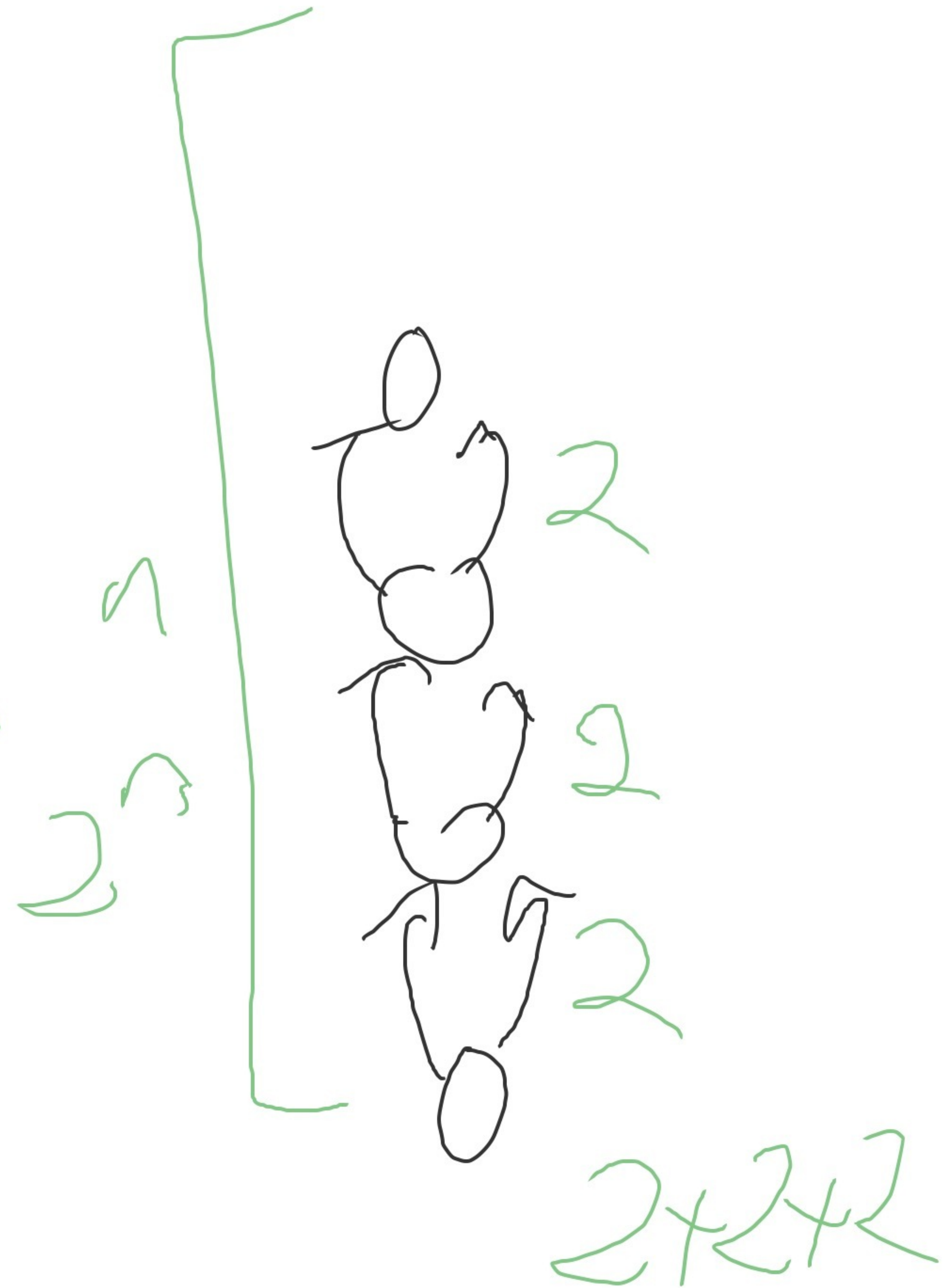


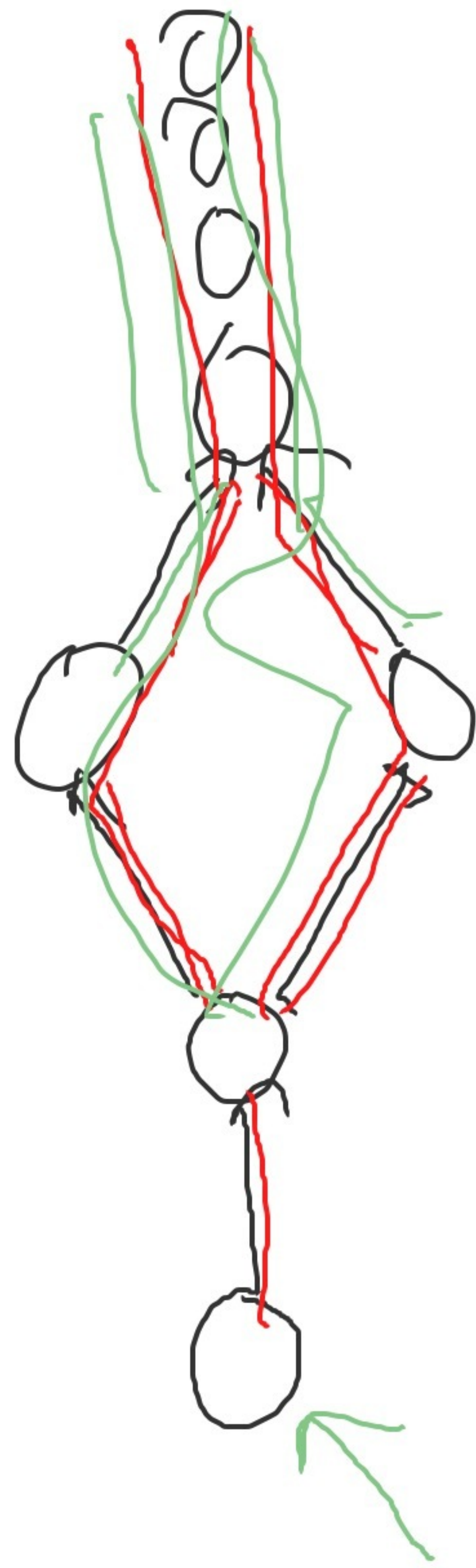
① determine fanout

② initialize wts (gradients)
set to zero

③ backpropagation
backward
reverse

pass
phase
