

## Homework Hints

6.2.2  
 under  $\frac{P_r}{P_i} \neq P_r$  power

bottom  $z_b = P_b C_b$

$$R = \frac{P_r}{P_i}$$

$$R = \frac{z_{21} - 1}{z_{11} + 1}$$

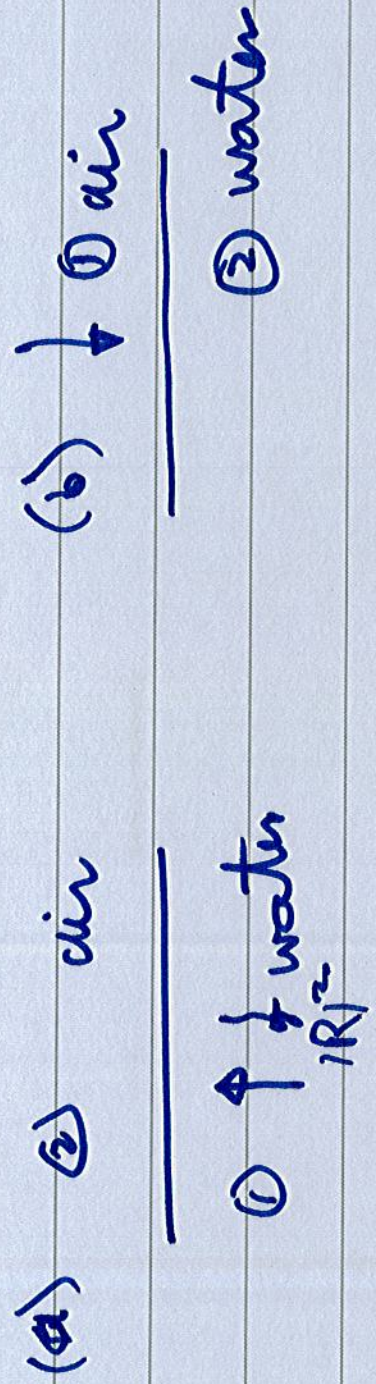
$$20 \log |R| = -20$$

$$|R| \rightarrow \textcircled{x}$$

+x

-x

6.2.3



$$T = \frac{2Z_2}{Z_1 + Z_2} \text{ Pressure transmission}$$

$$T_I = \text{change in medium}$$

6.2.6

$$R = \frac{r_2 - r_1}{r_2 + r_1}$$

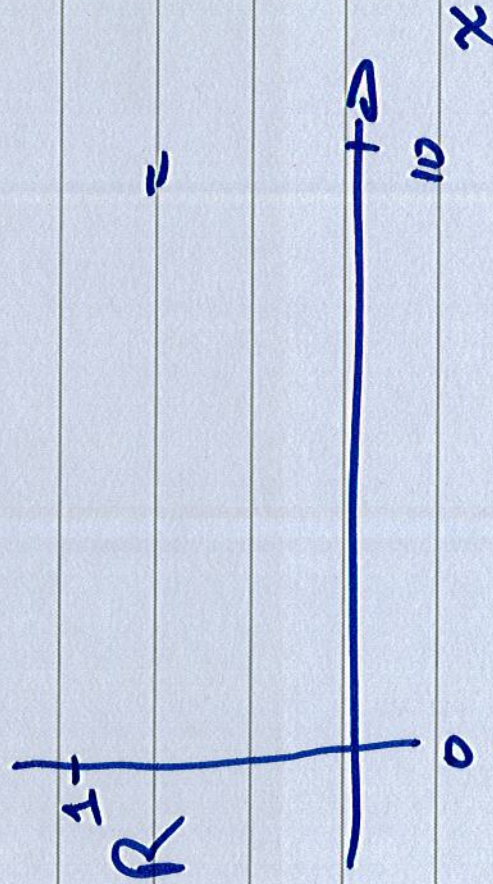
$$r_1 = \beta_1 c_1$$

$$r_2 = \beta_2 c_2$$

$$= \frac{1 - \left(\frac{r_1}{r_2}\right)}{1 + \left(\frac{r_1}{r_2}\right)}$$

$$\frac{\beta_1 c_1}{\beta_2 c_2}$$

$$= \frac{1 - \gamma}{1 + \gamma}$$



6.3.3



(a)  $T_I$     6.3.9    (c)

