

Effects of Controlled Three-Dimensional Perturbations on Boundary Layer Transition

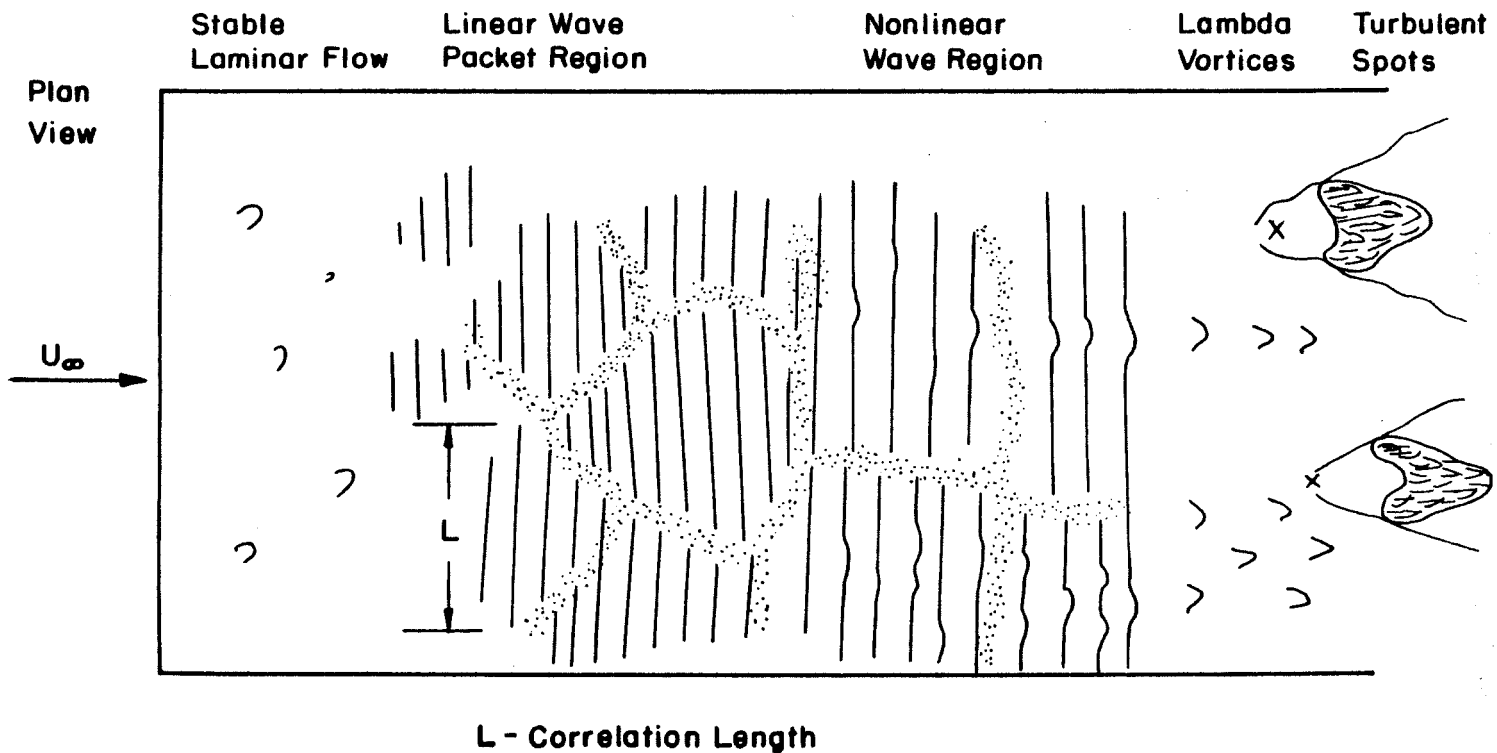
Thesis by
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In Partial Fulfillment of the Requirements
for the Degree of
Doctor of Philosophy

California Institute of Technology
Pasadena, California
1989

(Submitted March 10, 1989)

Figure 1.1: Cartoon of Boundary Layer Transition





Photograph of Flat Plate Apparatus in Water Tunnel
Flow from Right to Left

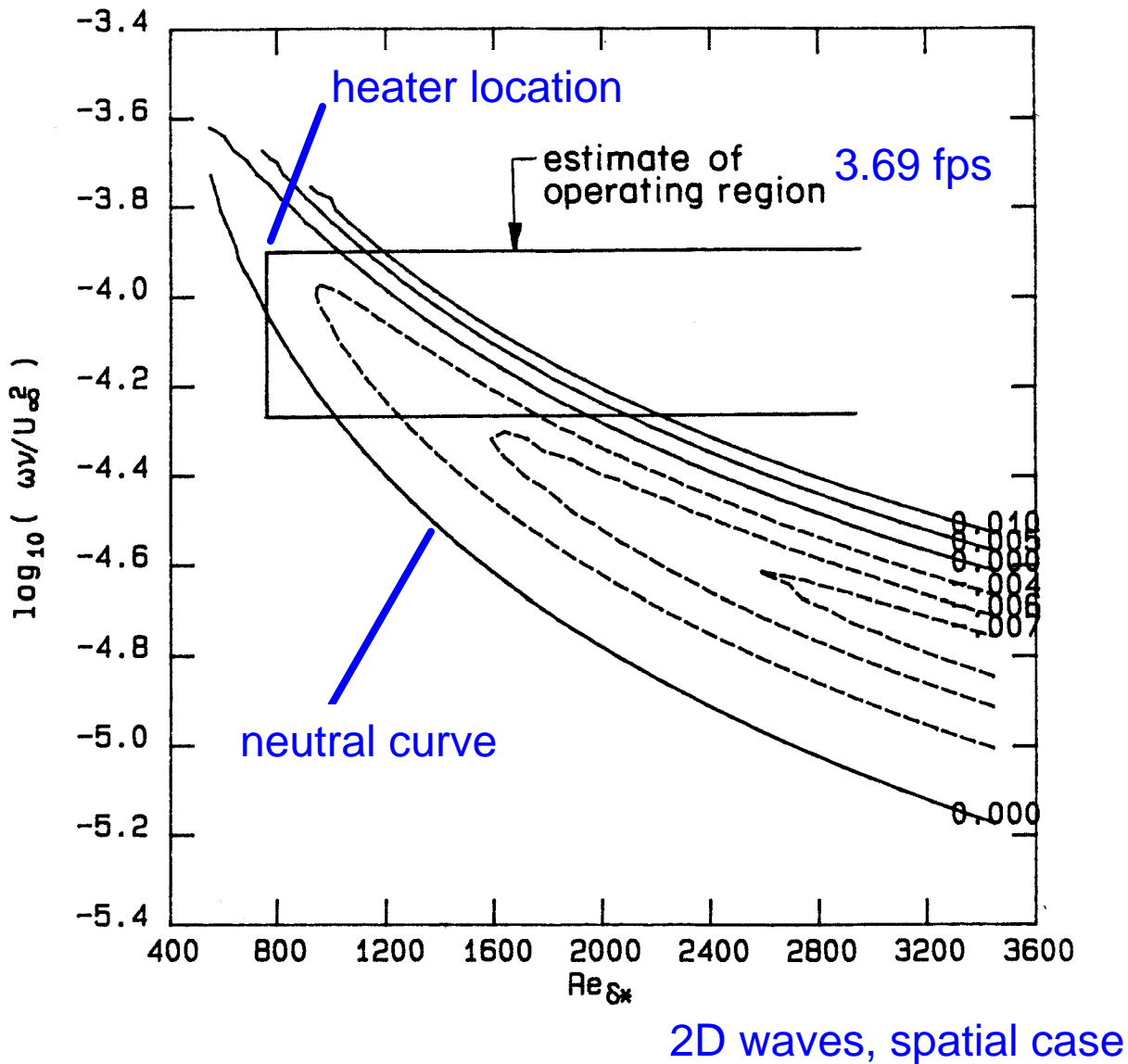
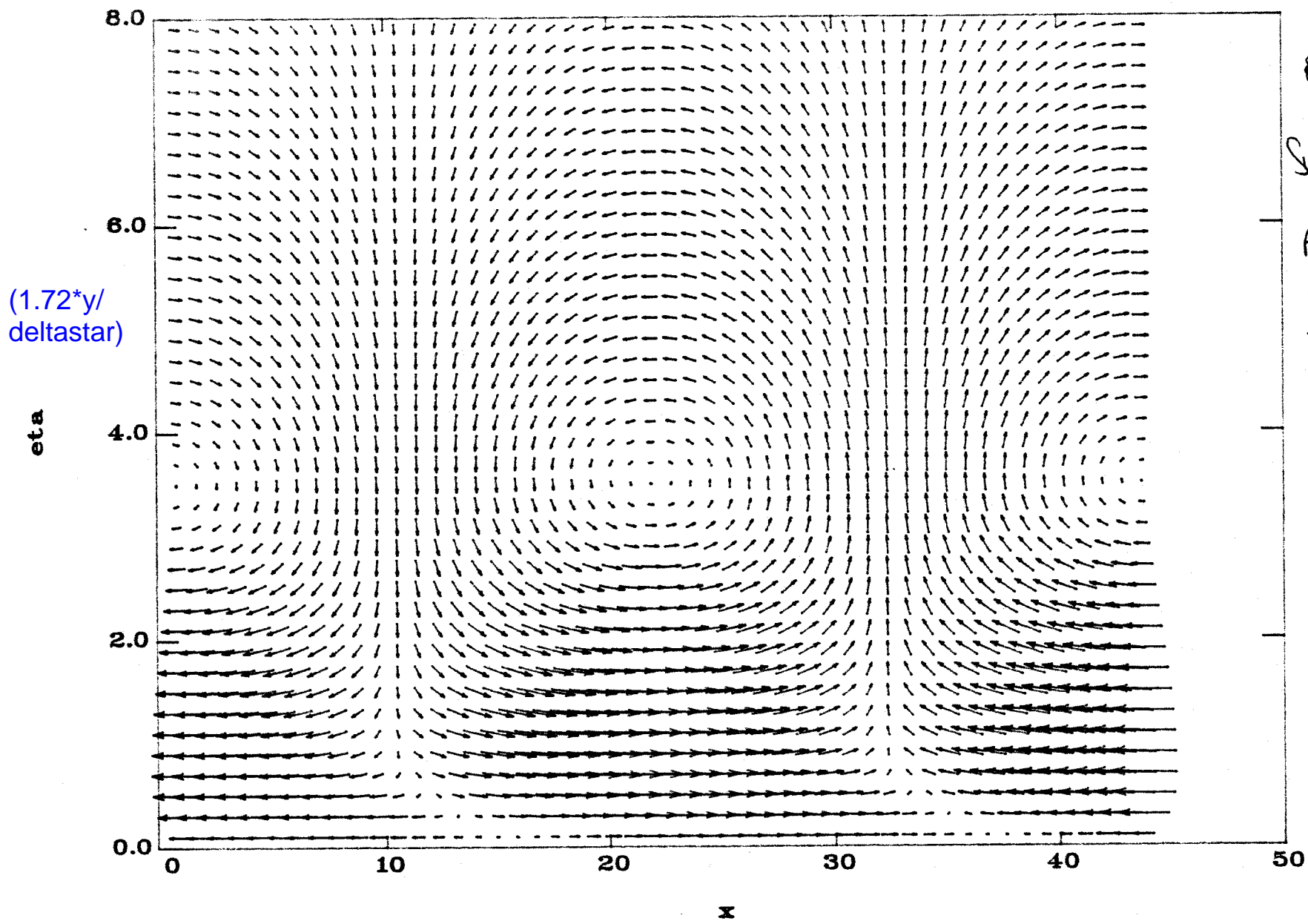


Figure 3.1: Linear Theory Amplification Rate Contours
 (α_i contours, provided by L. Mack)

Perturbation velocity vectors for 2D TS wave, one wavelength.
in plane $z=0$, scaled to size of max. fluctuation. Vertical axis is highly stretched, width is $o(40 \delta)$, height is $o(\delta)$.