sweep





① upon creating a vertex
set farout to zero

② increment farout
each time process vertex

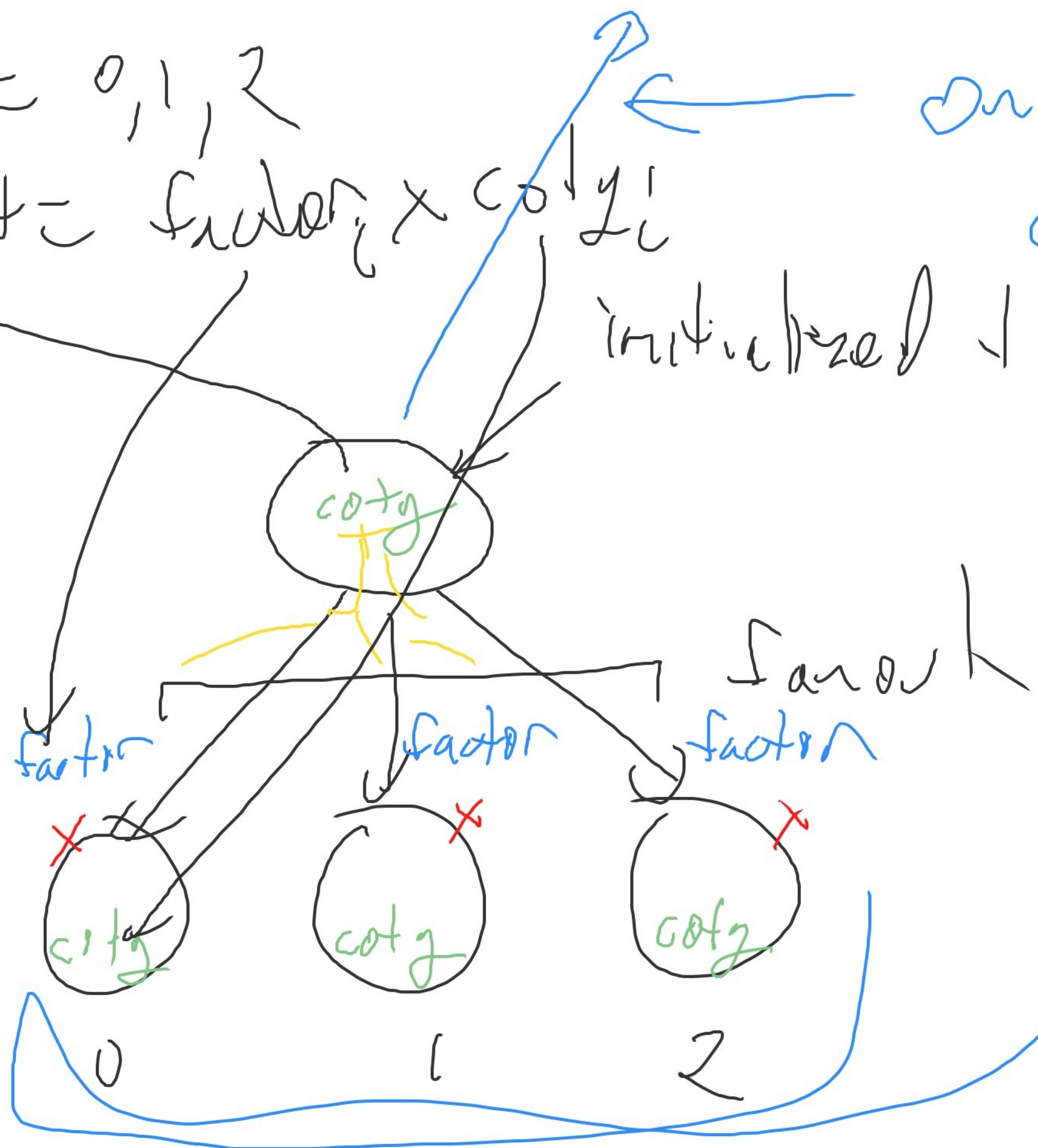
③ only when incrementing,
don't zero to one
process children