$$TC = 10 \log \frac{1}{T_I}$$

(b)  $R = 6.3.7$

$$R_I = 10R^2$$

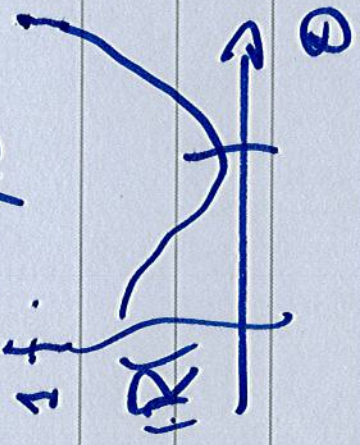
6.6.1



$z_n = 900 - j1200$  Rayls

1 f.

$$R = \frac{z_n \cos \theta - f_0 c}{z_n \cos \theta + f_0 c}$$

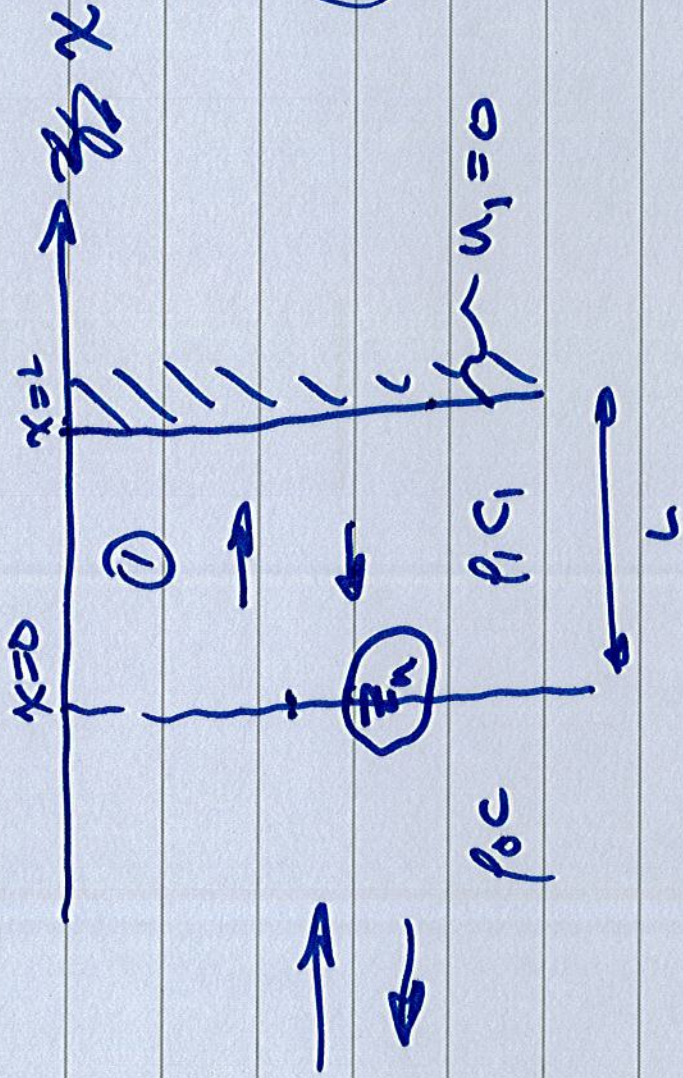


Find  $\theta$  that minimizes  $|R|^2$

$$\frac{\partial |R|^2}{\partial \theta} \rightarrow 0$$

$$|R|^2 = \underline{\underline{RR^*}}$$

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$$\zeta_n = \frac{P_{\text{surface}}}{u_{\text{surface}}} = \frac{A_{\text{ref}}}{A_{\text{inc}}}$$