4/2/86
Mock data,
B set #1.
used
B's
from
Summary
Sheet
for #1
@ 143
 -5.6×10^3



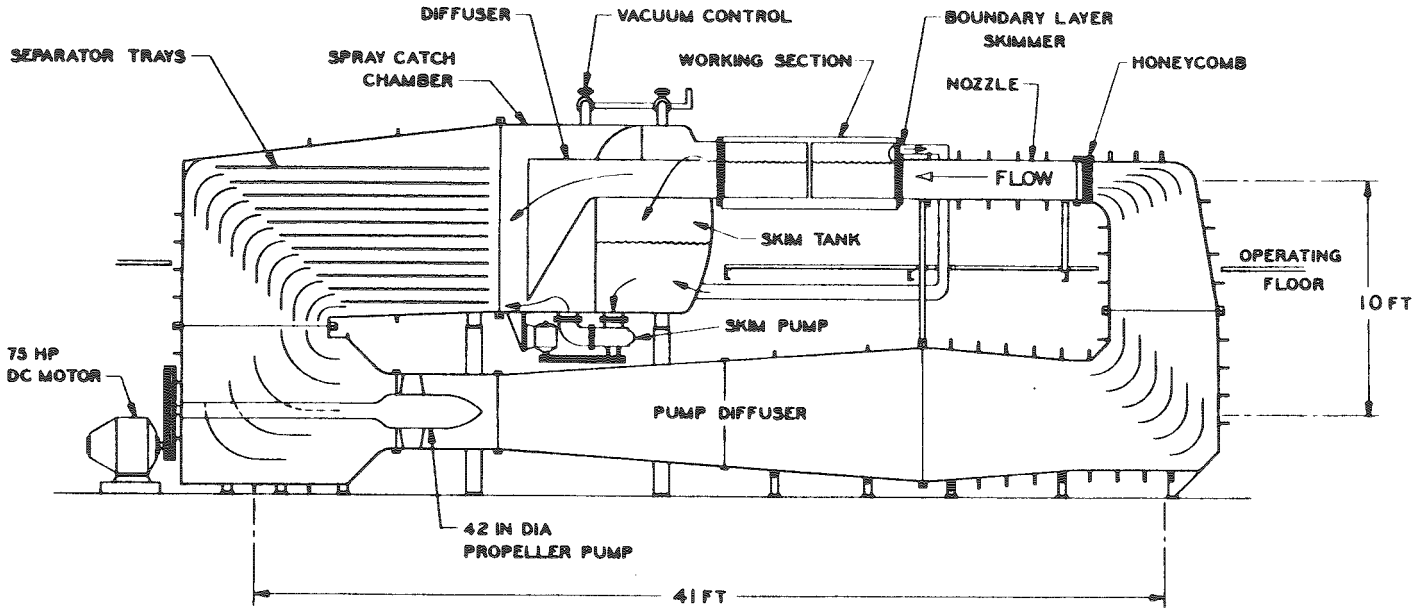
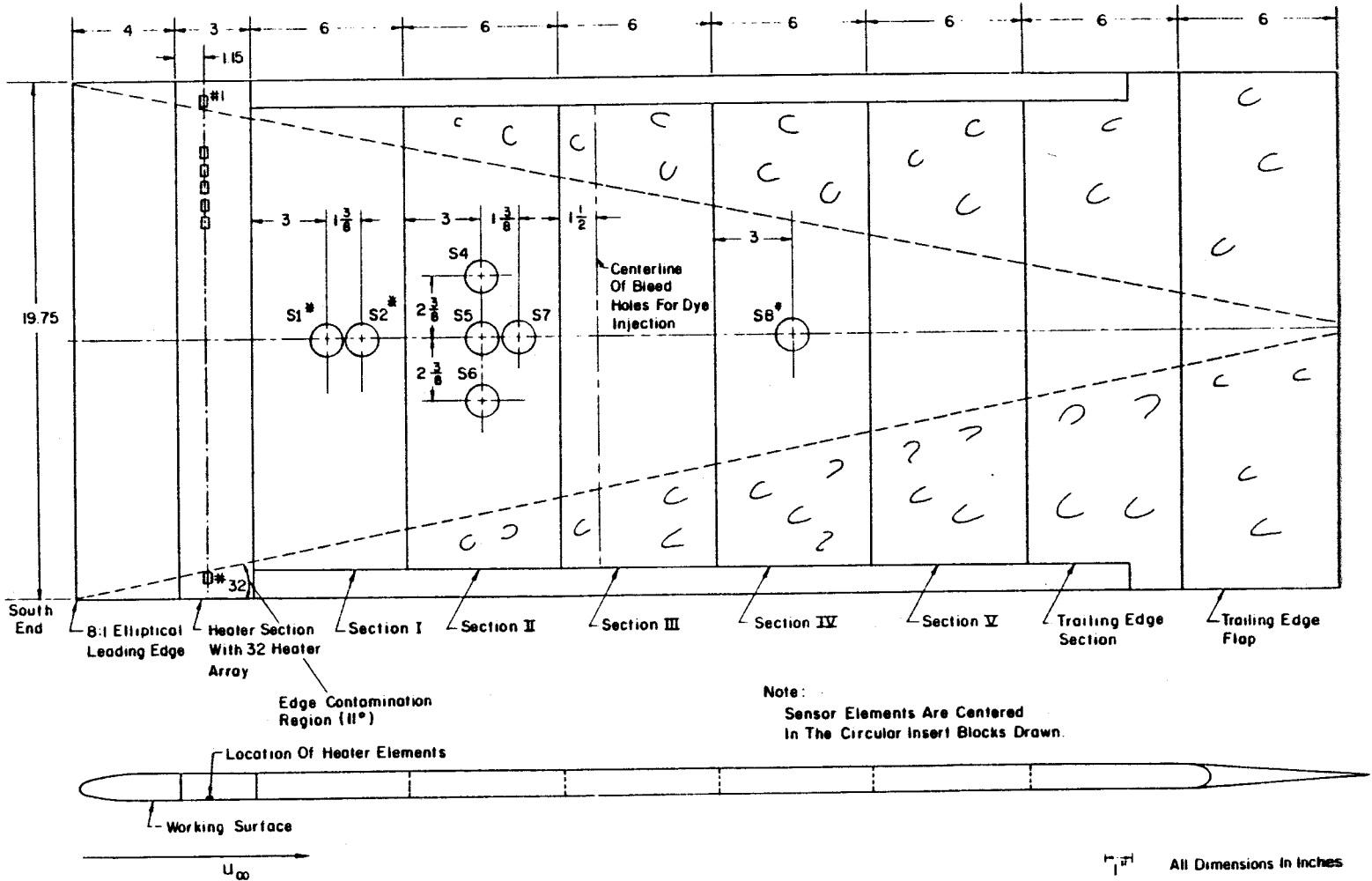


Figure 2.1: Free Surface Water Tunnel Schematic from Ward [46]

Figure 2.2: Flat Plate Model Schematic: First Configuration
 asterisks explained in Section 2.4



Typical Shear Trace

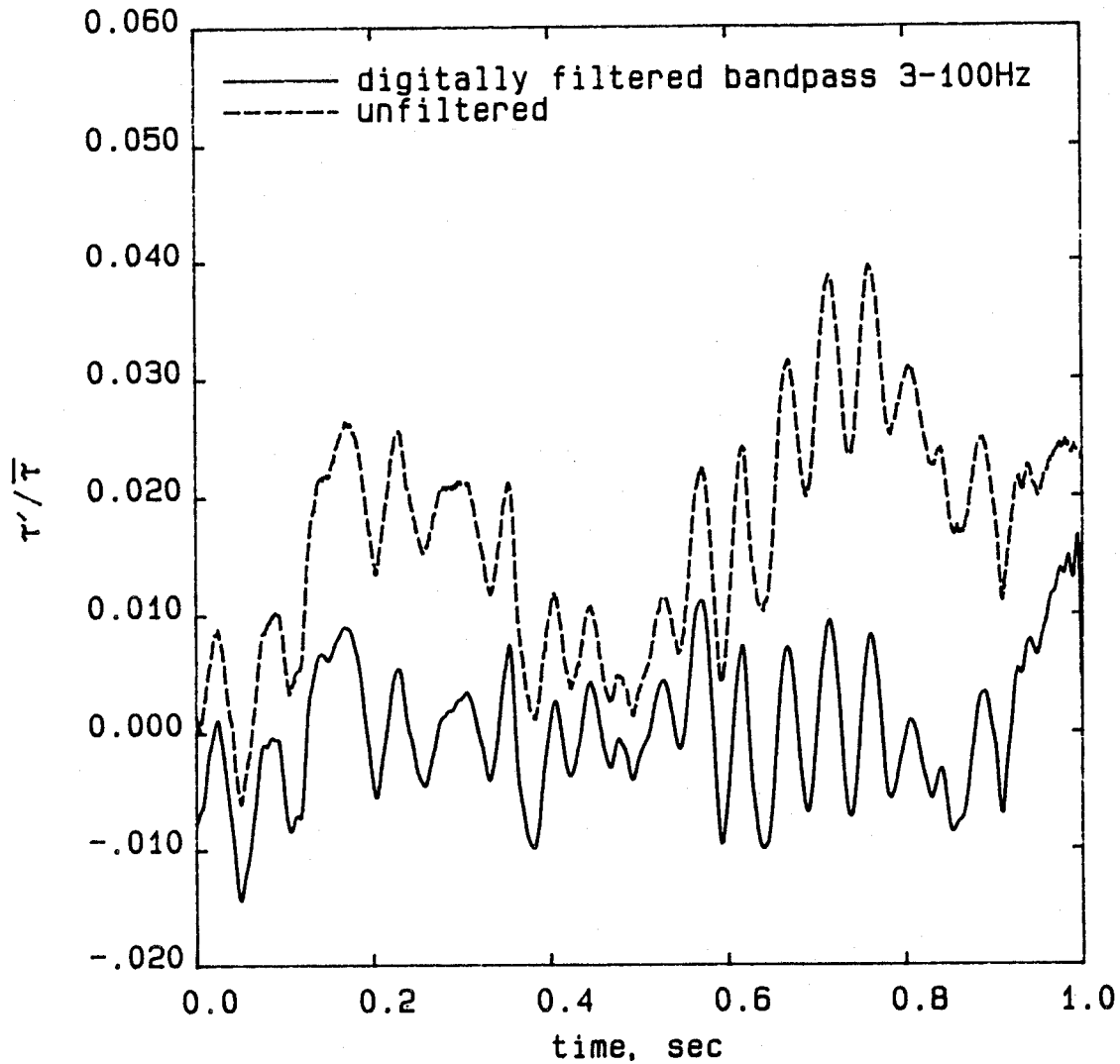


Figure 3.2: Shear Trace of Natural Waves at S7, $Re_{\delta^*} = 1400$
 5.5×10^6 , $U_\infty = 3.66$ fps

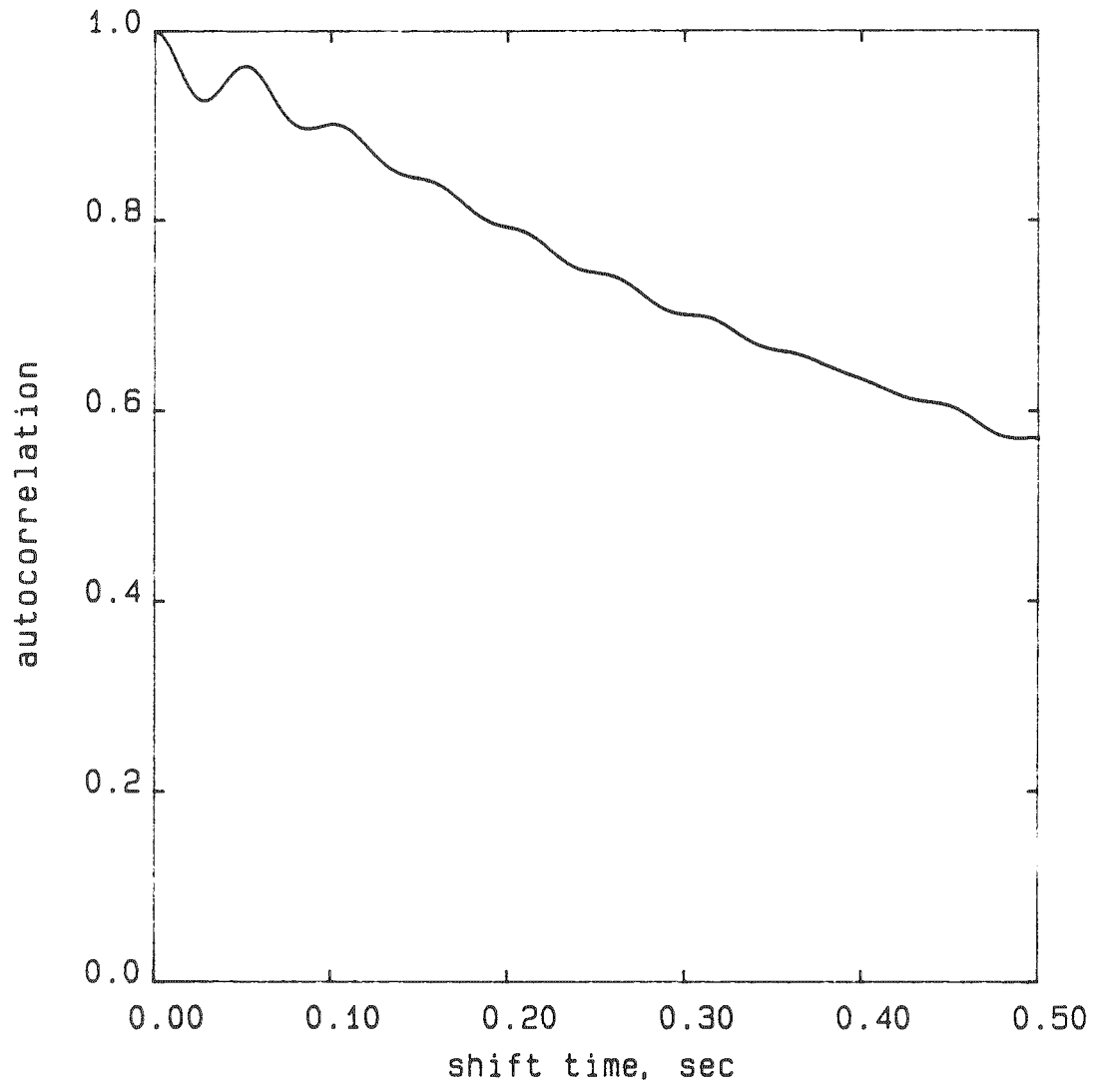


Figure 3.3: Autocorrelation of Natural Instability Waves at S7
($Re_{\delta^*} = 1400$, 5.5×10^6 , $U_\infty = 3.66$ fps)

