Assuming that air is incompressible, determine the height of a column of air required to give a pressure difference of 0.1 psi . Assume that the density of air is $2.38 * 10^{-3} \mathrm{slug} / \mathrm{ft}^{3}$.

## SOLUTION:

Assuming air as being incompressible:

$$
\begin{aligned}
& p_{\text {bottom }}=p_{\text {top }}+\rho_{\text {air }} g h \\
& h=\frac{p_{\text {bottom }}-p_{\text {top }}}{\rho_{\text {air }} g}
\end{aligned}
$$


$p_{\text {bottom }}$

For:
$p_{\text {bottom }}-p_{\text {top }}=0.1 \mathrm{psi}=14.4 \mathrm{lb}_{\mathrm{f}} / \mathrm{ft}^{2}$
$\rho_{\text {air }} \quad=2.38^{*} 10^{-3}$ slug $/ \mathrm{ft}^{3}$
$g \quad=32.2 \mathrm{ft} / \mathrm{s}^{2}$
gives:
$h=188 \mathrm{ft}$
Hence, very large elevation differences must occur to give appreciable differences in pressure when dealing with atmospheric air (or gases in general).

Another way to determine the height, $h$, is to perform a vertical force balance on the column.

$$
\begin{aligned}
& \sum F_{y}=0=-p_{\text {bottom }} d A+p_{\text {top }} d A+\rho_{\text {air }} g h d A \\
& \left.h=\frac{p_{\text {bottom }}-p_{\text {top }}}{\rho_{\text {air }} g} \quad \text { (Same answer as above! }\right)
\end{aligned}
$$

