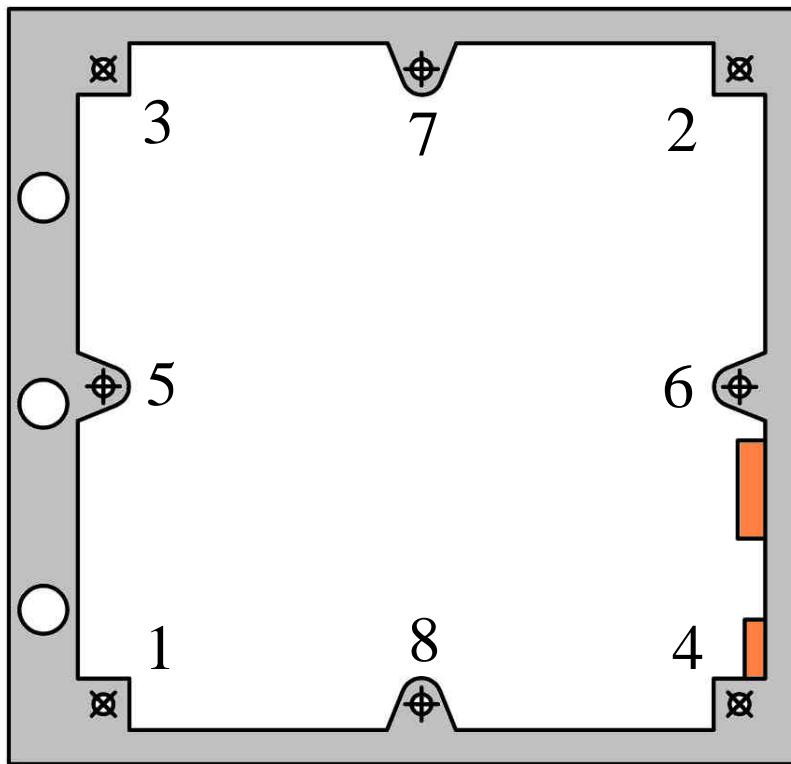


Fiducial Measurement



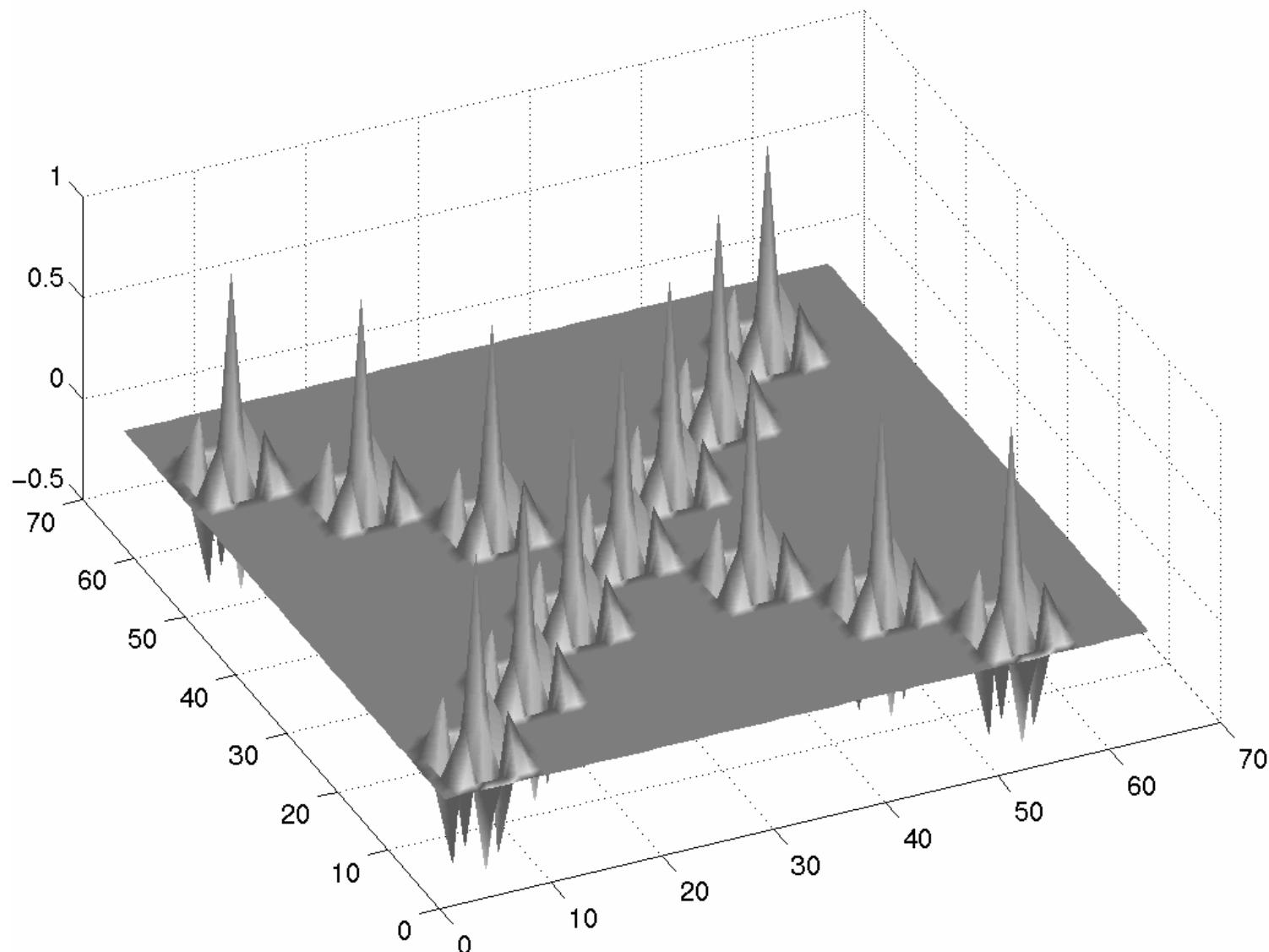
Get the correct correspondence between what you measure and its coordinates