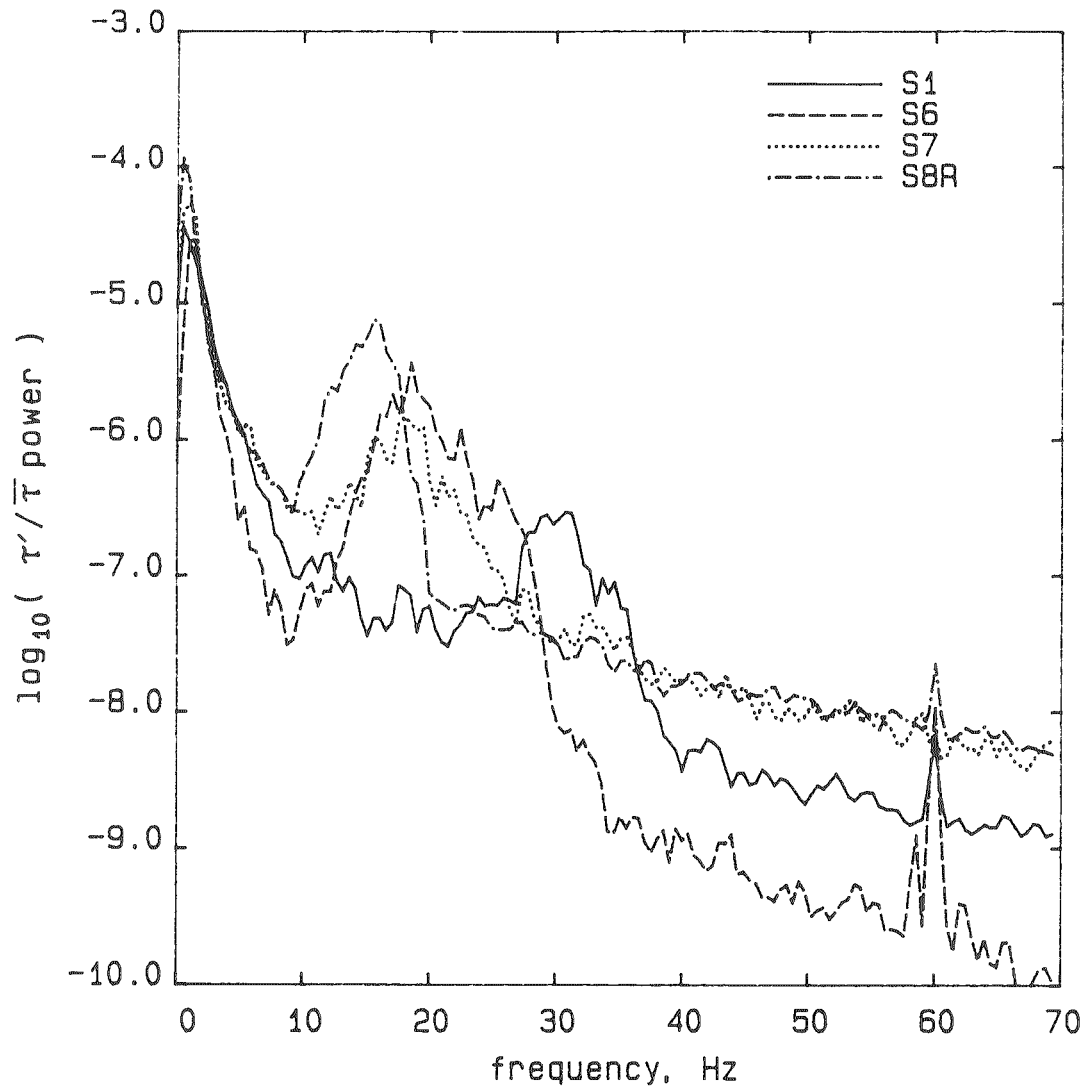


Figure 3.4: Spectra of Instability Waves at Four Streamwise Locations
 ($Re_{\delta^*} = 1100, 1350, 1400, 1750, 5\text{-}5\text{r}06, U_\infty = 3.66 \text{ fps}$)

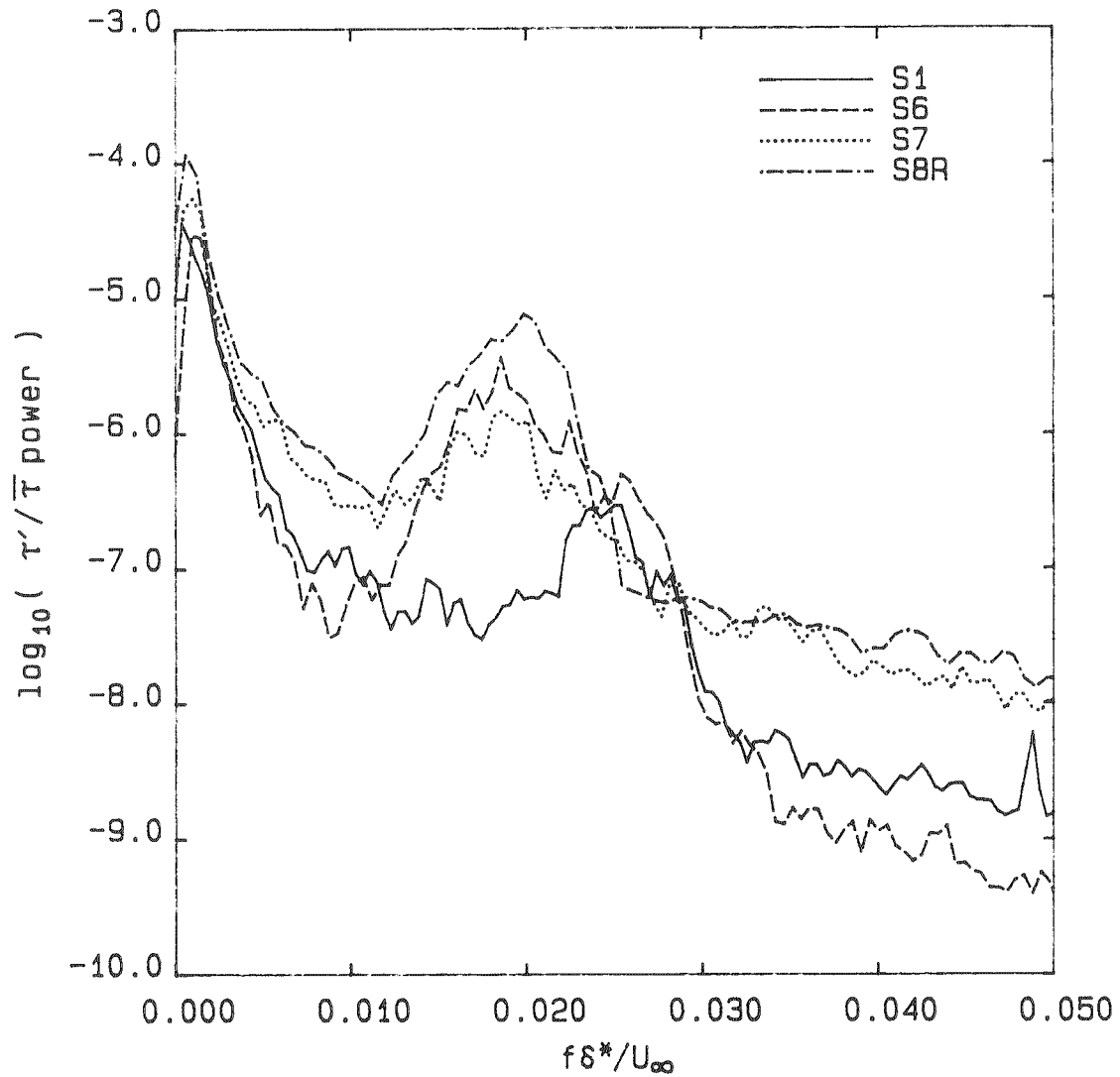


Figure 3.5: Reduced Spectra of Natural Instability Waves
(same conditions as in previous figure)

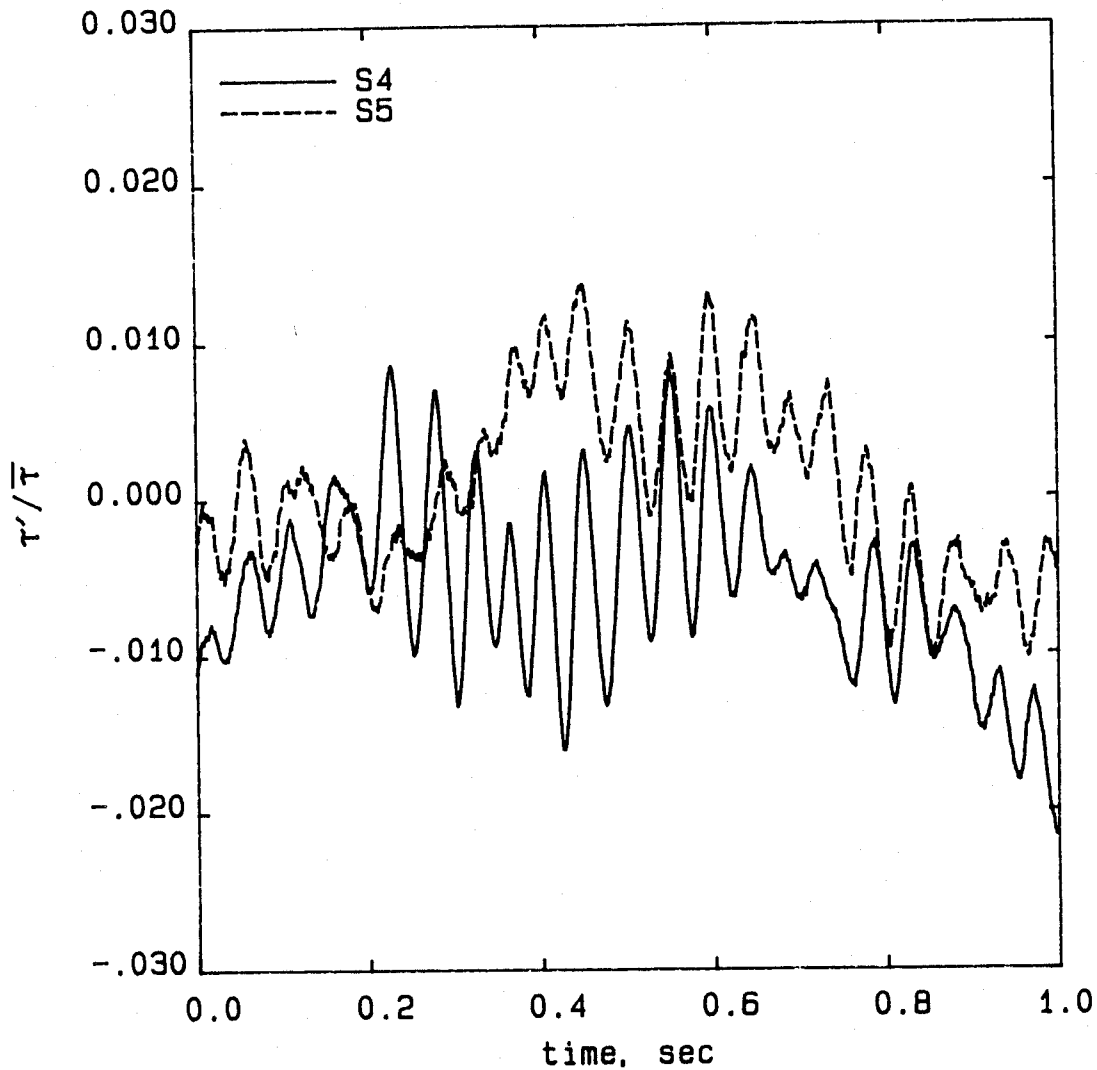


Figure 3.6: Naturally Occurring Waves at Two Spanwise Locations
($Re_{\delta^*} = 1300$, 4-13mr01, $U_{\infty} = 3.50$ fps)

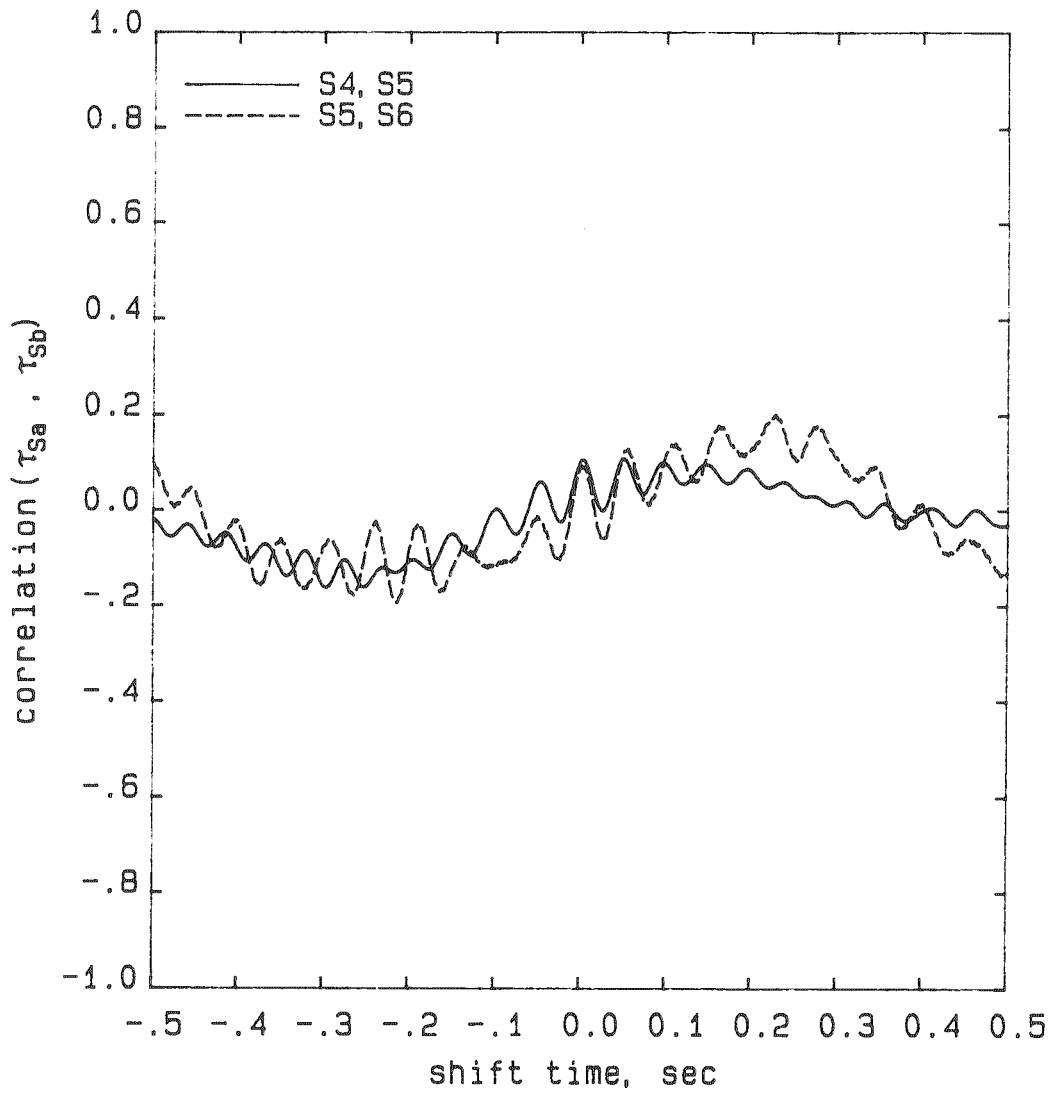


Figure 3.7: Cross-Correlation of Shear at Three Spanwise Locations
 ($Re_{\delta^*} = 1300$, 4-13mr01, $U_\infty = 3.50$ fps)