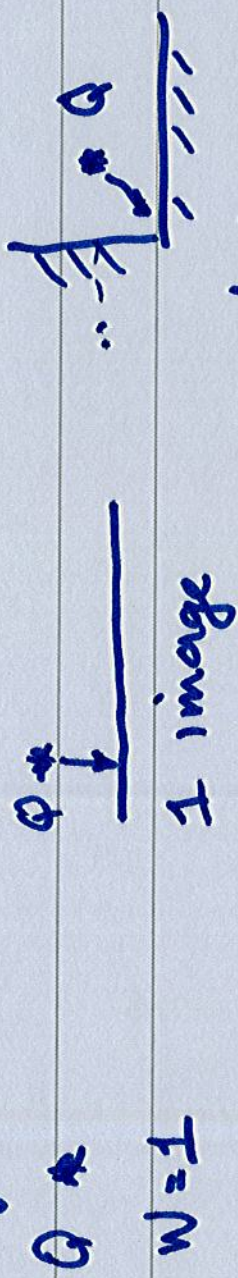
$$P_i = A e^{-ik_1 x} + B e^{ik_1 x}$$

 $u_1$ 
 $u_1$  / hand surface

$$R = \frac{z_n - f_0 c}{z_n + f_0 c} \quad |R|^2 = 1$$

Sound power radiated by  
an acoustic depends on  
the environment

Free space      hard surface      1 junction



$W=4$

2 junction

$W=2$

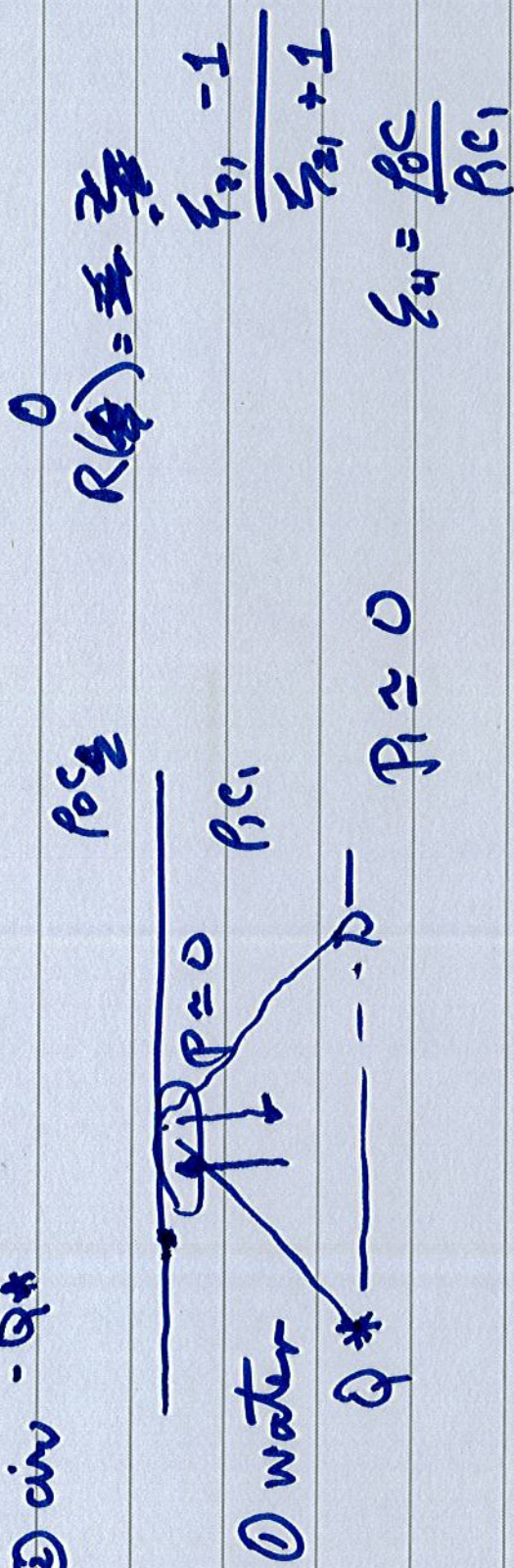


$W=8$

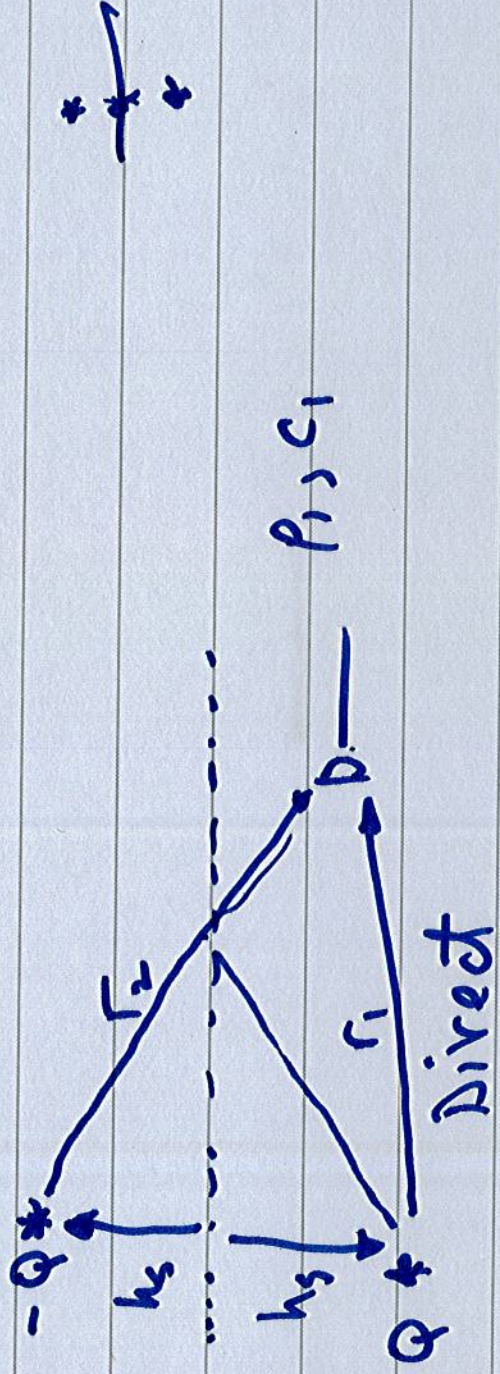
7 images

### 5.3.4.2 Pressure Release Surface

② inv -  $Q^*$