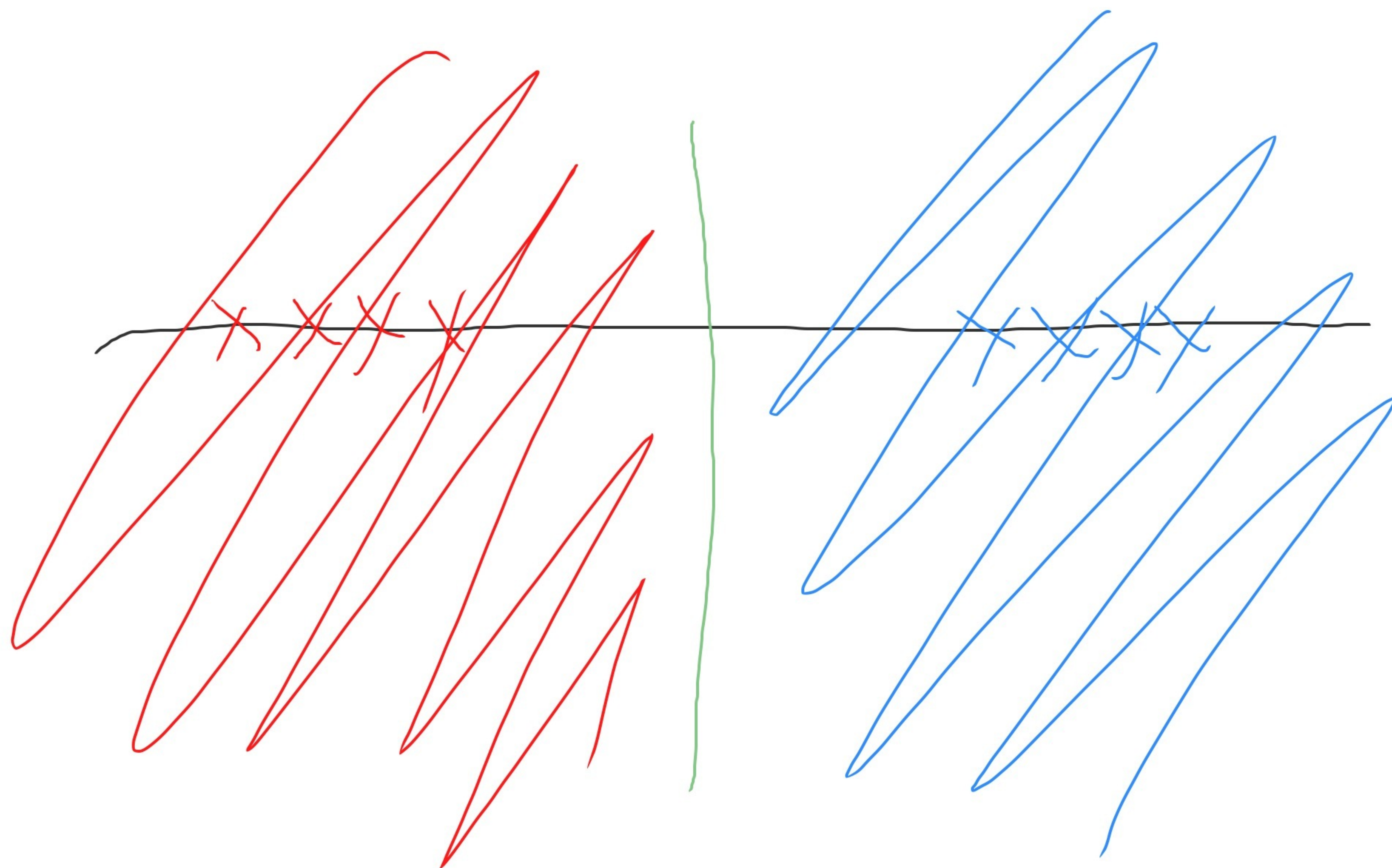
for $i = 0, 1, 2$

$$cotg_{i+1} = factor_i \times cotg_i$$

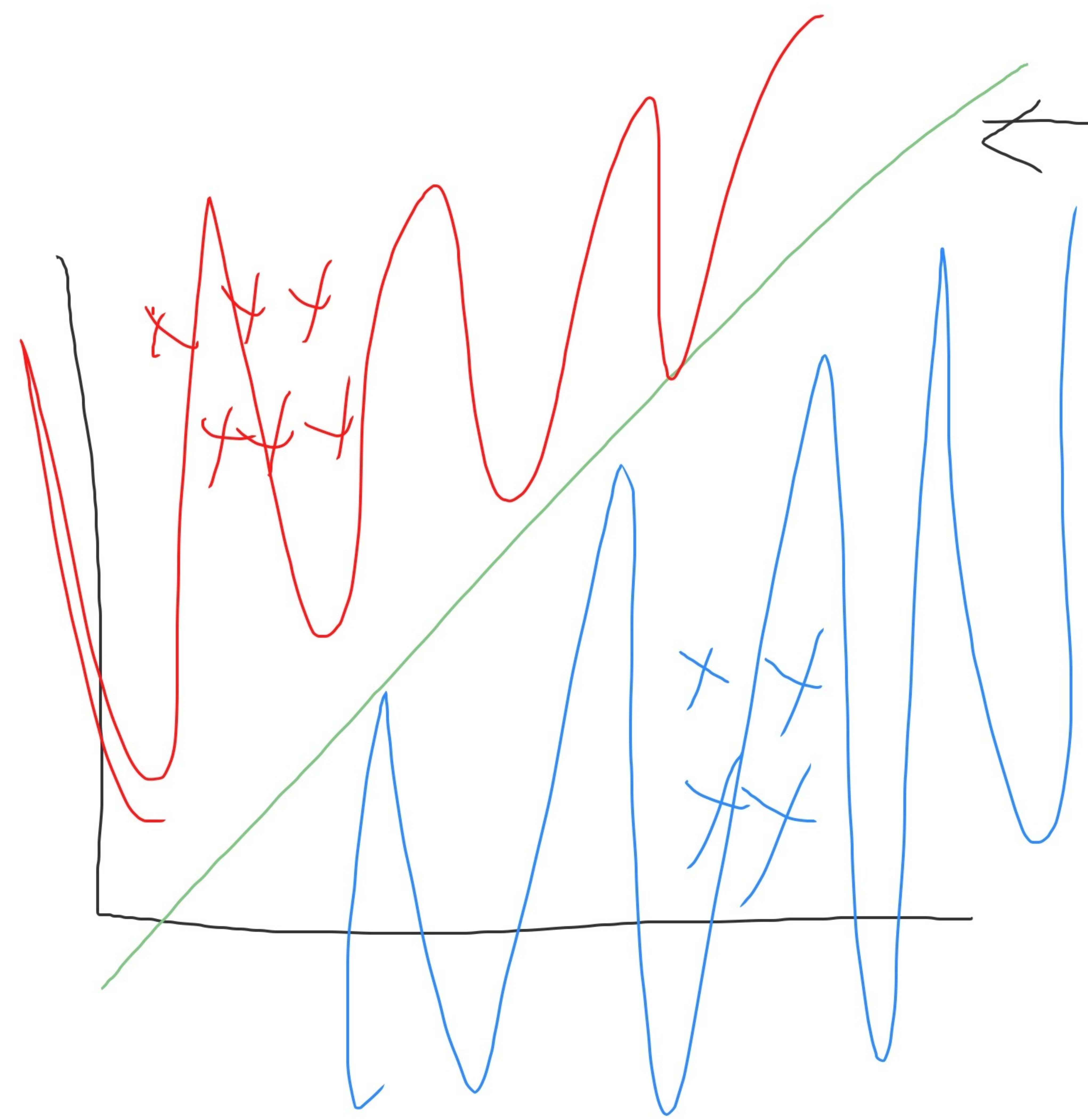
only action
all these

initialized to zero





x
 $a \cdot x + b$
 > 0
 ≤ 0



parameters
 $y = ax + b$