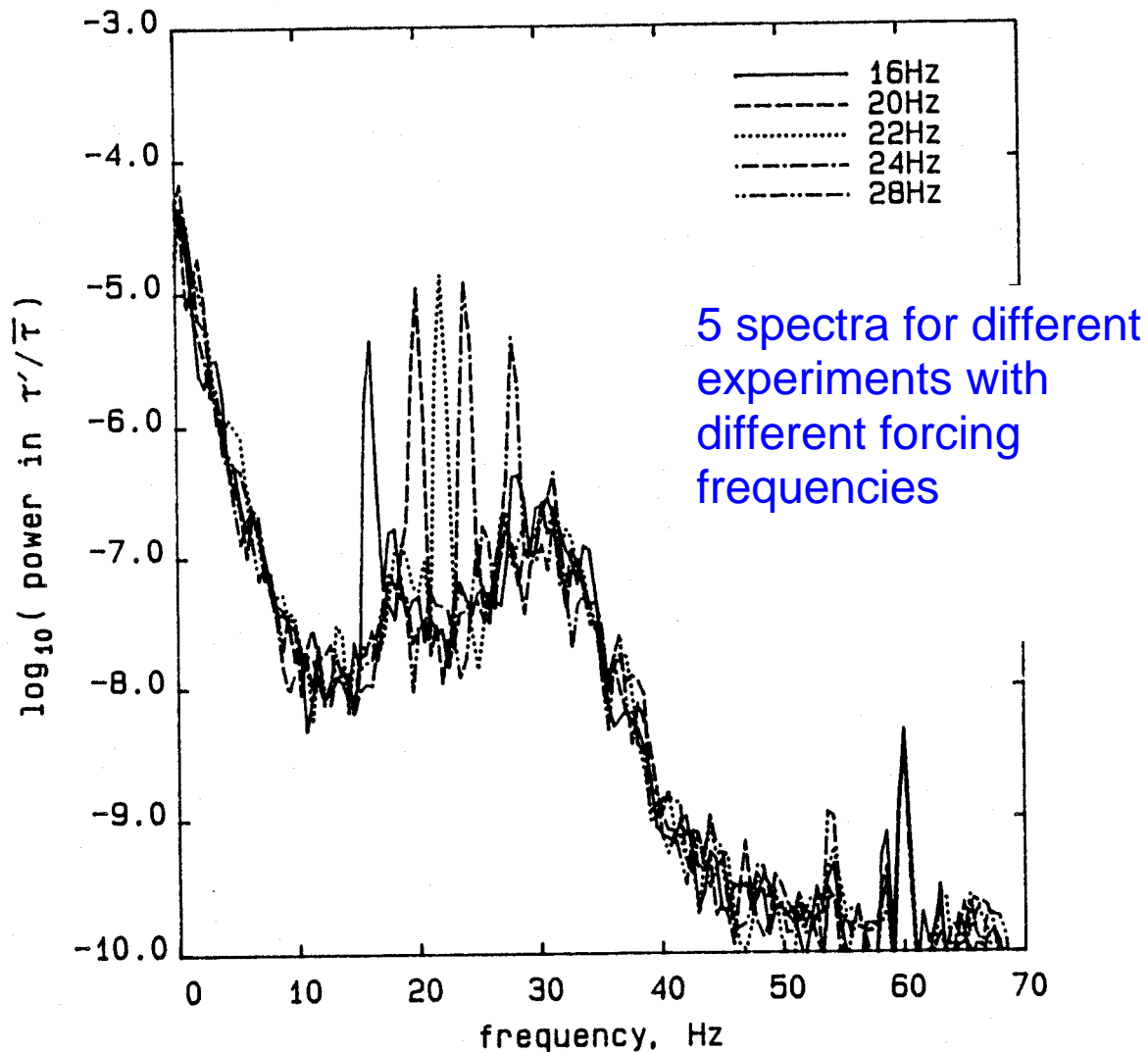


Figure 3.8: Wall Shear Spectra in Linear Region at $Re_{\delta^*} = 1100$
 Five Spectra for Different Heat Frequencies
 (83 watts total power, S1, 2D forcing, 4-22, $U_{\infty} = 3.68$ fps)

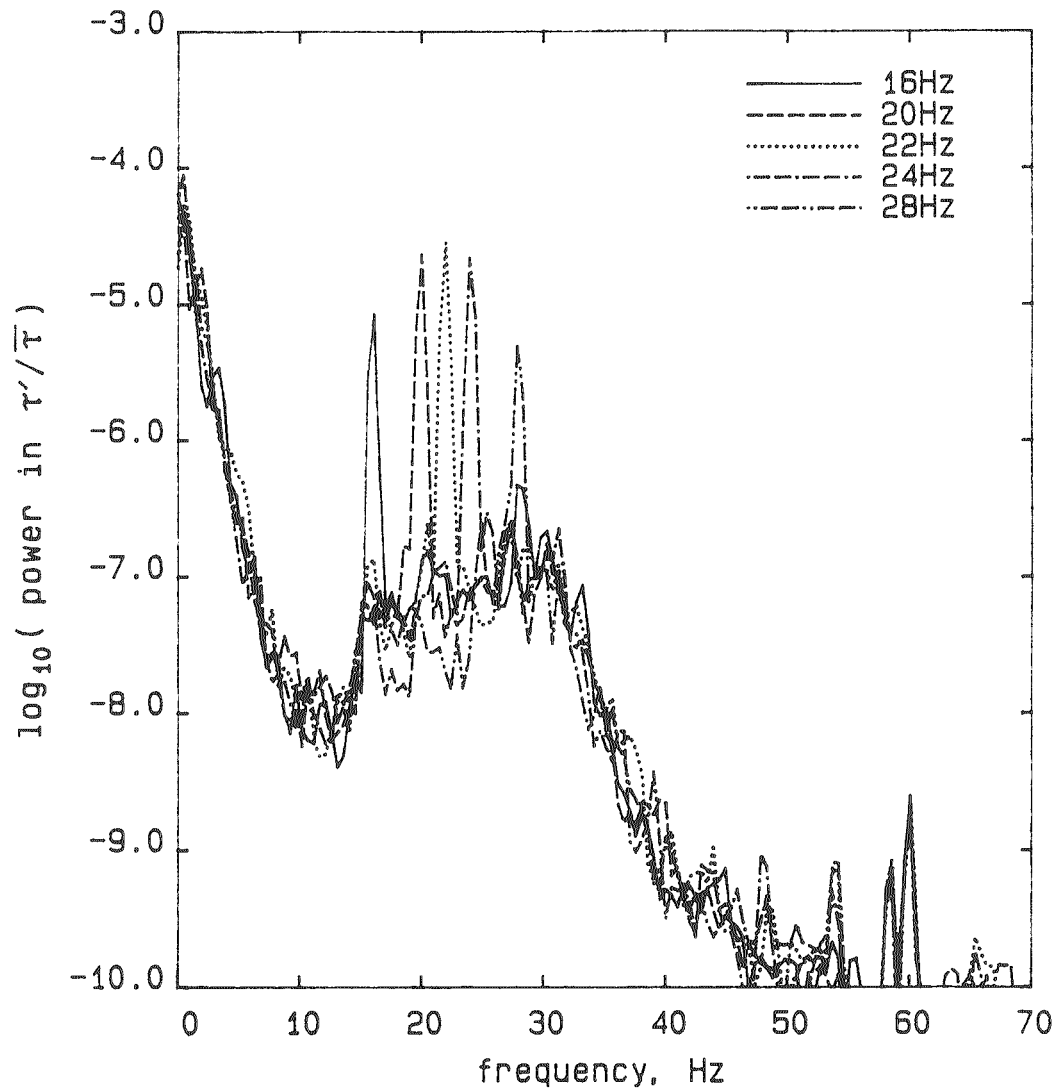


Figure 3.12: Wall Shear Spectra at $Re_{\delta^*} = 1150$
for five different heating frequencies
2D forcing, 83 watts, S2F, 4-22, $U_{\infty} = 3.68$ fps

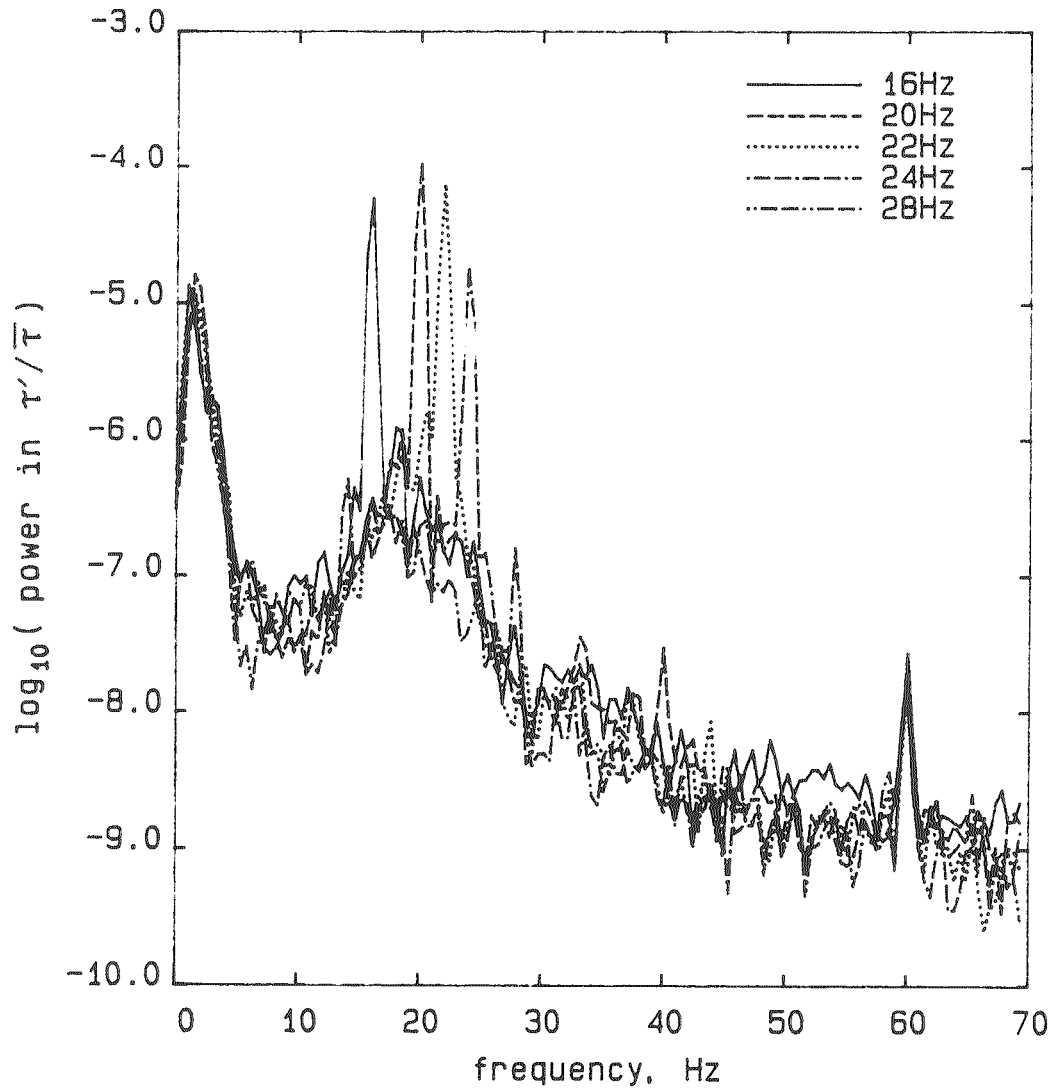


Figure 3.13: Wall Shear Spectra at $Re_{\delta^*} = 1350$
for five different heating frequencies
2D forcing, 83 watts, S5, 4-22, $U_{\infty} = 3.68$ fps

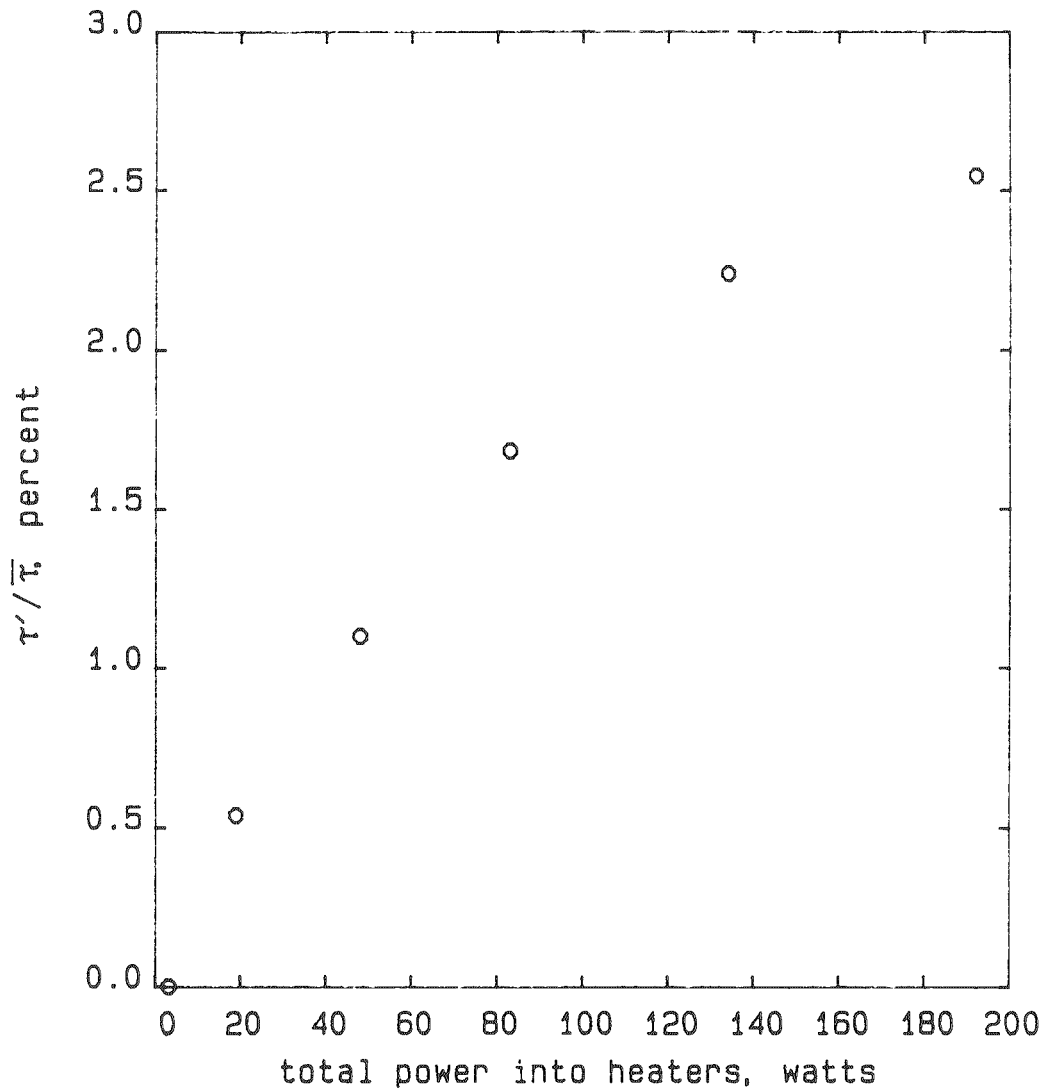


Figure 3.14: Primary Response Amplitude vs. Forcing Power
10Hz 2D forcing S6, 4-13mII, $Re_{\delta^*} = 1300$