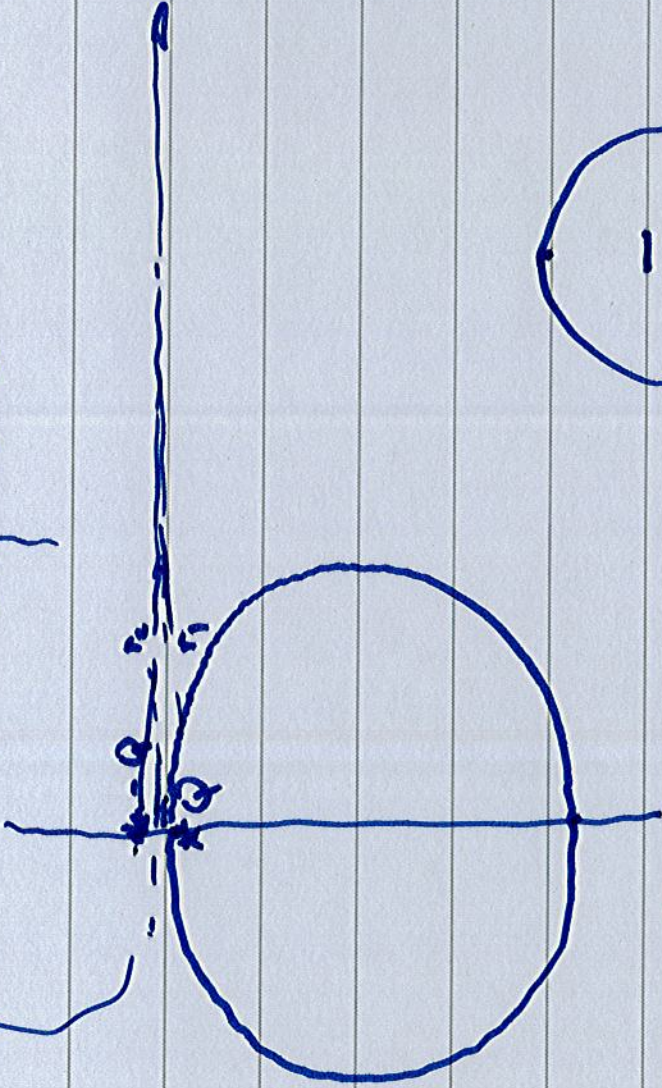


$$k_4 = \frac{\omega}{c_1}$$

$$\vec{F}(r) = A \left\{ \frac{e^{-ik_1 r_1}}{r_1} - \frac{e^{-ik_1 r_2}}{r_2} \right\}$$

Image is "out-of-phase" with the actual source

but the source approaches the surface



maximum radiation  $\perp$  to the surface

minimum in the sound radiation because of perfect cancellation of the ~~of the~~ direct & reflected signals

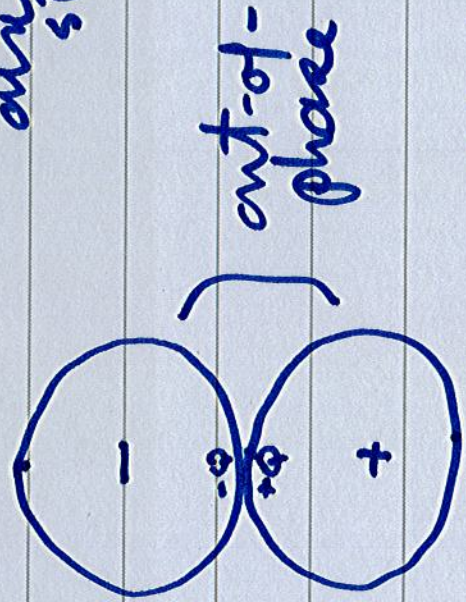