model

$$M(x; \overbrace{a, b}^{\theta}) \quad y = M(x; \theta)$$

x_1
x_2
\vdots
x_n

samples

y_1
y_2
\vdots
y_n

labels

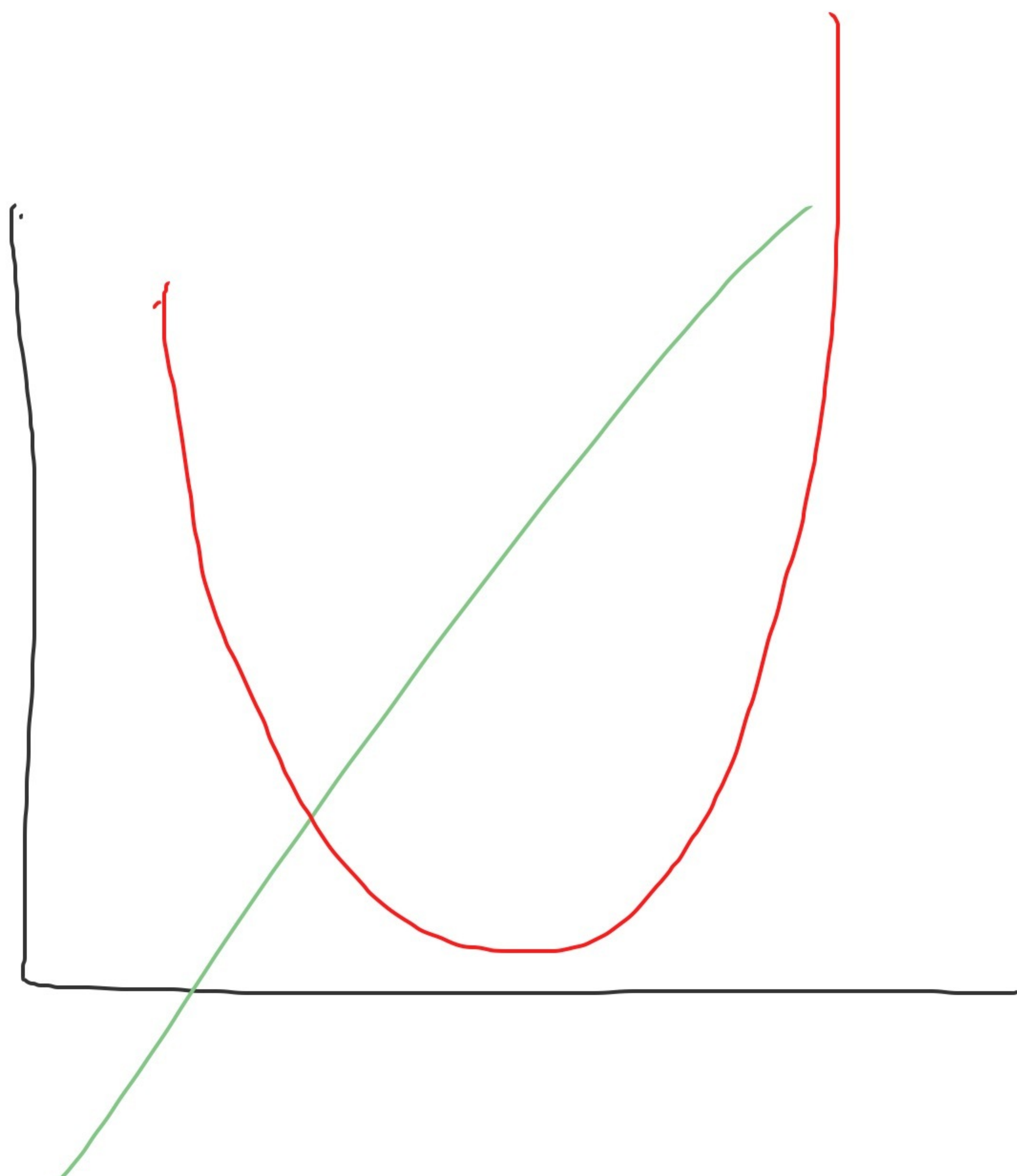
$M(x_1; \theta)$
$M(x_2; \theta)$
\vdots
$M(x_n; \theta)$

predictions

$$\min_{\theta} \sum_{i=1}^n (y_i - M(x_i; \theta))^2$$

$$M(x, a, b) =$$

$$a \cdot x + b$$



$$ax^2 + bx + c$$

$$x^T Ax + b^T x + c$$

Newton Raphson

$$\theta \leftarrow \theta - \frac{f(\theta)}{f'(\theta)}$$

$$f(\theta) = 0$$

\nearrow

g'

