

Computational color

How computer vision sees color ~~etc~~

What we can learn about physical world, i.e. illuminants & surfaces from ~~the computer~~ sensor data?

Color constancy ~~color~~

How ~~do~~ humans so successfully discount the illuminant in the world around them?

Color appearance

How can we predict the impact of surround and adaptation on the human viewer's perception of the appearance of colors?

B.A. Wandell, Foundations of Vision

- only text covering computational color issues
- bit low-level

Last class:

introduced low dimensional <sup>linear</sup> models for reflectance & illuminant

example:

If illuminant is known & surface is adequately modeled by a 3-D model (i.e. 3 basis functions), can recover surface reflectance from a single trichromatic measurement

# Interaction of light & materials

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So far: focussed completely on  
Spectral representation

$$S(\lambda) = R(\lambda) I(\lambda)$$

↑ stimulus      ↑ surface reflectance      ↑ illuminant

does not account in detail for:

- material properties
- surface geometry

Physics-based reflectance models

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Consider non-homogeneous, dielectric materials 245

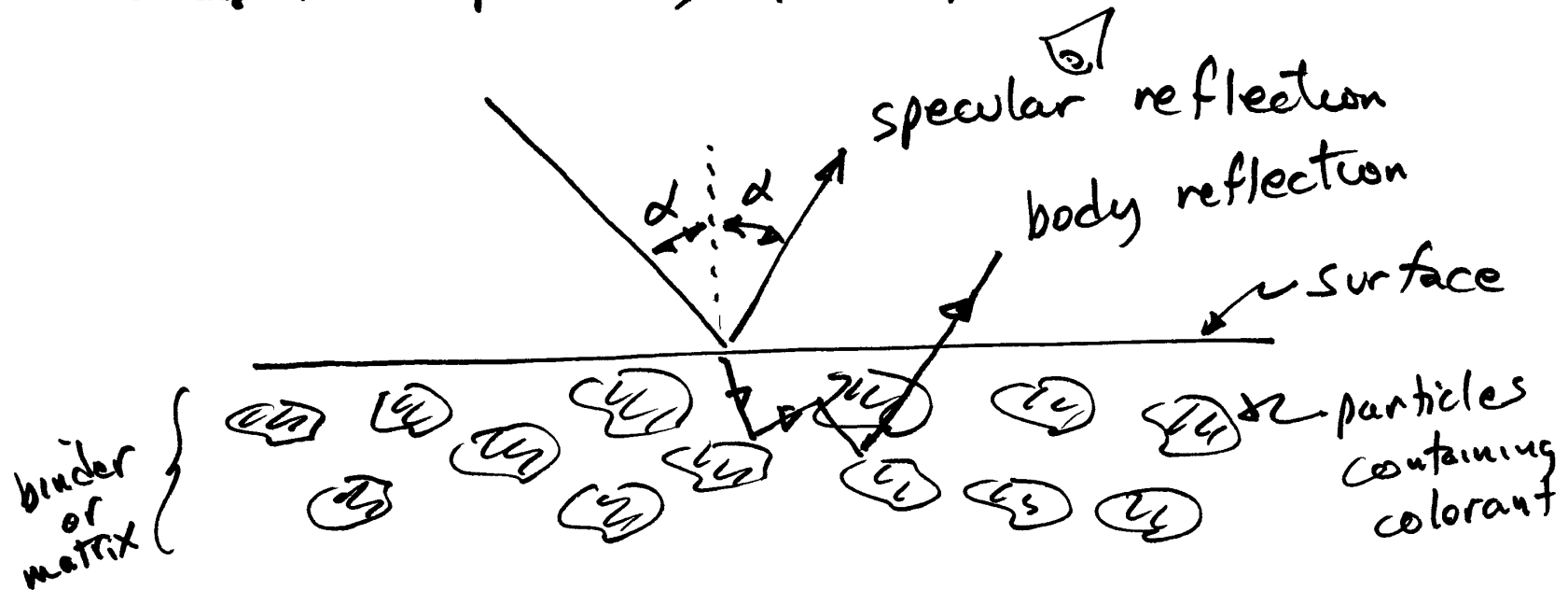
non-homogeneous

dispersion of colorant particles  
in a matrix (binder)

dielectric

non-conducting

examples plastics, paint, wood, stone



General model

$$S^p(\lambda) = S_s(g_p, \lambda) + S_B(g_p, \lambda)$$

$p$  - spatial position coordinates  $(x, y)$   
 $g_p$  - vector describing geometry of reflection  
 - at point  $p$

- angle of incidence
- angle of exiting (reflection)
- <sup>micro</sup>Surface geometry
- roughness



~ microstructure of surface

Note that this is related to the bidirectional reflectance function (BRDF) and ties in with the concept of surface appearance, which is currently an active research area, i.e. 2.5D and 3D printing!!

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$g_p$  - summarizes all structural & geometric factors in the reflectance model

$\lambda$  - wavelength

$S_s$  - surface reflection

$S_b$  - body reflection

physics:

surface reflection — Fresnel equations

body reflection — Kubelka-Munk equations



general model

$$S^P(\lambda) = S_S(g_p, \lambda) + S_B(g_p, \lambda)$$

Healey's simplification

Geometric factors defining interaction of light & surface are not wavelength dependent

thus:

$$S_S(g_p, \lambda) = m_S(g_p) S_S(\lambda)$$

$$S_B(g_p, \lambda) = m_B(g_p) S_B(\lambda)$$

geometry

wavelength-dependence

then

$$\underline{\underline{S^P(\lambda)}} = m_S(g_p) \underline{\underline{S_S(\lambda)}} + m_B(g_p) \underline{\underline{S_B(\lambda)}}$$

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Response of a trichromatic sensor  
under Healey's simplification

sensor response

$$R = \int q_R(\lambda) S^P(\lambda) d\lambda$$

$$= m_S(g_P) \underbrace{\int q_R(\lambda) S_S(\lambda) d\lambda}_{R_S} + m_B(g_P) \underbrace{\int q_R(\lambda) S_B(\lambda) d\lambda}_{R_B}$$

repeat for G, B channels of sensor

$$\begin{pmatrix} R \\ G \\ B \end{pmatrix} = m_S(g_P) \underbrace{\begin{pmatrix} R_S \\ G_S \\ B_S \end{pmatrix}}_{\text{surface color}} + m_B(g_P) \underbrace{\begin{pmatrix} R_B \\ G_B \\ B_B \end{pmatrix}}_{\substack{\text{blue} \\ \text{body color}}}$$

# Model for specular component

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$S_s(\lambda)$  - surface reflectance

recall  $I(\lambda) = E(\lambda) S_s(\lambda)$

$\uparrow$  stimulus seen by sensor  
 $\uparrow$  illuminant  
 $\uparrow$  reflectance surface

If  $I(\lambda) \equiv E(\lambda)$ , must have

$S_s(\lambda) \approx \gamma$  independent of wavelength

$$\begin{pmatrix} R_s \\ G_s \\ B_s \end{pmatrix} = \gamma \begin{pmatrix} R_E \\ G_E \\ B_E \end{pmatrix}$$

"color" or ~~tristimulus~~ vector for illuminant