figure of 8 directivity pattern

two monopoles, closely-spaced  
 & running  $180^\circ$  out-of-phase  
 creates a dipole

$\sim$  dipole axis

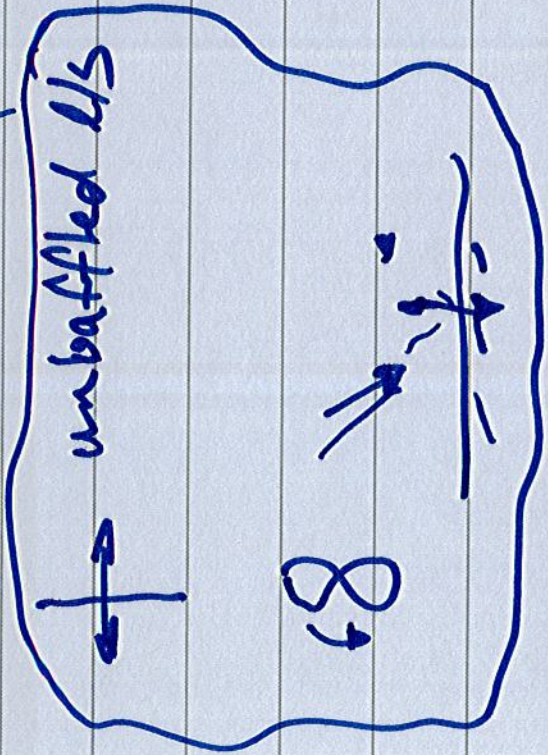
monopole  
 - mass or  
 volume

dipole - force  
 same

$-Q$

$Q$

pair of monopoles have  
 the effect of creating  
 an oscillatory pt.  
 force that  
 accelerates  
 fluid back  
 and forth  
 along the  
 dipole axis



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