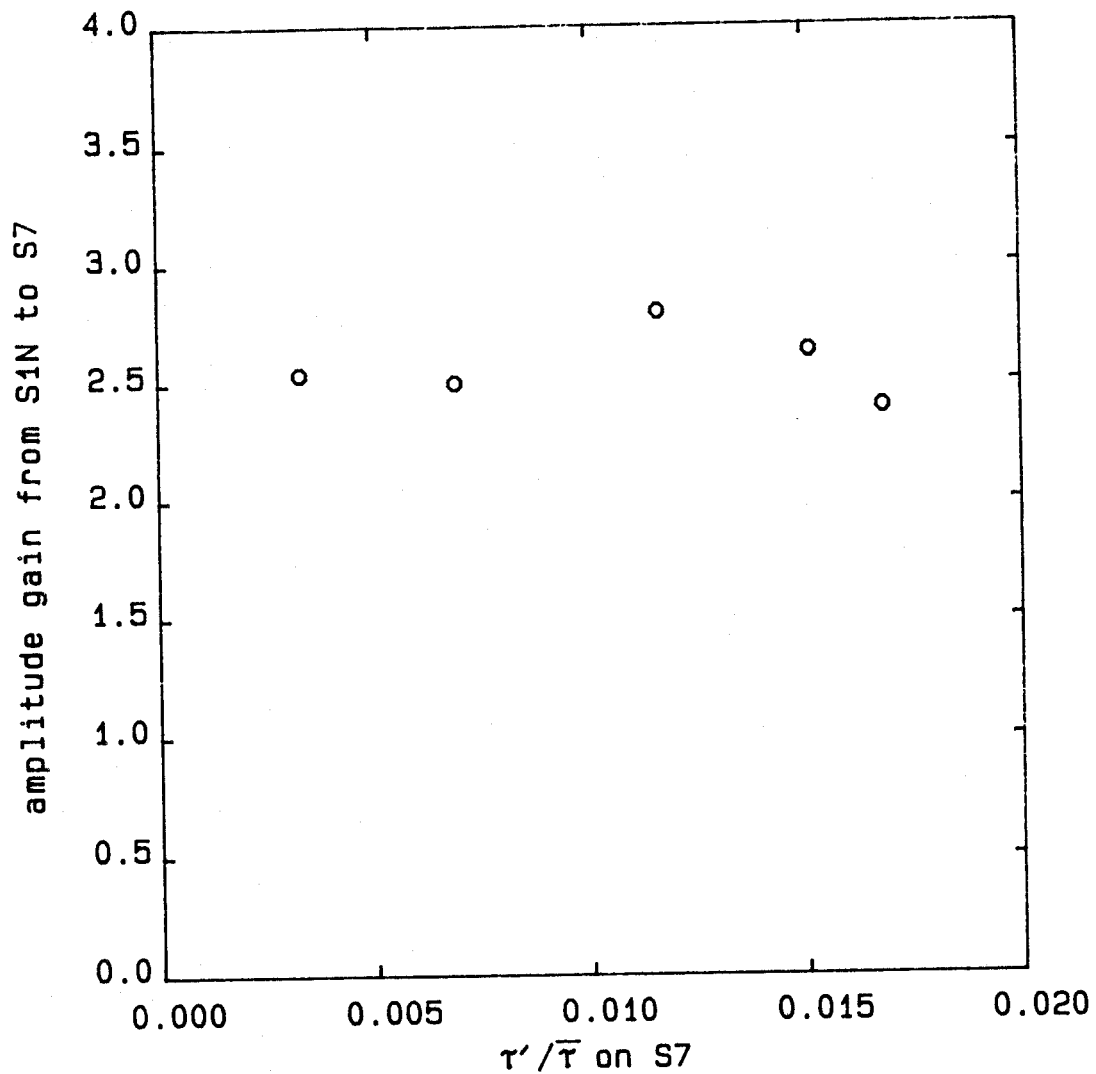


Figure 3.15: Growth Rate of Primary Response vs. Wave Amplitude
 $U_{\infty} = 3.50$ fps, 20Hz, 4-13mII
 $Re_{\delta^*}(S1N) = 1050$, $Re_{\delta^*}(S7) = 1350$

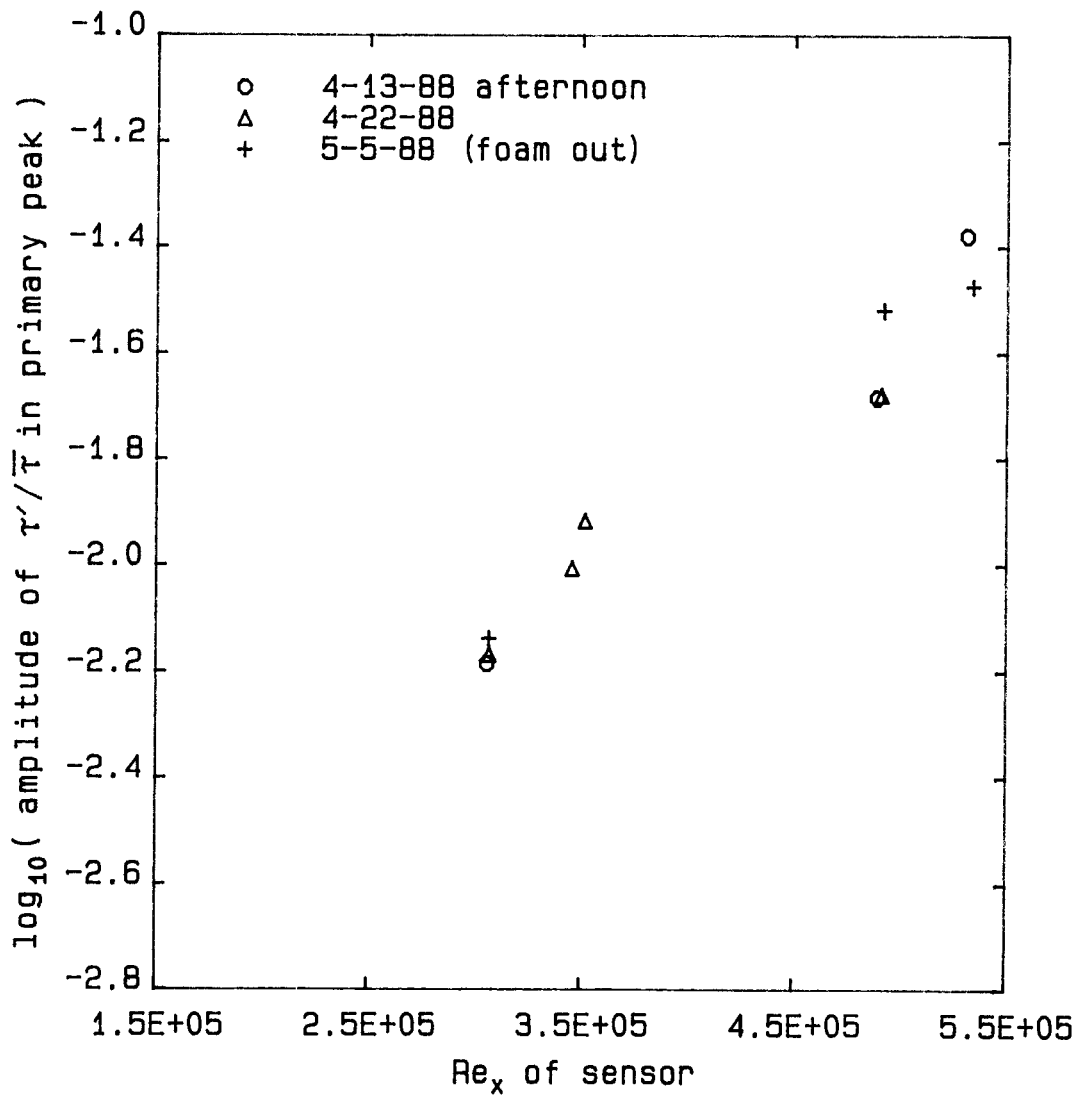


Figure 3.16: Growth Rate of Waves Created with Same Forcing on Different Days
 192 watts, $U_\infty = 3.68$ fps, 2D 20Hz,
 heater at $Re_x = 1.5 \times 10^5$

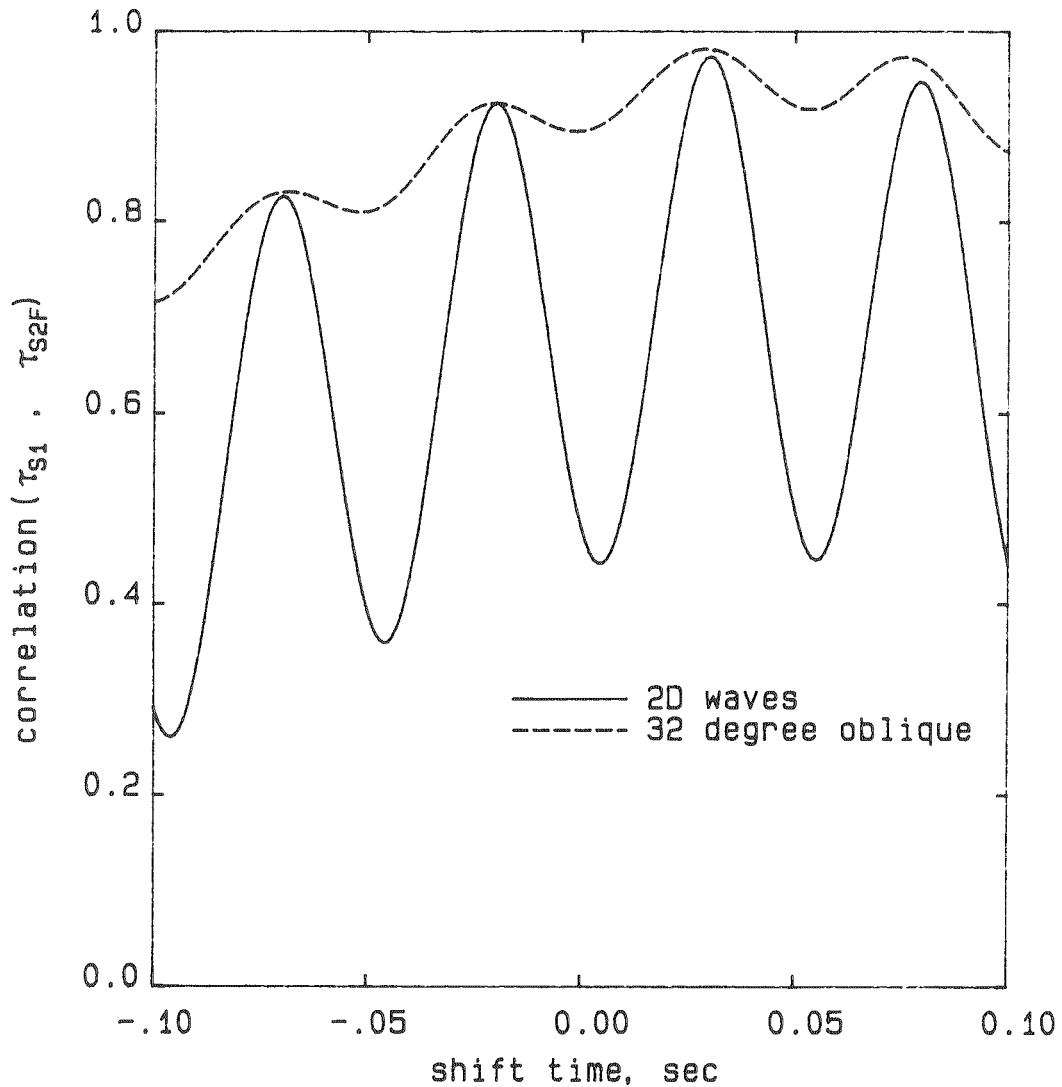


Figure 3.17: Cross-Correlation of Low Reynolds Number Phase Speed Data
 20Hz 192 watt forcing, S1 and S2F, 4-22
 $Re_{\delta^*}(S1) = 1100$, $Re_{\delta^*}(S2F) = 1150$, $U_{\infty} = 3.68$ fps

