*	As	\sim	result,	for	linear	systems	s, +	here is
	ah	al	ternative	L WO	y to	Ompute	the	output
	rat	<u> </u>	Suppos	e We	Know	some	-test	signals"
	7	(1)	-··, X	n &	= the	Orresp	ording	outpuls
	L	f1,	·					
							0	~)
Q	: U	shy	NSE	(21)	4 (2,3)	instea	nd of	() (

A: O Since most systems are "black boxes!" It may be hard to use the mechanism inside the black box to directly compute the output. On the other hand, it might be easier to tind the weights $\alpha_1, ..., \alpha_n$ so that We can "assemble" the new of without knowing what is inside the black box. 12) The test signals help you understand the System even before applying the real signals of interest.

Ex: If we know a image-processing program

is linear and the output of red and blue pixels are Red Sxs Green Blue Sys Blue Q: Puple > (Sys * For linear systems, once we know the outputs of the test signals, we know how to construct the output of any signal.

Q :	How to choose good/convenient test									
	How to choose good/convenient test signals?									
	Ex- R, G, B, are good choices for									
	inages									
	Q: What about other systems?									
	_									
	A:									
×	Classification of different signals									
*	Classification #1: Discrete-Time (DT) vs.									
	Continuous-Time (CT)									
	© Discrete-Time: (-valued) Real signals / Complex signals									
	%[0] =									
	X[1]=									
	,									
	•									
	$\alpha[n] =$									

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1/15/201	ization.
0 0 0 - (1	1

X(t)=

Complex

X(t)=

$$\chi(\frac{1}{3}) =$$

X(==)=

$$\chi(\pi) =$$

 $\chi(\pi) =$

Visualization

* Classification #2: By energy & by power