## CE 361 Introduction to Transportation Engineering

Homework 9 Solutions

## AIRPORT FORECASTS, CAPACITY, AND DELAY

HW Posted: Wed. 17 November 2004, HW Due: Fri. 3 December 2004
Submit this HW as a member of a group of at least two and no more than four CE361 students.

1. (20 points) Forecasting air travel using the FAA "Share Model". Forecast the total operations and total passenger traffic at Rozelle Airport for the years 2005, 2010, 2015, 2020, and 2025. Use four digits after the decimal point for ROZ's stature. Choice of Planning Factors may differ, so you provide a brief explanation for each of the values you chose and show the values clearly.

| Year | Total <br> Operations | Enplanements |
| :---: | :---: | :---: |
| 2005 | 18,033 | 139,859 |
| 2010 | 21,251 | 171,190 |
| 2015 | 24,780 | 207,060 |
| 2020 | 28,792 | 249,220 |
| 2025 | 33,029 | 295,800 |

The full Share Method spreadsheet can be seen by clicking on the link directly below the link for this document. The planning factors for Market Share (0.0170\%) and Percent Interline (46\%) were fairly obvious. The Planning Factors I chose for Departing Seats (+0.5/year for 20 years), Load Factor (80\%), and Percent GA (70\%) were judgments I made based on the last
5 years or so of data. Seats grew 0.6/year over the last 5 years, LF fluctuated above and below 80\%, and GA grew steadily past 70\%, but I did not think it would continue to grow faster than Commercial Operations.
2. Airport capacity and delay.
A. Capacity with VFR. Use the format of Table 11.16. Use VFR spacings called for in footnote to Table 11.13. See changes in "Sep. Std." in table below.

| Lead Aircraft Type | Trail Aircraft Type | Case | Sep. Std. delta (n. mi.) | $\begin{gathered} V(L) \\ \text { (knots) } \end{gathered}$ | $\begin{array}{r} V(T) \\ \text { (knots) } \end{array}$ | $\begin{gathered} T(L T) \\ \text { Total } \\ \text { (sec.) } \end{gathered}$ | Probab. of Lead Aircraft | Probab. of Trail Aircraft | Weighted Time (sec.) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| H | H | 1 | 2.7 | 150 | 150 | 64.8 | 0.10 | 0.10 | 0.65 |
| L | L | 1 | 1.9 | 120 | 120 | 57 | 0.70 | 0.70 | 27.93 |
| S | S | 1 | 1.9 | 100 | 100 | 68.4 | 0.20 | 0.20 | 2.74 |
| L | H | 2 | 1.9 | 120 | 150 | 45.6 | 0.70 | 0.10 | 3.19 |
| S | H | 2 | 1.9 | 100 | 150 | 45.6 | 0.20 | 0.10 | 0.91 |
| S | L | 2 | 1.9 | 100 | 120 | 57 | 0.20 | 0.70 | 7.98 |
| H | L | 3 | 3.6 | 150 | 120 | 138 | 0.10 | 0.70 | 9.66 |
| H | S | 3 | 4.5 | 150 | 100 | 222 | 0.10 | 0.20 | 4.44 |
| L | S | 3 | 2.7 | 120 | 100 | 127.2 | 0.70 | 0.20 | 17.81 |
|  |  |  |  |  |  |  |  |  | 75.31 |

Capacity $=3600$ sec per hour/75.31 sec per landing $=47.80$ landings per hour.
B. Mean delay if $\lambda=34 / \mathrm{hr}, \mu=50 / \mathrm{hr}$, and $\sigma=20 \mathrm{sec}$. Use (11.6) to get $W_{a}=0.88 / 0.64=1.37$ minutes. What is the maximum number of arriving aircraft that the airport can receive in an hour, while maintaining a mean delay of no more than 0.5 minutes? Putting (11.6) into spreadsheet and using Solver, $\lambda=21.83$ produces $W_{a}=0.5$ minutes.
3. Airport capacity with a known sequence of operations. Expected sequence of operations at ROZ beginning 5:30PM today: Ld, Sd, La, Sa, Ld, La, Sa, La, Sd, Ld, La, Hd
A. (12 points) Create a table just like Table 11.18 that summarizes the time between operations for each pair of consecutive aircraft. What is the total elapsed time between the first and last
operations listed above? See Table 3A below. Use IFR with $\gamma=5 \mathrm{~nm}$.

