is constant within an object & changes from object to object



$$\vec{C}_k = \begin{bmatrix} Q_1^k(x,y) \\ Q_2^k(x,y) \\ Q_3^k(x,y) \end{bmatrix} = g_1^k(x,y) \vec{C}_k^1 + g_2^k(x,y) \vec{C}_k^2$$

$$[C_k^i]_j = \int S_i(\lambda) r_k(\lambda) q_j(\lambda) d\lambda$$

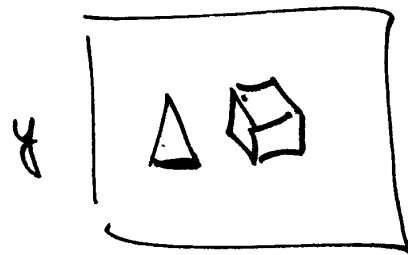
i - illuminant index

$$C_k^i = \begin{bmatrix} [C_k^i]_1 \\ [C_k^i]_2 \\ [C_k^i]_3 \end{bmatrix}$$

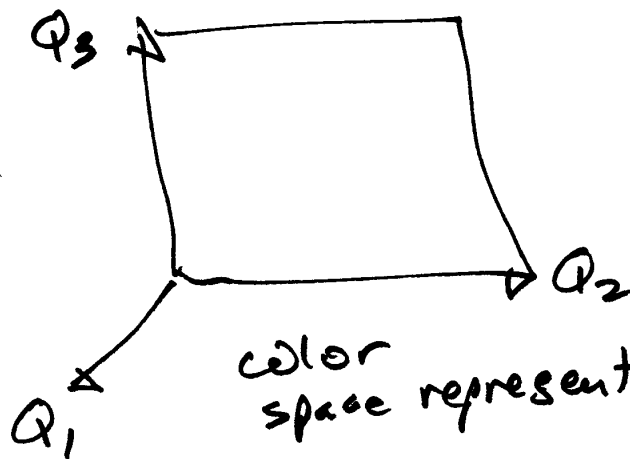
j - sensor channel index
 $q_j(\lambda)$ - response of
 j -th channel

$$\vec{C}_k(x,y) = g_1^k(x,y) \vec{C}_k^1 + g_2^k(x,y) \vec{C}_k^2$$

Within a fixed object $\vec{C}_k(x,y)$ is a linear combination of two fixed vectors $\vec{C}_k^1$ & $\vec{C}_k^2$ with spatially varying weights $g_1^k(x,y)$ & $g_2^k(x,y)$

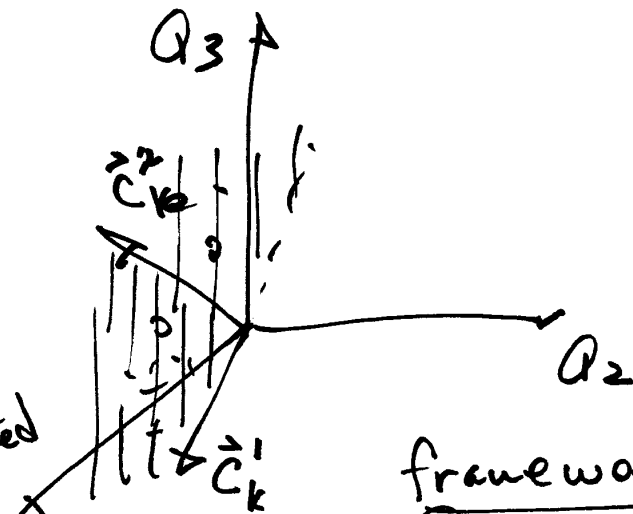


x
Spatial
representation



color
space representation

Analysis
tells that
pts from
two objects
will be
well-separated
except at
intersection
of two
planes



$$\vec{c}_k(x,y) = q_1^k(x,y) \vec{c}_k^1 + q_2^k(x,y) \vec{c}_k^2$$

framework

- ① cluster points corresponding to k-th plane
- ② Find normal to plane
- ③ Recluster based on estimated normal

~~Comparison~~
Comparison to Maloney & Wandell:

1. One illuminant
2. Single surface
3. ~~that~~ Also had two components:
 - a. specular reflection
 - b. body reflection

wanted to find illuminant

Shoji Tominaga & Brian Wandell

Use dichromatic reflection model

$$V(\theta, \lambda) = c_I(\theta) S_I(\lambda) E(\lambda) + c_S(\theta) S_S(\lambda) E(\lambda)$$

λ spectral power distribution of an object in scene

θ - spatial coordinates, geometry factors

λ - wavelength

I - "interior" body reflection term (266)
 S - "surface" - specular reflection term

assumptions

1. additivity
2. separability
3. $S_s(\lambda) = \text{constant}$

$E(\lambda)$ - illuminant

$S_T(\lambda)$ - body spectral
reflectance

$S_s(\lambda)$ - surface spectral
reflectance