Well defined camera fiducial marks suggest that matching/automation could be used to locate



Correlation Matching of Signalized Points

Result of Cross Correlation of Image and Target Kernel



Transform Calibrated XY to row, column

$$r = a_0 + a_1 X + a_2 Y$$

$$c = b_0 + b_1 X + b_2 Y$$

Rearrange with unknown vector

$$\begin{bmatrix} r \\ c \end{bmatrix} = \begin{bmatrix} 1 & X & Y & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & X & Y \end{bmatrix} \begin{bmatrix} a_0 \\ a_1 \\ a_2 \\ b_0 \\ b_1 \\ b_2 \end{bmatrix}$$

Six Parameter Transformation

but we must apply in the OTHER direction

so, invert

$$\begin{bmatrix} X \\ Y \end{bmatrix} = \begin{bmatrix} a_1 & a_2 \\ b_1 & b_2 \end{bmatrix}^{-1} \left[\begin{pmatrix} r \\ c \end{pmatrix} - \begin{pmatrix} a_0 \\ b_0 \end{pmatrix} \right]$$

Q. Why not write & solve directly in the form we want to use?

for example,

$$X = a_0 + a_1r + a_2c$$

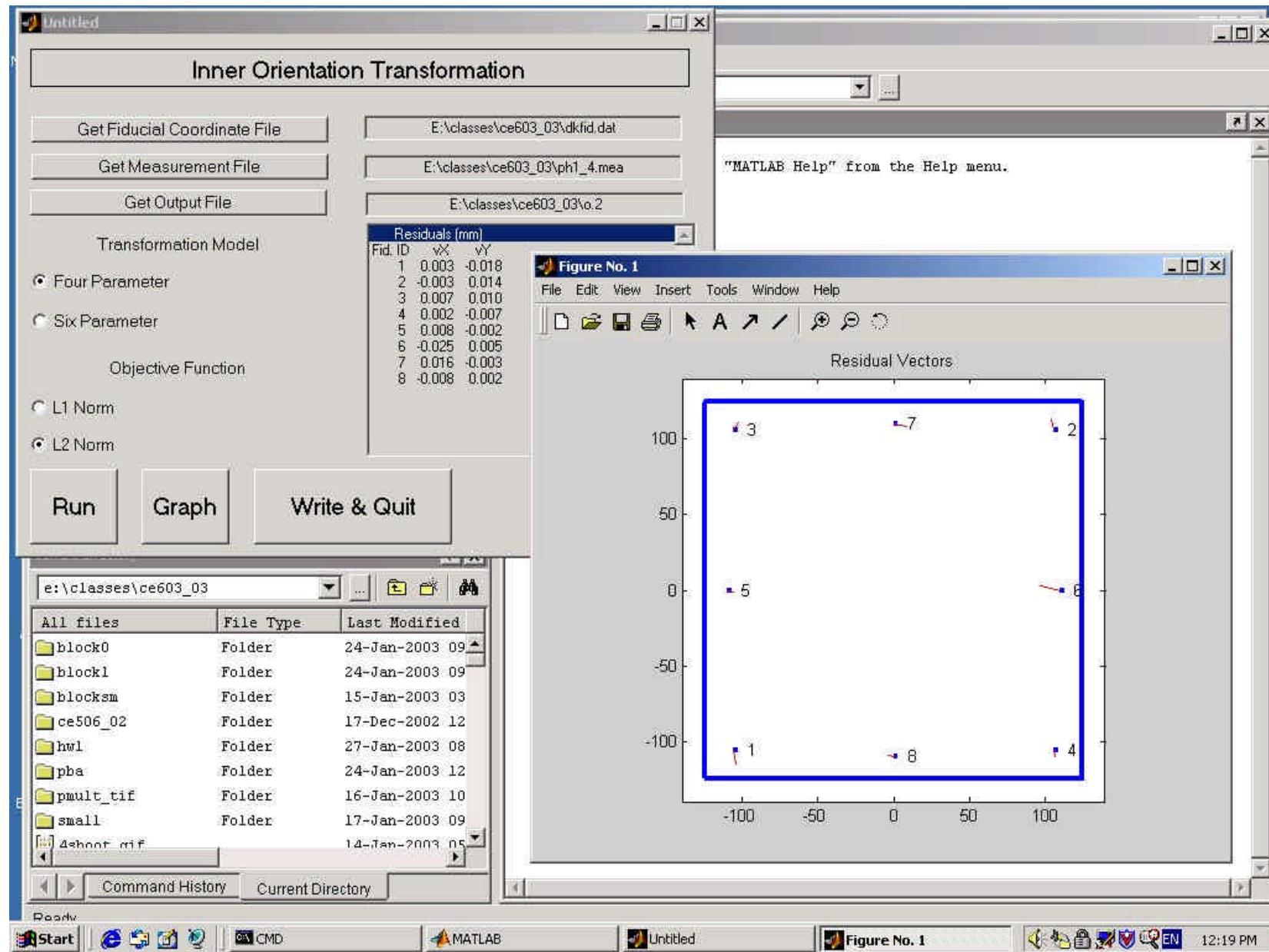
$$Y = b_0 + b_1r + b_2c$$

in matrix form,

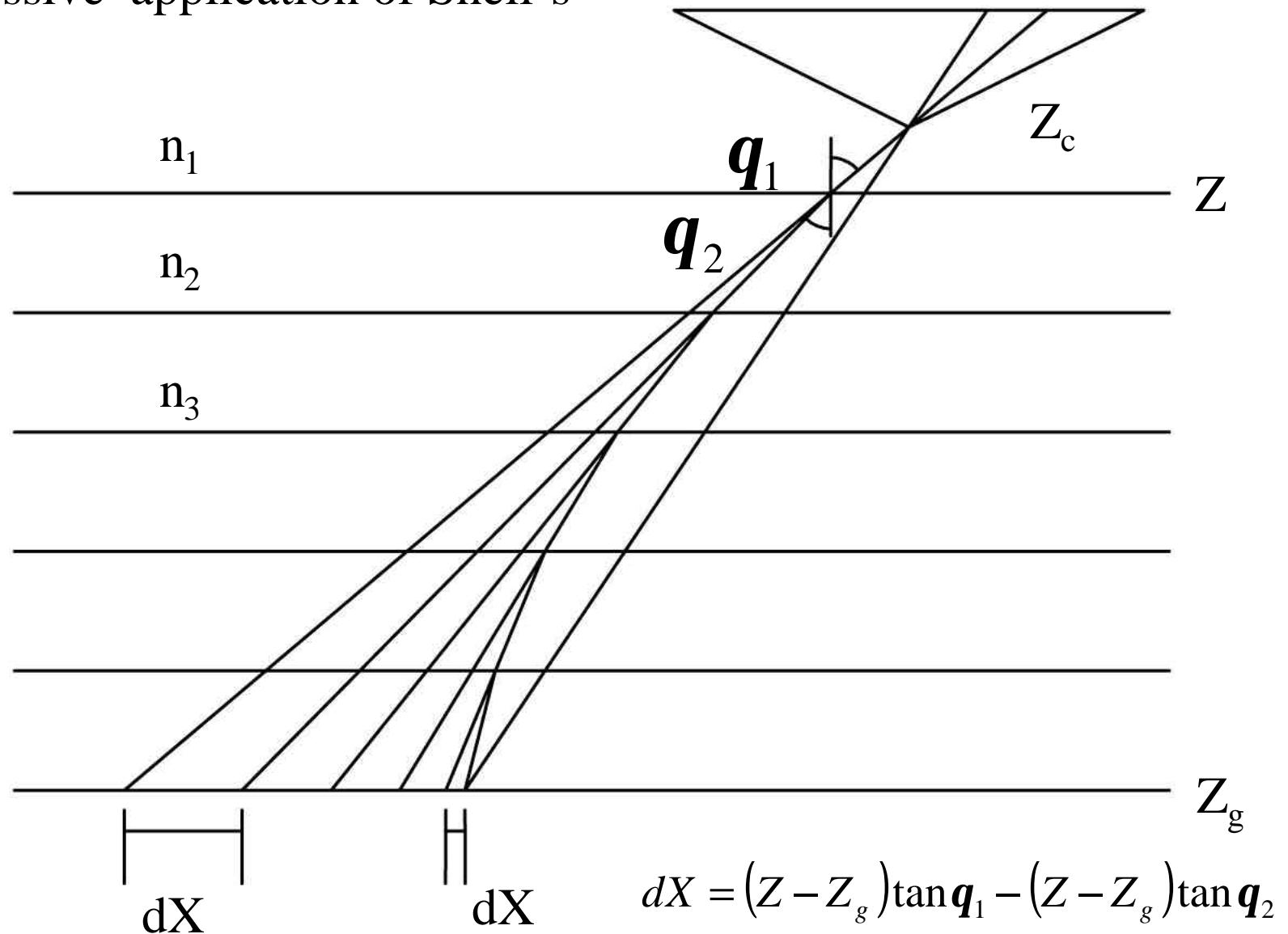