Newton

$$\theta \leftarrow \theta - \frac{g'(\theta)}{g''(\theta)}$$

$$\arg \min_{\theta} g(\theta)$$

$$\vec{u} + \vec{v}$$

$$k\vec{v}$$

$$\vec{u} - \vec{v} = \vec{u} + (-1)\vec{v}$$

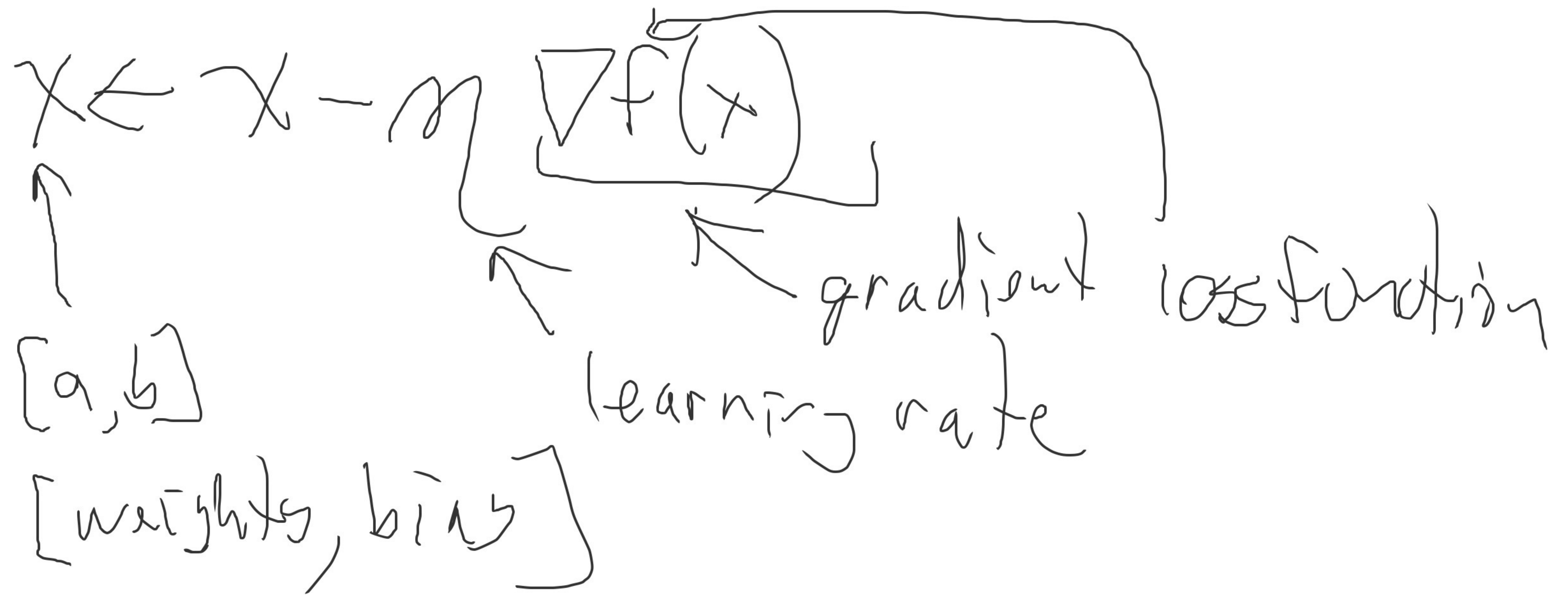
$$\vec{u} \cdot \vec{v}$$

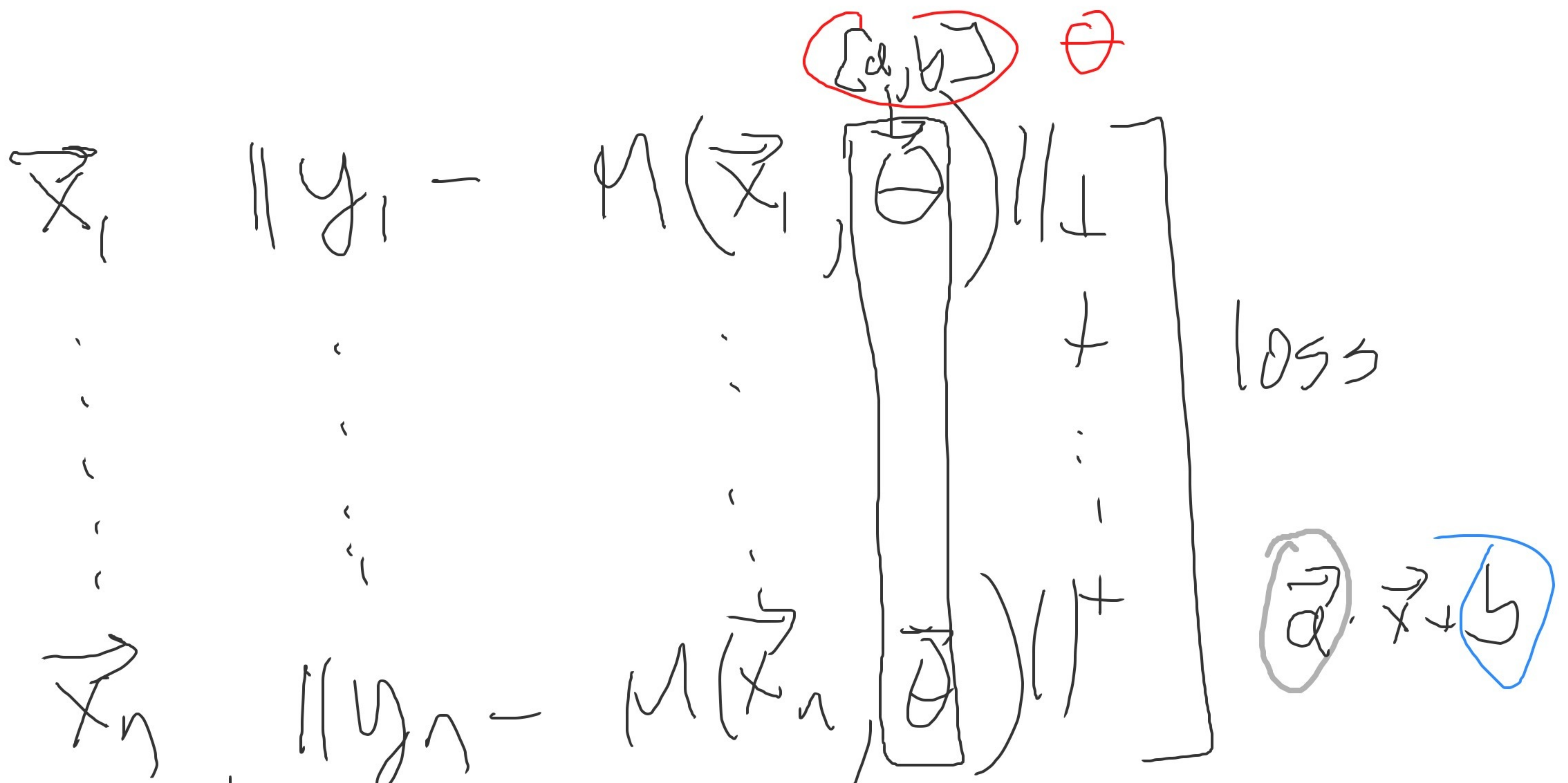
$$\|\vec{u}, \vec{v}\| \propto (\vec{u} \cdot \vec{v}) \cdot (\vec{u} - \vec{v})$$

