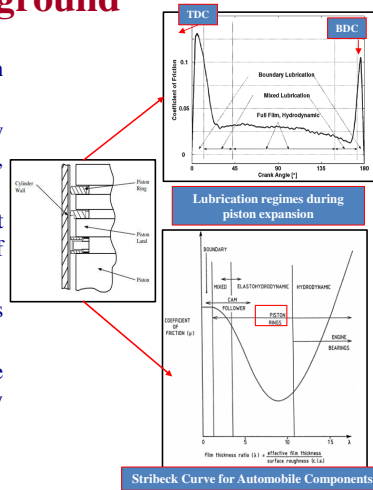


Motivation & Background

- Piston rings – provide sealing between the combustion chamber and crankcase to minimize oil and fuel transfer
- Boundary Lubrication at BDC and TDC (high load, low speed, high COF) – asperity contact, higher wear, reduced sealing ability
- Excessive wear of piston ring-cylinder liner contact leads to increased oil consumption and blowby of combustion gases into the crankcase
 - Potential risk of explosion in Hydrogen IC Engines (H₂ICE) due to dissolved Hydrogen in oil.
- **Objective** – To investigate the wear preventive performance of engine lubricants under boundary lubrication in different environments (H₂ in particular)

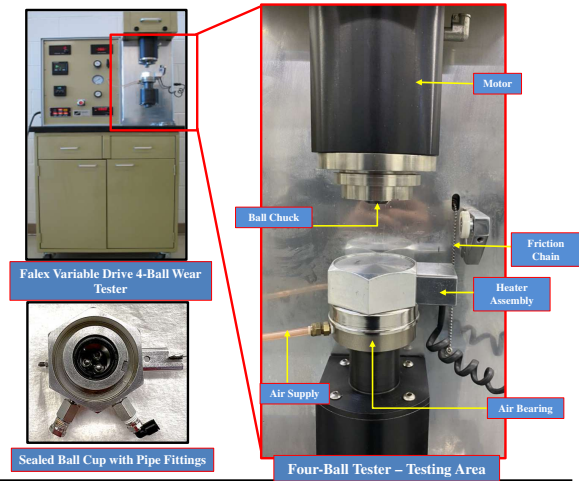
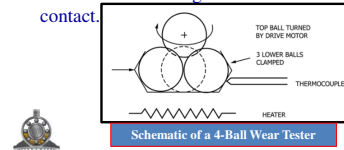


Oct 13, 2023



Four-Ball Wear Test - Overview

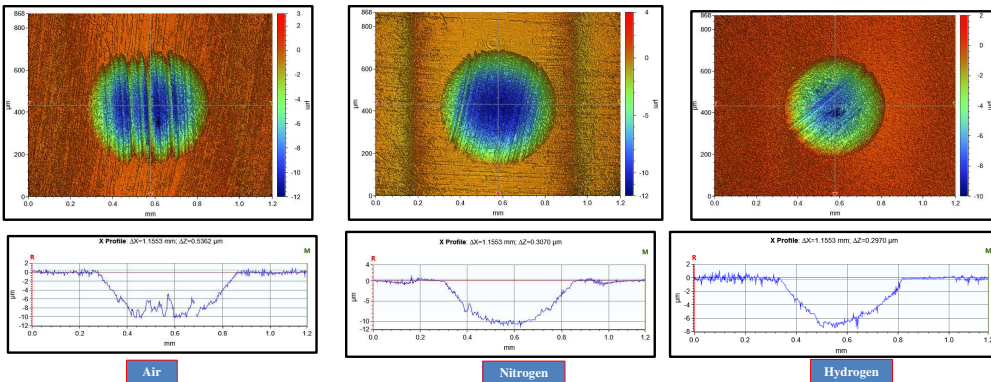
- Four-Ball Wear Test is used to evaluate the wear performance of a lubricant
 - A steel ball is rotated against three lubricated stationary balls under a specified load, speed, operating temperature, and time (pure sliding) (ASTM D-4172)
 - Wear preventive ability of the oil is evaluated by measuring the wear scars generated on the stationary test balls
 - Smaller the wear scar, better the lubricant is at preventing wear
- **Modification** – Ball cup was modified to introduce various gases into the lubricated contact.



Oct 13, 2023

Four-Ball Wear Test – Results

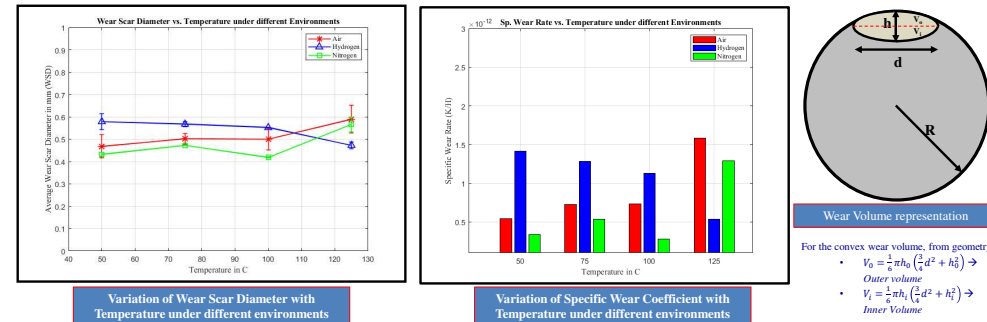
Wear Scar – Optical Profilometry (125 °C)



Oct 13, 2023

Four-Ball Wear Test – Results

Variation of Wear Scar Diameter and Specific Wear Coefficient with Temperature



Oct 13, 2023

- Results indicate that the wear scar diameter and specific wear rate for the three different environments do not follow a uniform trend with respect to temperature
- From 50 to 100 °C, wear scar in Hydrogen environment is the largest, while that in Nitrogen environment is the smallest, with Air exhibiting intermediate behavior
- At 125 °C the wear scar in Hydrogen environment is smaller than that in Nitrogen

For the convex wear volume, from geometry,

$$V_o = \frac{1}{2} \pi h_o \left(\frac{d^2}{4} + h_o^2 \right) \rightarrow \text{Outer volume}$$

$$V_i = \frac{1}{2} \pi h_i \left(\frac{d^2}{4} + h_i^2 \right) \rightarrow \text{Inner Volume}$$