Table 3A Summary of operations times for Problem 3

| $\begin{aligned} & \mathrm{Op} \\ & \mathrm{Nr} \end{aligned}$ | Op | approach speed (kt) | Item in Table 11.17 or equation used | Time for op (sec.) | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Ld |  | Rules 3 and 4 | $5+45$ | to enter runway and take off |
| 2 | Sd |  | Rule 7 | 60 | After Ld takes off |
| 3 | La | 120 | Rule 5 eqn, R6 | $60-45=15$ | After Sd takes off |
| 4 | Sa | 100 | (11.5) | 174 | After La touches down |
| 5 | Ld |  | R2,R3,R4 | $45+5+45$ | After Sa touches down |
| 6 | La | 120 | Rule 5 eqn, R6 | $60-45=15$ | After Ld takes off |
| 7 | Sa | 100 | (11.5) | 174 | After La touches down |
| 8 | La | 120 | (11.4) | 90 | After Sa touches down |
| 9 | Sd |  | R2,R3, R4 | $45+5+45$ | After La touches down |
| 10 | Ld |  | Rule 7 | 60 | After Sd takes off |
| 11 | La | 120 | Rule 5 eqn, R6 | $60-45=15$ | After Ld takes off |
| 12 | Hd |  | R2,R3, R4 | 45+5+45 | After La touches down |
|  |  |  |  | 938 | 15.63 minutes total |
|  |  |  |  | 78.17 | average time per op |

B. (8 points) What is the capacity (ops/hr) of ROZ during the period studied? $3600 \mathrm{sec} / 78.17$ sec $/ o p=46.05 \mathrm{ops} / \mathrm{hr}$
4. Runway configurations and capacity. ROZ's operations are expected to be $42 \%$ Class $\mathrm{A}, 8 \%$ Class B, 32\% Class C, and 18\% Class D aircraft.
A. (10 points) Calculate the Mix Index. $\mathrm{MI}=32+(3 * 18)=86$. Runway configuration is No. 1. What will ROZ's Hourly Capacity be under VFR and IFR conditions? In Figure 11.23, MI=86 $\rightarrow$ 56 ops/hr under VFR and 53 ops/hr under IFR. What will ROZ's ASV be? MI=86 $\rightarrow$ ASV=210,000 ops/year.
B. (10 points) If 157,000 operations in that year, calculate ROZ's Delay Factor for that year. (11.9) $D F=157,000 / 210,000=0.748$. Use Fig 11.24 to estimate average aircraft delay. Read up from ratio $=0.748$ to dotted line in figure, then to left scale. Average delay approx. 0.8 minutes .
5. Runway length and takeoff weight. Elevation 2000 ft , temperature $90^{\circ} \mathrm{F}$. 7000 -foot runway with one end of the runway 23 ft higher than the other.
A. (2 points) What is MATOW at 2000 ft and $90^{\circ} \mathrm{F}$ ? In top third of Table 11.23, MATOW $=188,700$ lbs. What is the Ref Factor at 2000 ft and $90^{\circ} \mathrm{F}$ ? In middle third of Table 11.23, $R=74.7$.
B. (4 points) How long must the runway be for the MATOW found in Part A? MATOW = 188, 700 lbs and $R=74.7 \rightarrow 10,670 \mathrm{ft}$. effective length by interpolation in bottom third of Table 11.23.

| Interpolation table: |  | $R$ |  |  |
| ---: | ---: | ---: | ---: | ---: |
| Table 11.23C |  | 68 | 74.70 | 78 |
|  | 185 | 9.25 | 10.23 | 10.71 |
|  | 188.70 |  | 10.67 |  |
|  | 190 | 9.78 | 10.83 | 11.35 |

What is the MATOW for the current runway at ROZ? FTE p. 607: Effective length $=7000$ $(23 * 10)=6770 \mathrm{ft}$. In bottom third of Table 11.23, interpolate to find MATOW = 151.960 lbs ., given this effective length:

Interpolation table:

| Table 11.23C |
| ---: |
| 150 |
| 151.96 |
| 155 |

68
6.02
6.44
$R$
74.70

78
6.59
6.87
6.77
$7.05 \quad 7.35$
C. (14 points) How many passengers can be carried to an airport 400 miles away, given the current runway? Show the steps in your analysis.

| Step | Ibs. |  |
| ---: | ---: | :--- |
| A | 151,960 | min MATOW |
| B | 109,210 | OEM + reserve fuel |
| C | 42,750 |  |
| D | 8,800 | fuel use |
| E | 33,950 | left for pax |
| F | 169.75 | passengers |
| G | 162 | passengers |

Steps explained:
A. MATOW from Part B of this problem
B. OEM + reserve fuel from Table 11.24
C. Subtraction, $A-B=C$
D. 400 mi at $22 \mathrm{lb} / \mathrm{mi}=8,800 \mathrm{mi}$
E. Subtraction, $C-D=E$
F. $33,950 \mathrm{lbs}$ at $200 \mathrm{lbs} / \mathrm{pax}=169.75 \mathrm{pax}$
G. Aircraft holds max 162 pax.