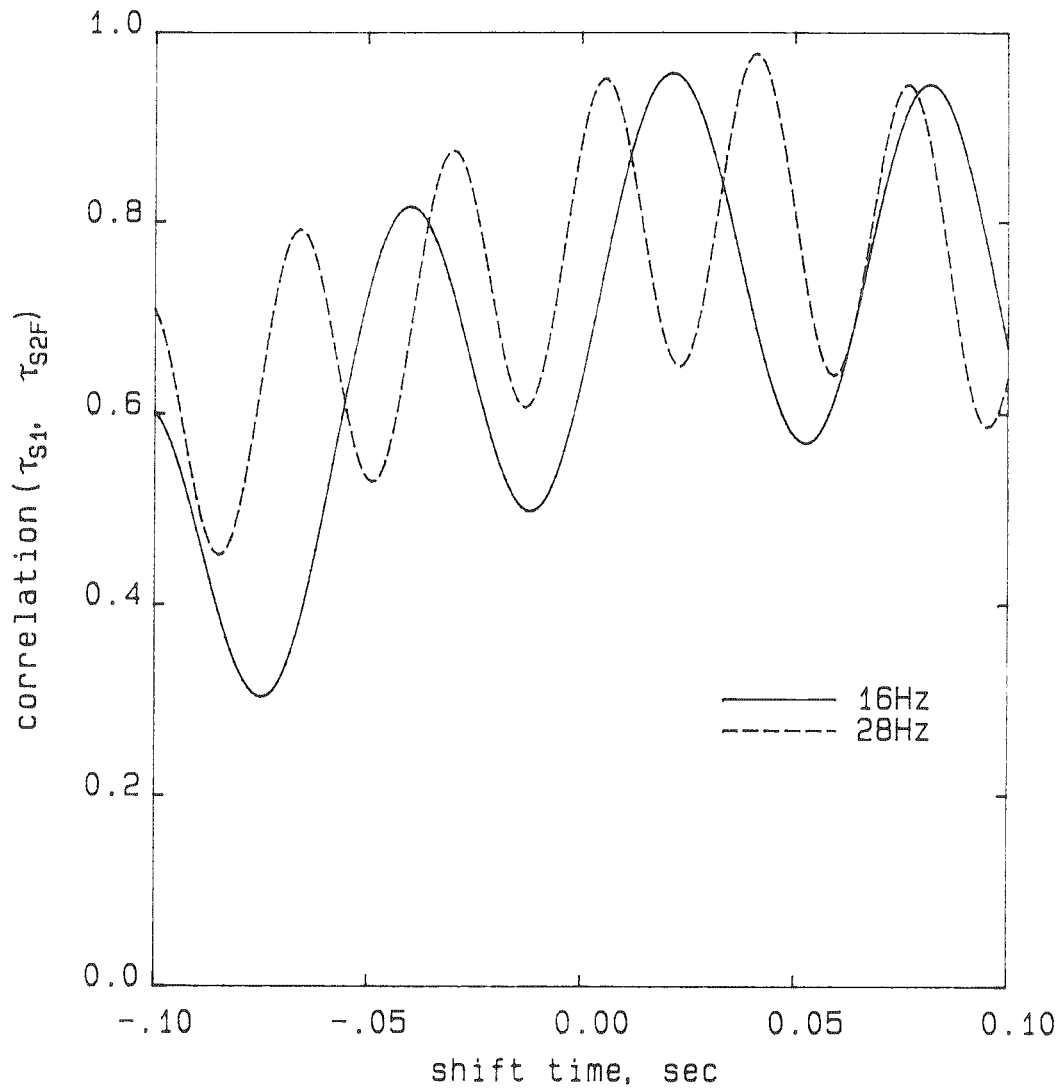


Figure 3.18: Cross-Correlations for Extreme Frequency Data
 192 watt 2D forcing, S1 to S2F, 4-22
 $Re_{\delta^*}(S1) = 1100$, $Re_{\delta^*}(S2F) = 1150$

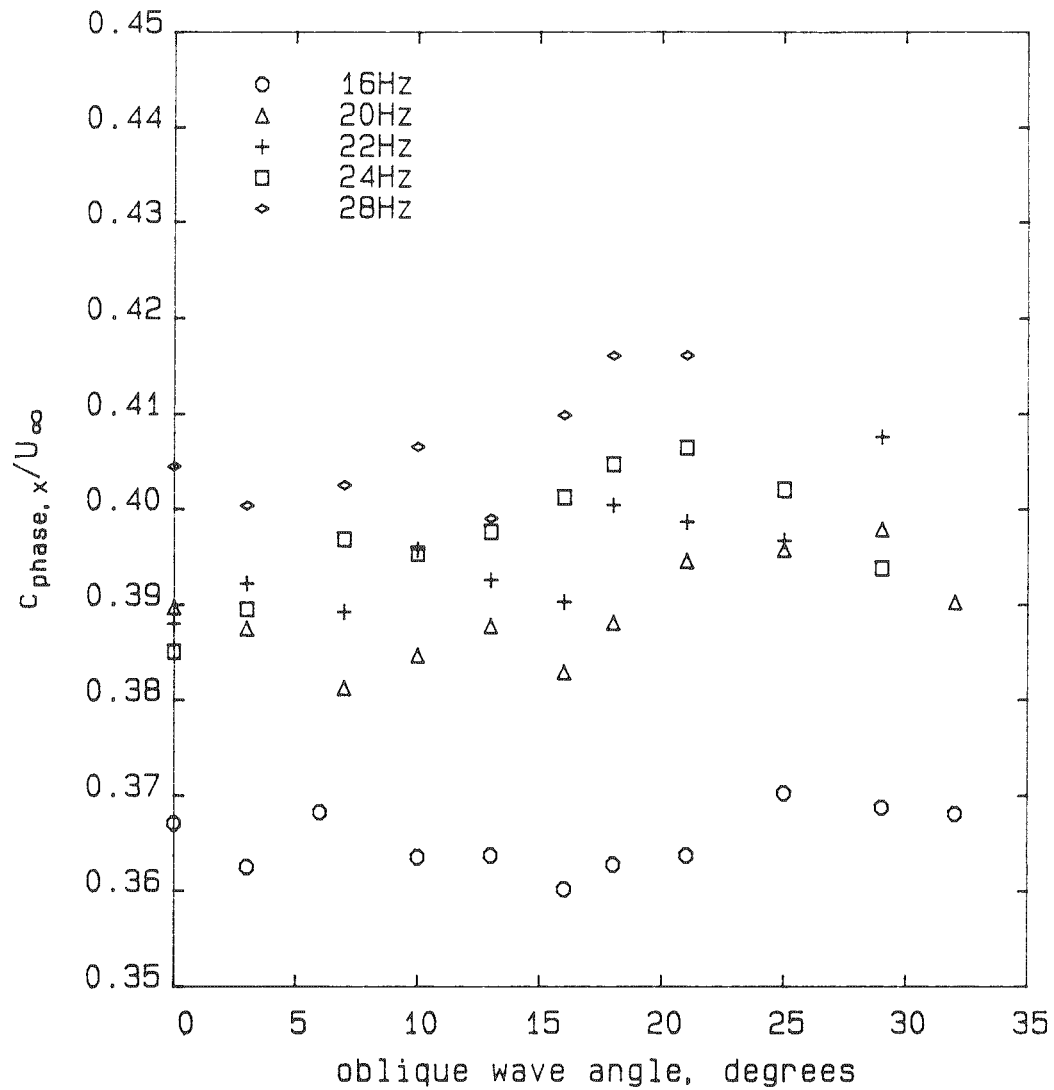


Figure 3.19: Phase Speeds for Oblique Waves at $Re_{\delta^*} = 1100$
 at five heating frequencies, from S1 to S2F
 192 watts, 4-22, $Re_{\delta^*}(S1) = 1100$, $Re_{\delta^*}(S2F) = 1150$

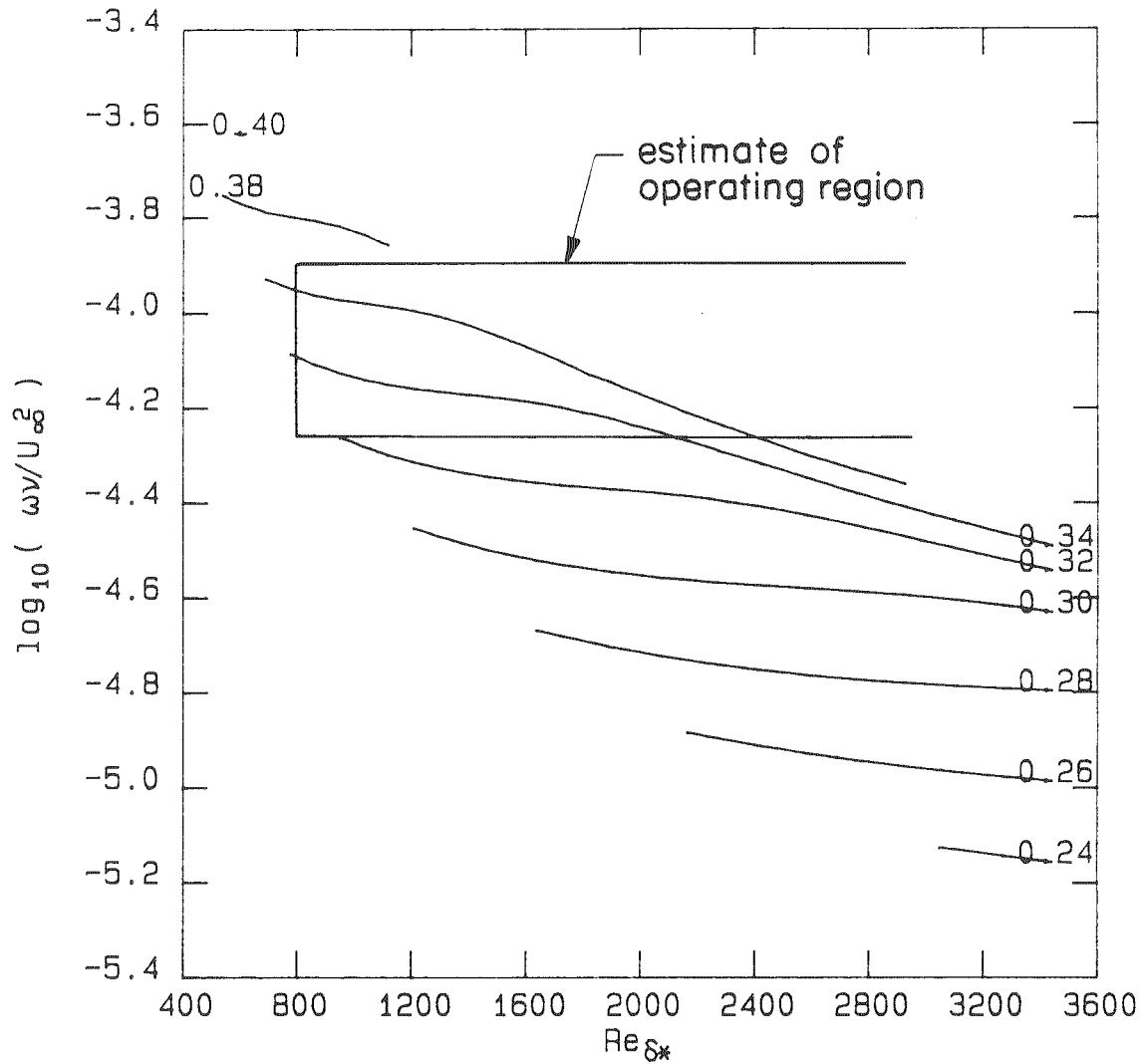


Figure 3.20: Linear Theory Results for Streamwise Phase Speeds
contours of $c_{phase,x}/U_\infty$ at 0.02 intervals
2D linear theory results from L. Mack
see Section 3.2 for operating region estimate

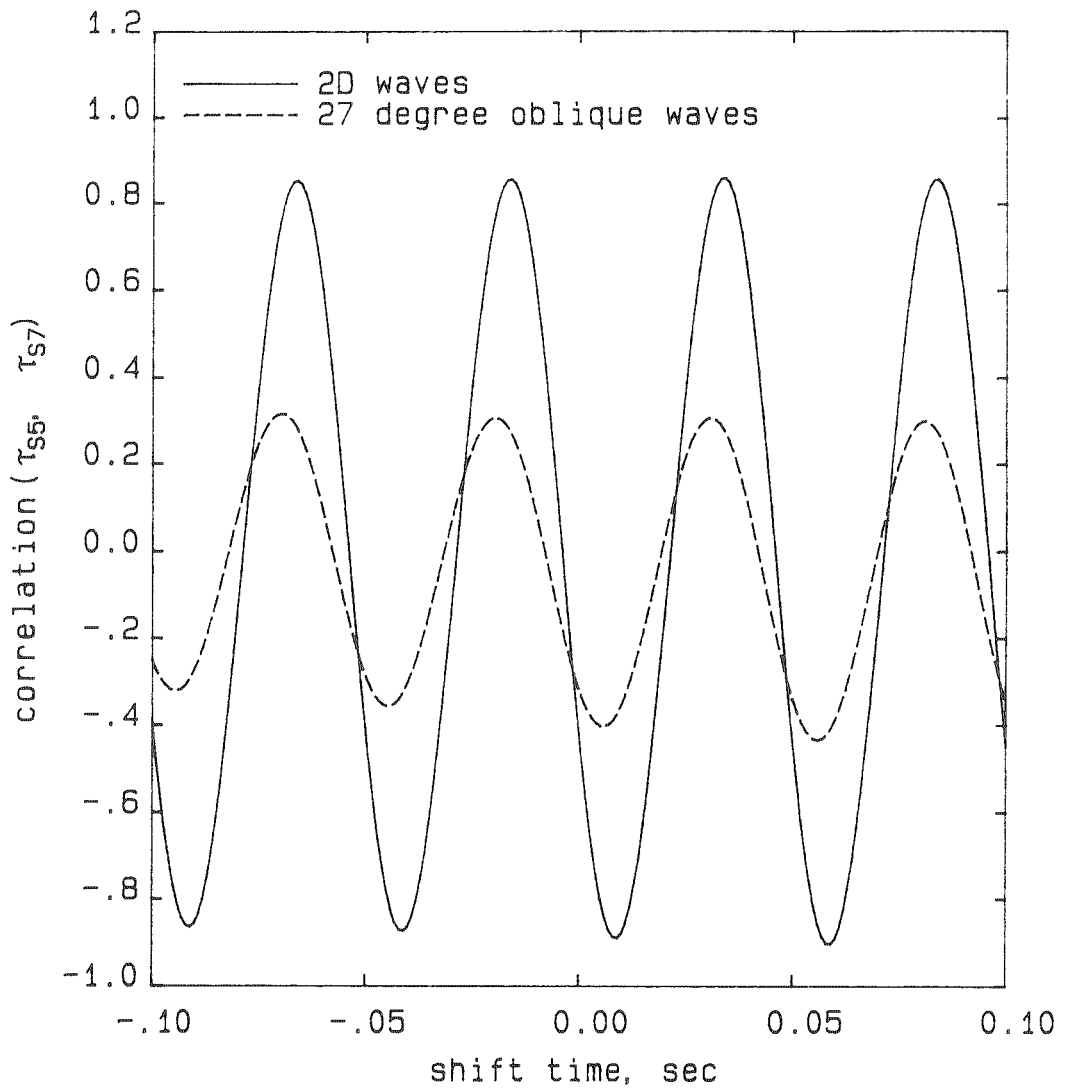


Figure 3.21: Cross-Correlation for High Reynolds Number Phase Speed Data
 20Hz 192 watt forcing, S5 to S7, 4-13a, $U_\infty = 3.68$ fps,
 $Re_{\delta^*}(S5) = 1350$, $Re_{\delta^*}(S7) = 1400$

