Photo 2 Homework 2, due Friday 19 Feb

- 1. Write two matlab functions, one to convert a state vector (ECI) into kepler elements, and another to convert kepler elements into the corresponding state vector (ECI). Use the algorithms given in class. Demonstrate functionality by converting the given state vector to kepler elements and back (you should get what you started with) (5120116.9051000001, 371080.7105000000, 4579618.9369000001, 4891.8051000000, -1681.3341000000, -5586.9748000000) Units are meters and meters per second, data from satellite EROS-A. Note: you will use these functions for subsequent tasks.
- 2. The following state vector is given for Worldview-1 in ECF at the given time in UTC. Use the supplied matlab functions to convert this to an ECI state vector. (236729.708388, -5193196.562968, 4488000.563859, -1461.122913, -4984.744868, -5674.861645), 2008-07-01 (1-July-2008) 16:44:21.171960(Z)
- 3. Starting at the point given in problem 2, plot the ground track of the orbit trajectory for two days, at intervals of one minute, overlaid on the supplied world coastline data set. Plot coastline in blue, day 1 in red, day 2 in green.

```
wv1_orb.m
% wv1_orb.m 12-feb-10
% code template for initial part of plotting satellite
% ground track for worldview-1
% if you want details of the ecf <=> eci transformation,
% see references: tapley, schutz, born or montenbruck
% define state vector (ecf) for worldview ephemeris point #1
% date/time (year/month/day time(seconds of day)) given for WV1 eph #1 % time: hr*3600 + min*60 + s
M=
D=
ŪTC=
% get data from www.iers.org
% from bulletin B, time and polar motion
UT1_m_UTC=
=qx
yp=
% from bulletin C,cumulative leap seconds
UTC_m_TAI=
\% fixed constant time shift TT_m_TAI = 32.184; \% (s)
% compute julian day from date tsecperday=24*60*60; Df=D+TT/tsecperday;
JD=jd(Y, M, Df)
% julian century
T=(JD-2451545)/36525;
% compute precession and nutation (1980 model)
P=precession(T);
[N, ep, del psi]=nutation(T);
JDu=j d(Y, M, D);
Tu=(JDu-2451545)/36525;
IT1
UT1=UTC + UT1_m_UTC;
% UTC, UT1 in time seconds
% compute greenwich apparent sidereal time GAST=compGAST(Tu, ep, delpsi, UT1);
% compute THETA and PI
THETA=
% compute R FI for Xecf = R FI * Xeci
% convert state vector Xecf to state vector Xeci
% get kepler elements (your function)
% loop: advance time and satellite position and earth position % save satellite ground position in "plot vector", then % filter and plot - see posted detailed algorithm
```

Algorithm for plotting satellite ground track for WV-1 (see wv1_orb.m for preliminaries)

```
Get initial point in ECF
Compute GAST and P,N,\theta,\pi
Convert point to ECI
Convert to Kepler: a,e,\Omega,\omega,i,f
Get auxilliary orbit info: \tau, t_p, \Delta_{PS}, n, t (sec
of day)
Current GAST, (radians): g
Loop for 2 days at 1 minute interval
t = t + increment
if (t - t_p) > \tau then
   t_{\rm p} = t_{\rm p} + \tau
Compute M, E, f (new one)
Kepler to state vector
g = g + increment * (366.2524/365.2524)
\Theta = R_3(g) (new)
P, N, \pi stay the same
New R
Convert ECI to ECF, position only
Scale FCF vector to nominal earth radius
[\phi, \lambda, h] = xyz2geo(X,Y,Z)
Convert \lambda and \phi to degrees
```

```
Save plot points in arrays px, py (units are
decimal degrees)
When finished filling in px,py,
Loop through all px, py starting at #2
Only plot line segment if
   |py_i| < 85 (it's crowded at poles)
   py_i < py_{i-1} (plot only descending pass)
   |px_i - px_{i-1}| < 180 (avoid wrap around)
If day one
Plot([px(i-1) px(i)],[py(i-1) py(i)],'r-');
If day two
Plot([px(i-1) px(i)],[py(i-1) py(i)],'g-');
Get useful matlab and datafiles from
orbit.zip
Load coast
Plot(long,lat,'b-');
Axis equal
(Note: used "f" instead of "v" for true
```

anomaly for this slide)