naive gradient descent

$$x \leftarrow x - \eta f'(x)$$

$$M(\vec{x}; \begin{matrix} 0 \\ \vec{a}, \vec{b} \end{matrix}) = \vec{a} \cdot \vec{x} + b$$



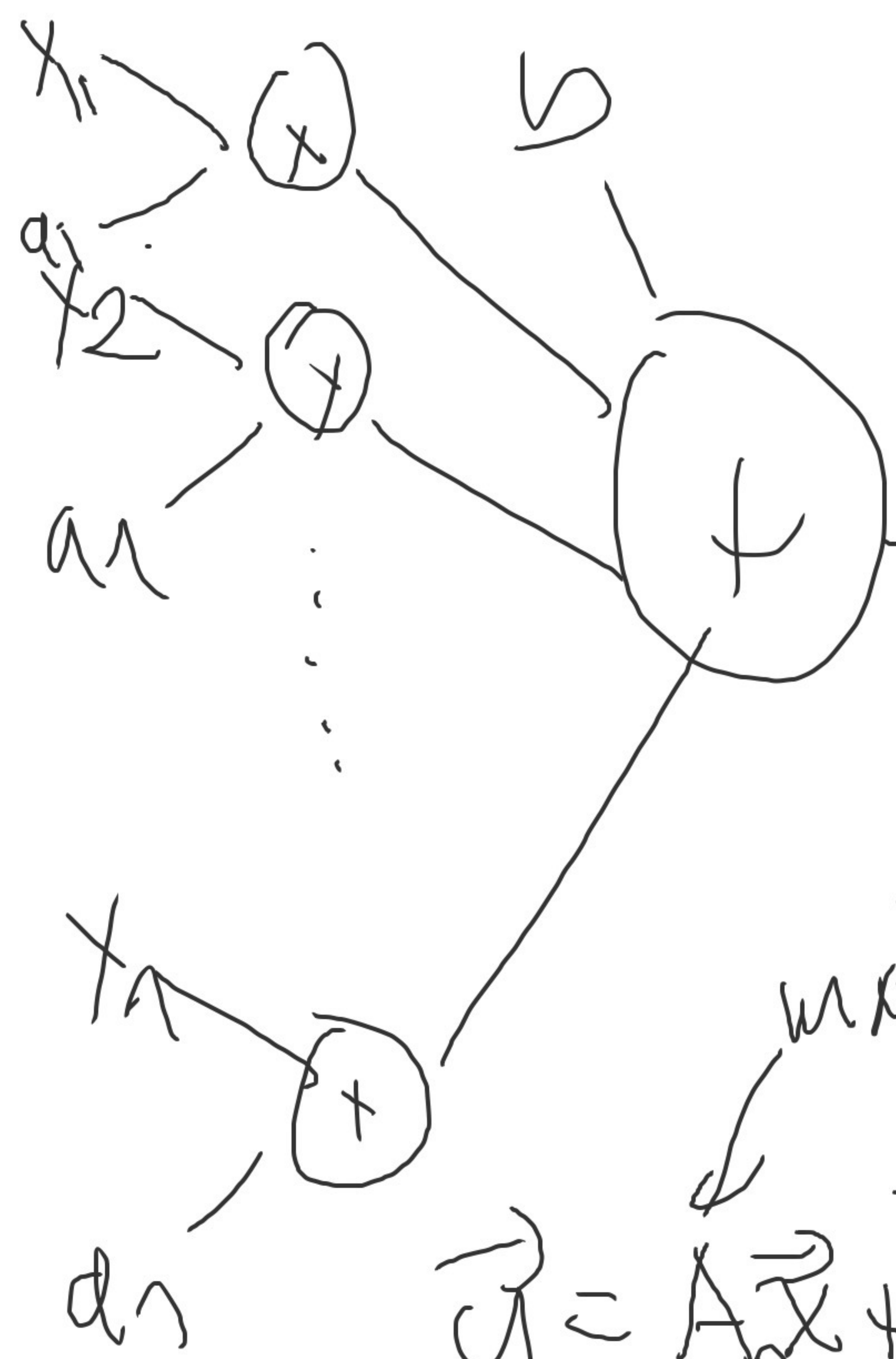


$$f(\theta) = \sum_{i=1}^n \|y_i - M(X_i, \theta)\|^2$$

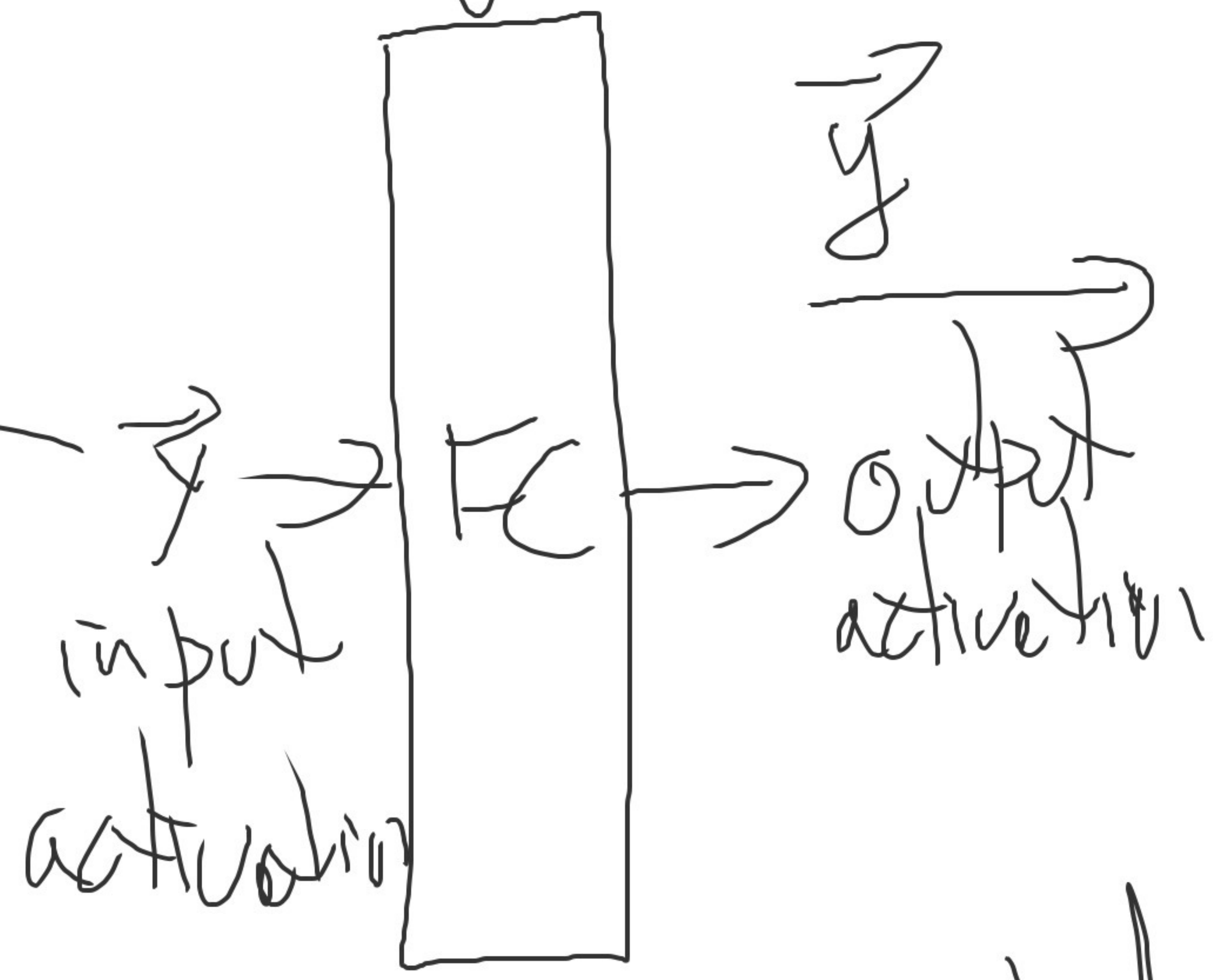
$$f(\vec{\theta})$$

$$\vec{\theta} \leftarrow \vec{\theta} - \eta \nabla_{\theta} f(\vec{\theta})$$

$\vec{a}, \vec{y}, \vec{b}$



weight bias
(parameters)
 \vec{a}, \vec{b}



matrix
 $\vec{y} = A\vec{x} + \vec{b}$
matrix multiplication

fully-connected