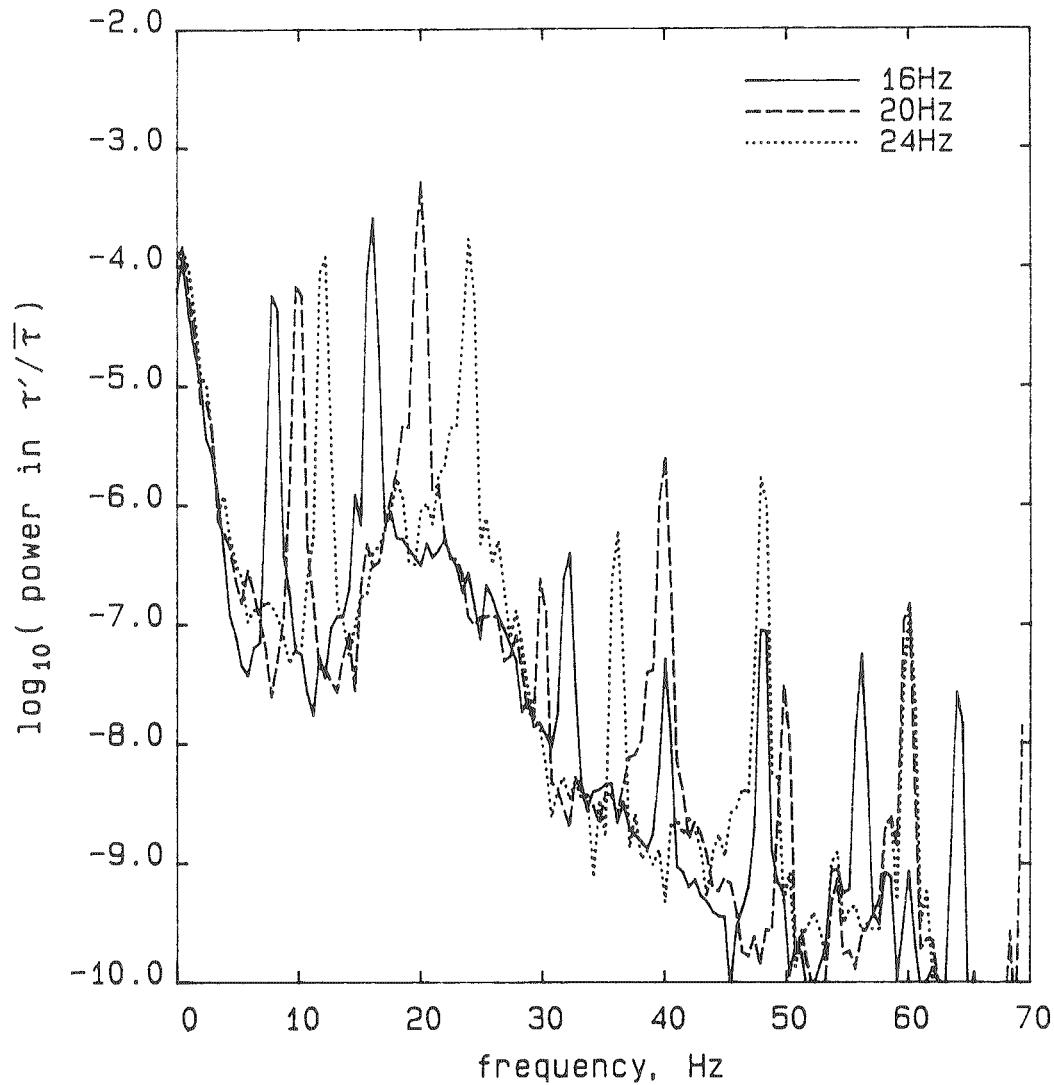


Figure 3.27: Wall Shear Spectra for Highly Nonlinear Waves
 S4, $Re_{\delta^*} = 1300$, $U_{\infty} = 3.50$ fps, 4-13mII
 192 watts

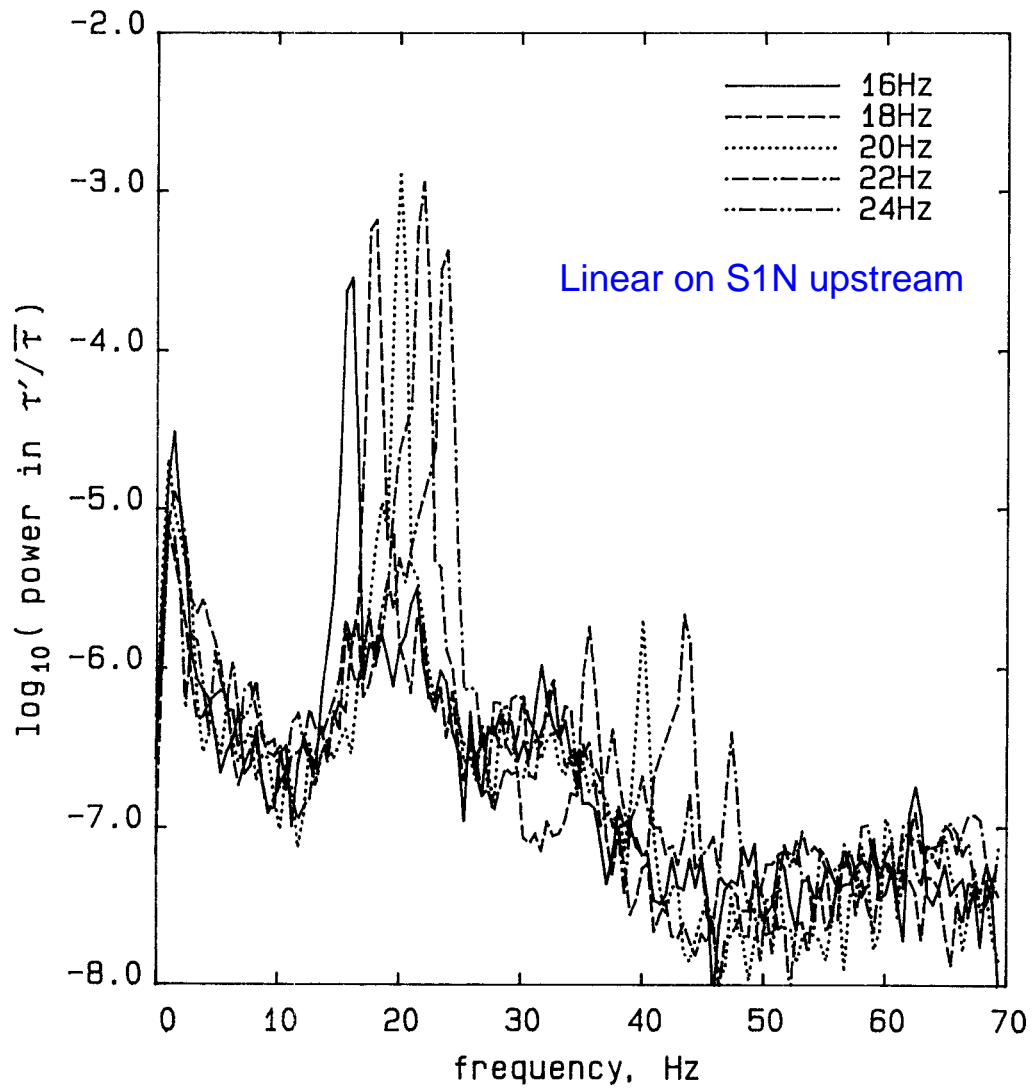


Figure 3.28: Wall Shear Spectra Showing Second Harmonics
 S7, $Re_{\delta^*} = 1400$, 192 watts, ~~2D waves~~, 4-13a

caption calling them 2D
 waves inconsistent with
 text.

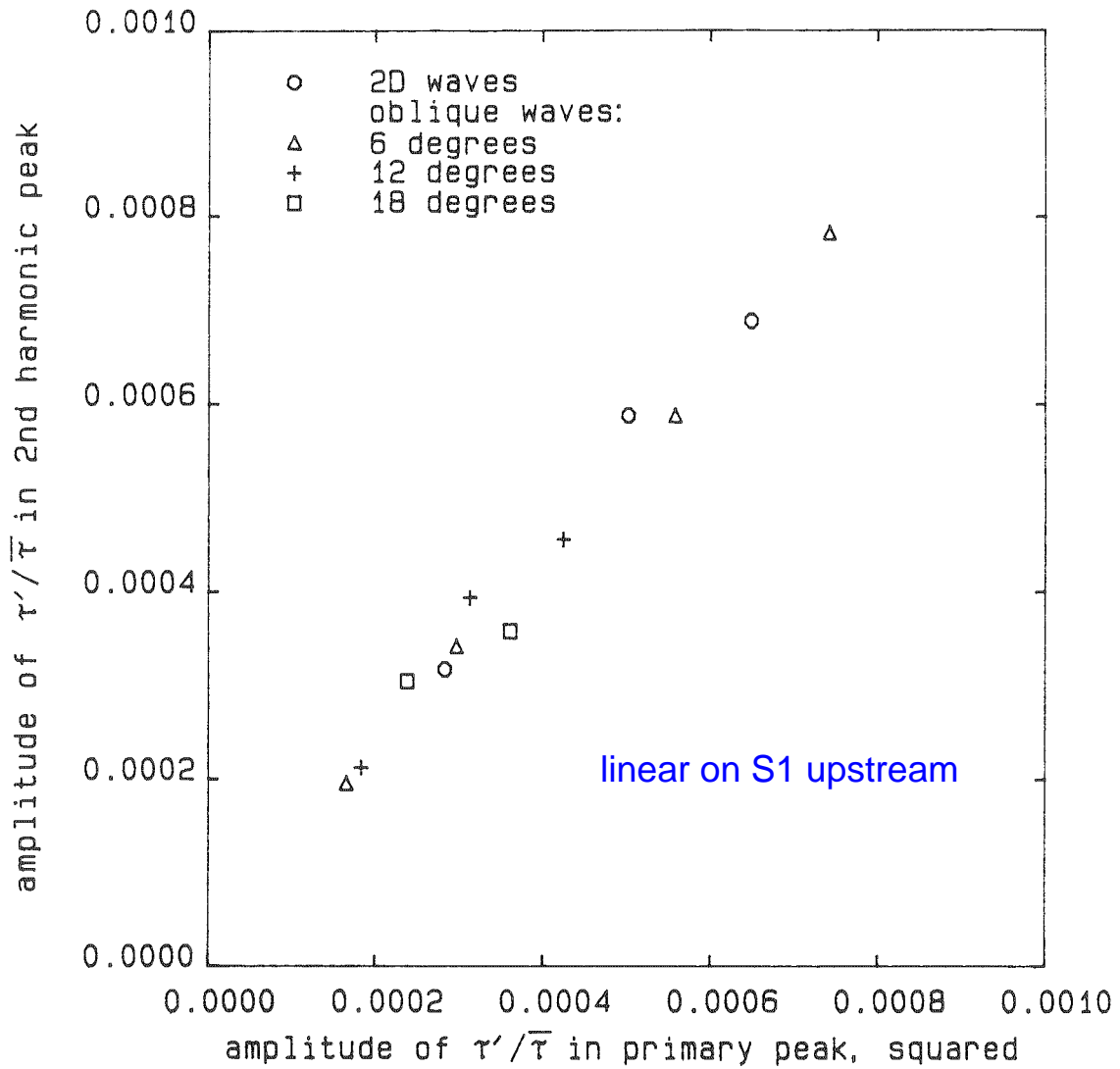


Figure 3.29: Amplitude of Second Harmonics vs. Primary
 20Hz, S6, $Re_{\delta^*} = 1300$, 4-13mII, varied heater power