$$\begin{bmatrix} X \\ Y \end{bmatrix} = \begin{bmatrix} 1 & r & c & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & r & c \end{bmatrix} \begin{bmatrix} a_0 \\ a_1 \\ a_2 \\ b_0 \\ b_1 \\ b_2 \end{bmatrix}$$

Don't we save the inversion step by this approach?

MATLAB GUI to Compute & Apply 2D Coordinate Transformation



Atmospheric Refraction from the successive application of Snell's Law



chme8

chme1



ChemEngr. Roof Points for Terrestrial block

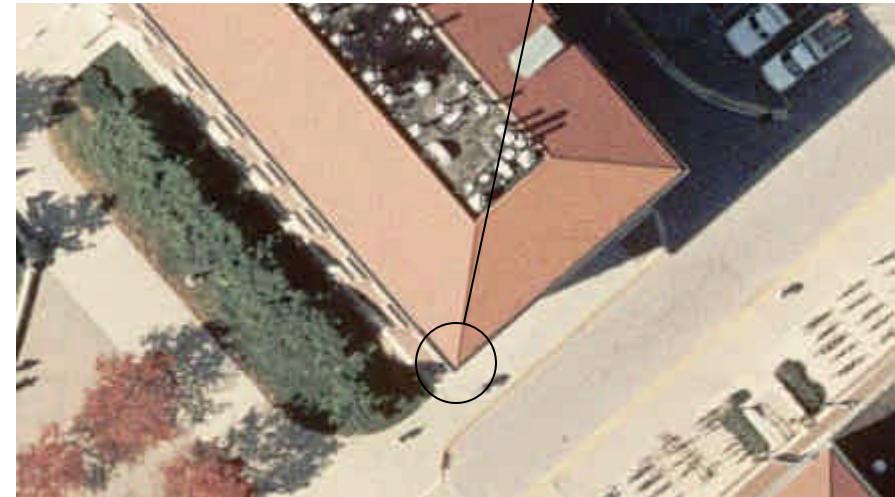
chme2

chme3

chme5

Outer corner of gutter

chme5



chme7

chme6