

1. (25 points) Discuss, conceptually, how energy bands arise in a crystalline material, such as a semiconductor. Key points that must be addressed are:
 - a. Periodic potentials
 - b. The Bloch Theorem
 - c. Band gap
 - d. Holes
 - e. Effective masses of holes and electrons

2. (25 points) Sketch the equilibrium energy band diagram (show E_C , E_V , E_F , and E_i) of a 1D semiconductor device that has the following properties:
 - a. A 1 micron thick ($x = 0$ to 1 micron) degenerately doped p-type semiconductor with a 2.0 eV band gap.
 - b. A 5 micron thick ($x = 1$ to 6 microns) lightly doped n-type semiconductor with a 1.0 eV band gap.
 - c. Assume that there is no valence band offset.
 - d. Assume that there a very large positive sheet charge at $x = 6$ microns.

3. (25 points) For a uniform nondegenerate semiconductor with band gap E_G , effective densities-of-state N_C & N_V , and doped with both N_A acceptors and N_D donors (assume full ionization of the dopants) – derive an expression for the equilibrium hole concentration, p , at temperature T in terms of only E_G , N_C , N_V , N_A , N_D , T , and k (Boltzmann's constant). Of course, you may also include dimensionless numbers (i.e. 2, e , π , etc.) as necessary.

4. (25 points) The Auger recombination rate can be written as $R = (C_p p + C_n n)(pn - n_i^2)$. For high injection conditions, derive an expression for $qV = F_n - F_p$, the difference between the electron and hole quasi-Fermi energies, at temperature T in terms of only R , C_p , C_n , p , n , n_i , T , and k (Boltzmann's constant). Of course, you may also include dimensionless numbers (i.e. 2, e , π , etc.) as necessary. Assume Boltzmann statistics.

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