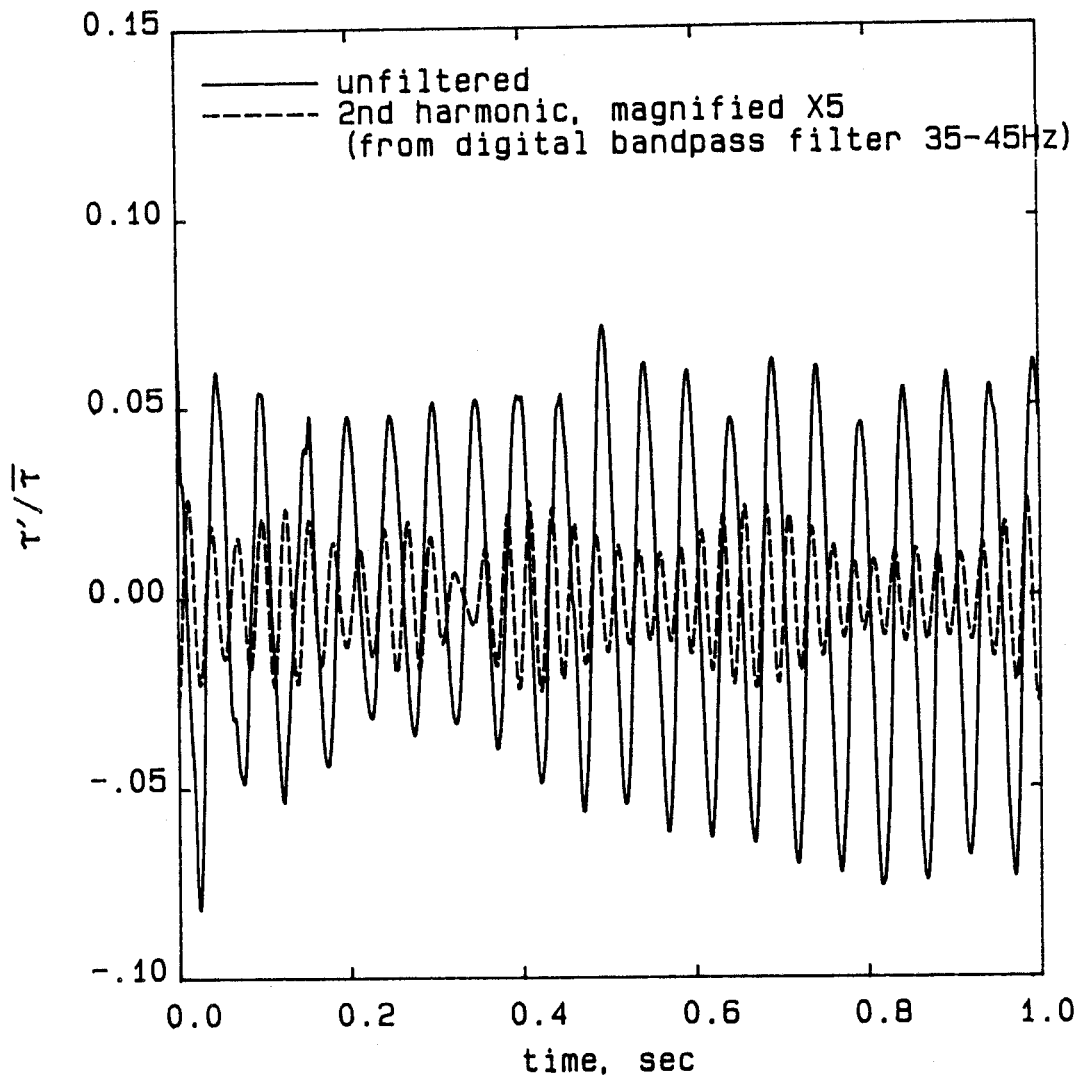
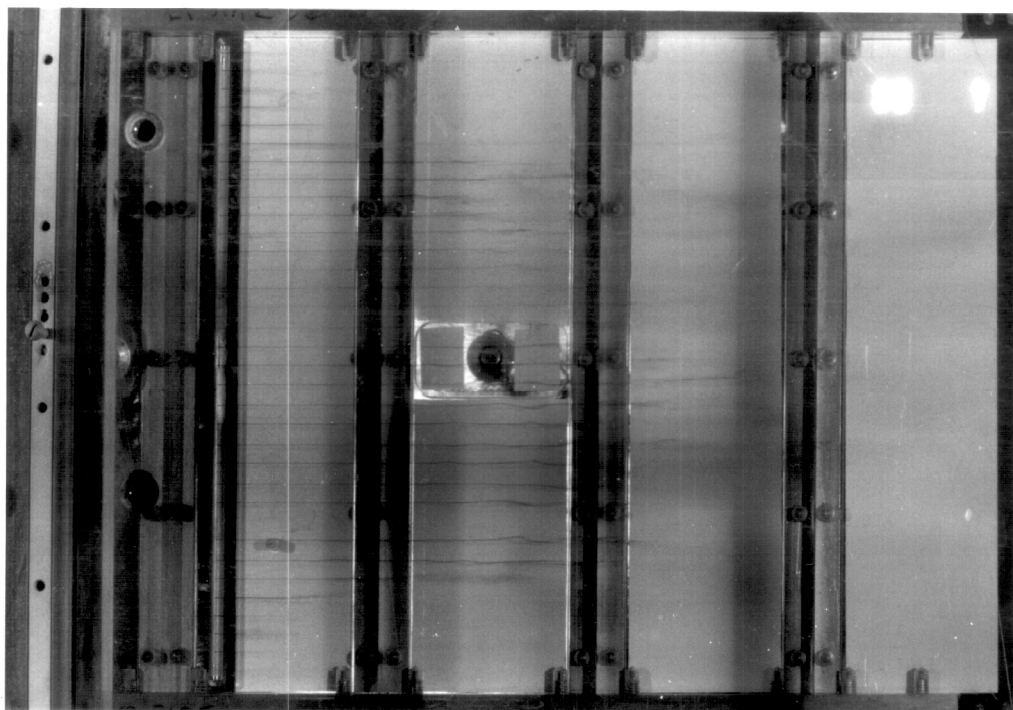
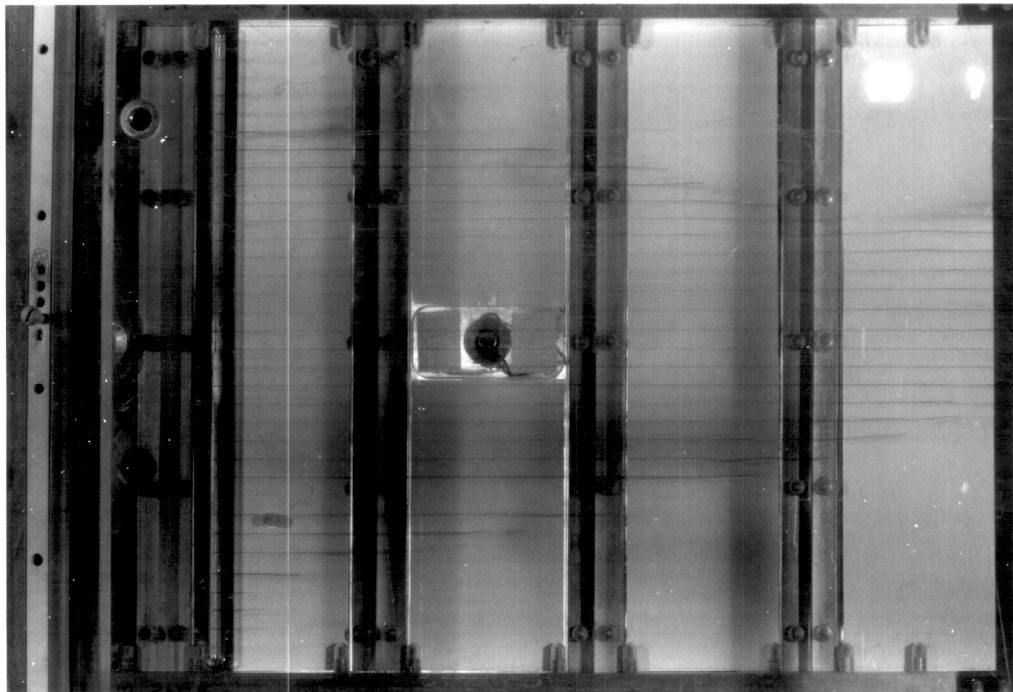


Figure 3.31: Time Trace of Nonlinear 2D Wave Showing Second Harmonic
 $S7$, $Re_{\delta^*} = 1400$, $U_{\infty} = 3.68$ fps, 20Hz 2D, 4-13a

Photographs of Dye Streaks Showing Transition. Flow from left to right, 3.50 ft/sec. Upper photo unforced. Lower photo forced at 8Hz, 190W, 12-deg. angle.



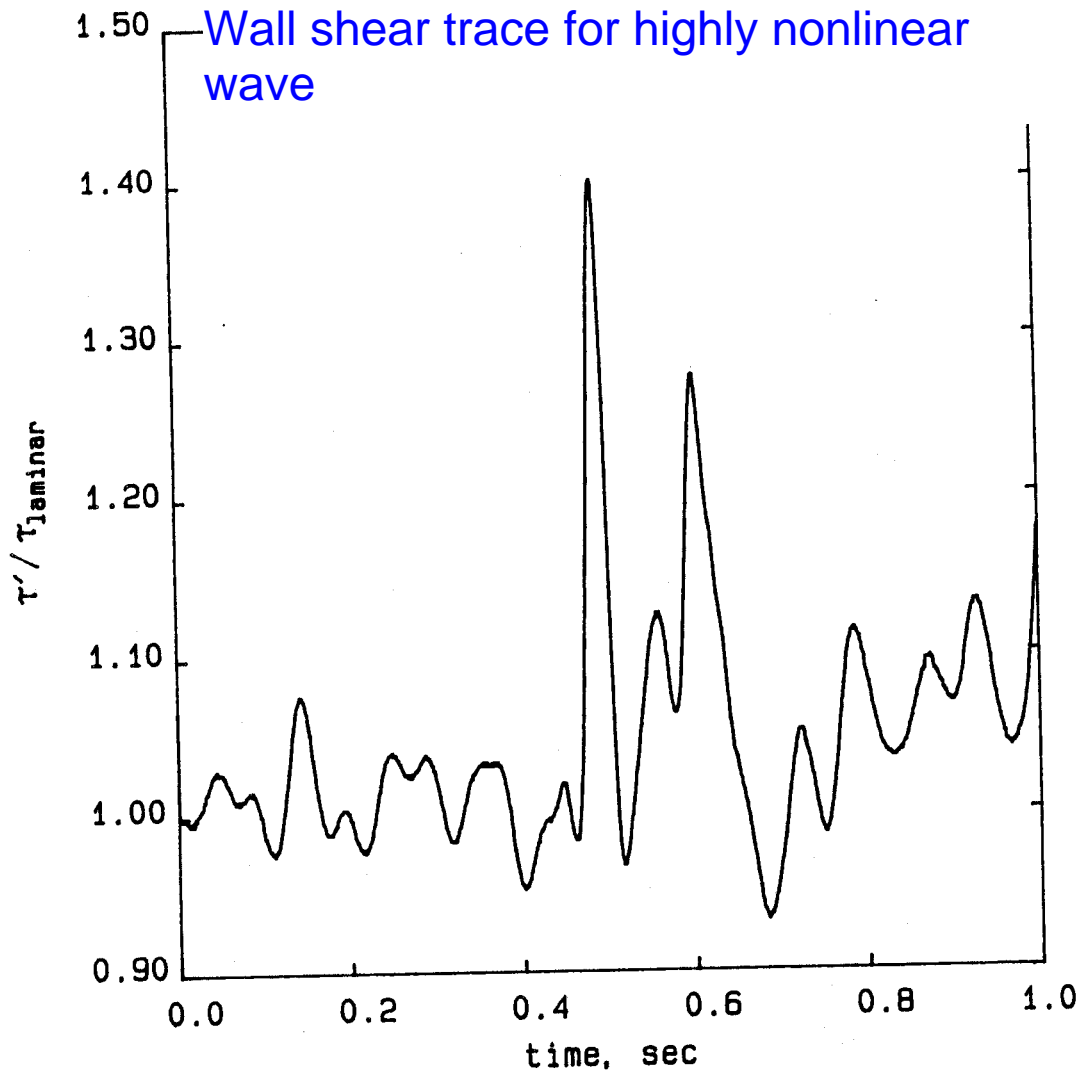


Figure 3.36: Time Trace of Wall Shear for Late Nonlinear Wave
2D 20Hz waves, 192 watt forcing, S8, $Re_{\delta^*} = 1750$, 4-13a

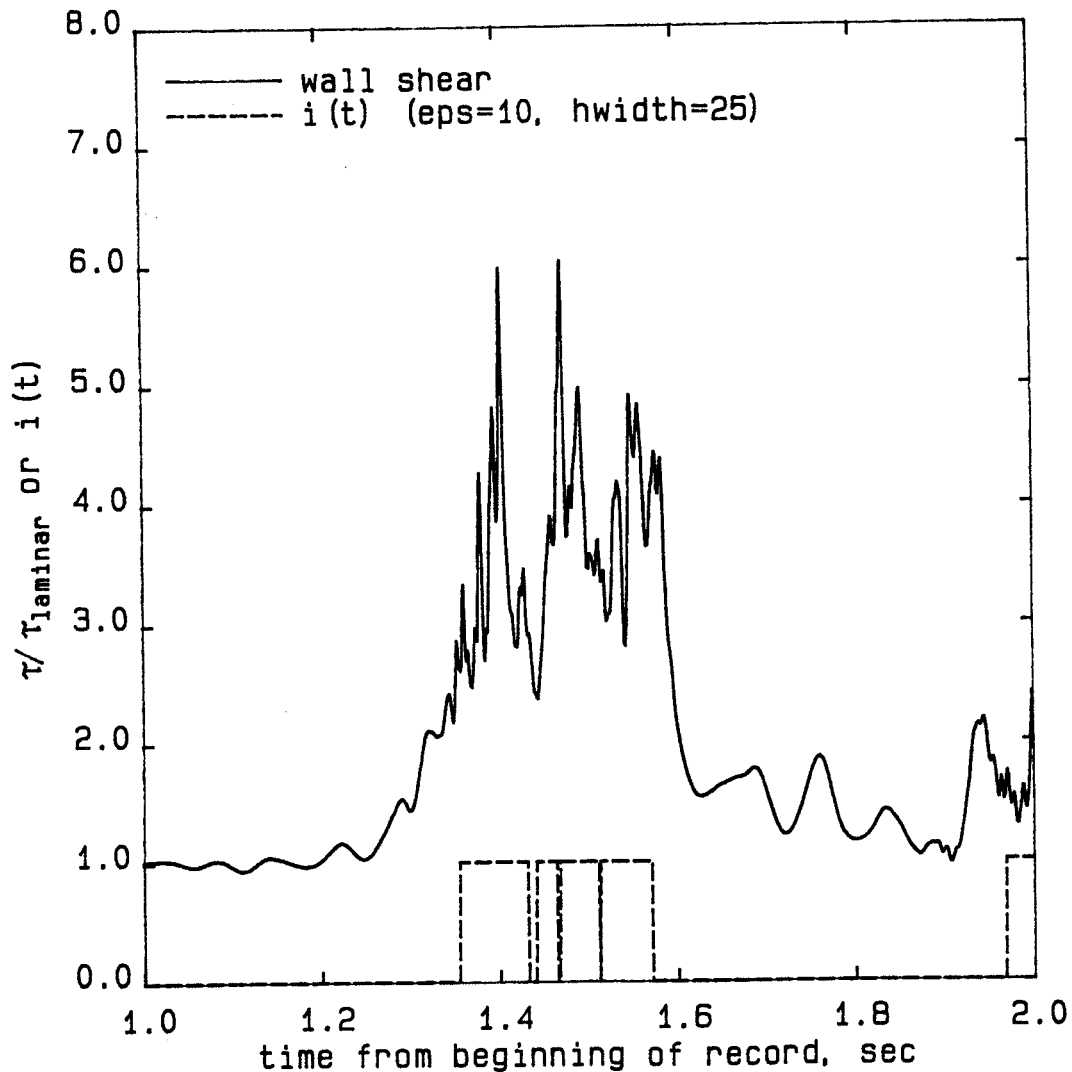


Figure C.5: Comparison of Intermittency Computation Procedures
 20Hz 3 degree oblique waves, 192 watts, 4-13a
 S8, $Re_{\delta^*} = 1750$
 'eps' and 'hwidth' are cutoff and smoothing parameters